## **Does Chair Cyclo-octatetraene Exist?**

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MINDO/3 and MNDO calculations are reported for chair cyclo-octatetraene (*cis*-1,5-*trans*-3,7-cyclo-octatetraene) and for its conversions into the normal tub (all *cis*) isomer and into bicyclo[4.2.0]octa-2,4,7-triene.

Studies of the normal tub isomer (1) of cyclo-octatetraene led us to speculate on the possible existence of its chair isomer (2).<sup>1</sup> Examination of models suggested that this should not be impossibly strained and that the barrier to its rearrangement to (1) could be quite large. The main threat to its existence seemed to be the possibility of cyclisation to bicyclo-[4.2.0]octa-2,4,7-triene, (3). We therefore carried out calculations for (2) and for its conversions into (1) and (3).

The calculations were carried out using the MINDO/3<sup>2</sup> and MNDO<sup>3</sup> SCF MO models as implemented in the MOPAC<sup>4</sup> package of programs. These have proved effective in numerous studies of reactions of hydrocarbons, giving results comparable with those from good ab initio methods. Use of any comparable *ab initio* procedure would in any case have been impracticable. Stationary points were characterised by calculating force constants<sup>5</sup> and all geometries were fully optimised, using the procedures included in MOPAC. The heats of formation calculated by both procedures for (1) and (3) are shown in Table 1 and the corresponding MNDO geometries in Figure 1. The MINDO/3 geometries are not reported because they differed minimally from the MNDO ones. Our calculations predict (2) to be less stable than (1) by ca. 240 kJ/mol (MINDO/3, ca. 245; MNDO, ca. 230 kJ/mol). This is no greater than the corresponding differences in energy between benzene and its valence isomers.†

The conversion of (2) into (1) involves rotation about C=C bonds and must therefore involve a biradical like interme-

Table 1. (1)(5).	MNDO and	MINDO/3	heats of	formation	(kJ/mol) for
	(1)	(2)	(3)	(4)	(5)
MNDO MINDO/3	236.15 3 236.81	467.35 484.93	269.03 320.91	721.74 773.20	531.37 539.32

<sup>†</sup> The conversions of hexamethylDewar benzene and hexamethylprismane into hexamethylbenzene are exothermic by 235 and >375 kJ/mol, respectively. See L. T. Scott and M. Jones, Jr., *Chem. Rev.*, 1972, **72**, 181.



Figure 1. MNDO Geometries for structures (1)—(5) (bond lengths in Å, bond angles in degrees).







diate. However, the RHF versions of MINDO/3 and MNDO have been found<sup>2,3</sup> to give good estimates of the barriers to rotation about double bonds and therefore were used here. The transition state [TS; (4)] for  $(2) \rightarrow (1)$  was located by a new procedure<sup>6</sup> recently developed here and included in MOPAC. The heats of formation calculated for (4) are shown in Table 1 and the MNDO geometry in Figure 1. The calculated barrier for conversion of (2) into (1) is therefore *ca.* 270 kJ/mol (MINDO/3, 288; MNDO, 255 kJ/mol). With respect to isomerization to (1), (2) should therefore be stable.

Next we studied the rearrangements of (1) and (2) to (3). Both reactions are effectively 'allowed', the TS in each case containing one aromatic ring and one antiaromatic one.<sup>7</sup> No problems arose in finding the TS for either reaction. Their calculated heats of formation (Table 1) correspond to activation energies of *ca.* 59 (MINDO/3, 54; MNDO, 64) kJ/mol for the rearrangement of (2) to (3) and *ca.* 194 (MINDO/3, 179; MNDO, 209) kJ/mol for that of (1) to (3).

The rearrangement of (3) to (1) is well known and its activation energy has been determined<sup>8</sup> experimentally (78 kJ/mol) and calculated<sup>9</sup> by MINDO/3 (95 kJ/mol). Our MNDO calculations led to a value (176 kJ/mol) which is much too large, presumably because of the known<sup>3</sup> tendency of MNDO to overestimate the stabilities of compounds containing four-membered rings. The heat of formation calculated for (3) by MNDO is clearly much too negative.

Our calculations therefore indicate that (2) itself will be a rather unstable species, surviving rearrangement to (3) only at low temperatures. Since (3) rearranges easily and exothermically to (1), the final product from (2) will be (1).

Figure 1 shows the geometry calculated for the TS (5) for conversion of (2) into (3). If the cyclisation to (3) can be hindered sufficiently by substituents [*e.g.* (6) or (7)], the corresponding derivative of (2) should be stable. A suitable precursor for the synthesis of (6) has appeared in the **Table 2.** MNDO Vibrational frequencies for (1) and  $(2)^{a}$  (in cm<sup>-1</sup>).

( <b>2</b> ) <sup>b</sup>	Symmetry	(1) <sup>c</sup>	Symmetry	Туре
1693	$A_{g}$	1791	$B_2$	Stretch/compression/ motion
1710	$B_{\rm u}$	1852	Ε	Asymmetric stretch
1768	$A_{u}^{-}$	1853	Ε	Asymmetric stretch
1783	$A_{g}$	1910	$A_1$	Symmetric stretch

<sup>a</sup> MNDO Vibrational frequencies are in error by *ca.* 10%. See reference 11. <sup>b</sup>  $C_{2h}$  Point group. <sup>c</sup>  $D_{2h}$  Point group.

literature<sup>10</sup> and has also pointed to the possible 2 + 2 cyclisation of (2) to (8). While MINDO/3 predicts<sup>9</sup> the analogous cyclisation of (1) to have a very high activation energy, cyclisation of (2) would be assisted by relief of strain. Since (8) rearranges fairly readily to (1), apparently *via* the triplet state, this would provide a third route from (2) to (1).

We have also calculated the vibration frequencies of (1) and (2) as an aid to identification of the latter from its i.r.–Raman spectra. Since it gives better results, MNDO was used rather than MINDO/3 for C=C vibrational modes.<sup>11</sup> Table 2 shows the results. The most striking differences appear in the C=C stretching modes, the frequencies for (2) being much less. This of course reflects the weakening of the *trans* C=C bonds in (1), because of their nonplanarity.

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