## The nature of the interaction of molecular fluorine and Lewis bases B from a comparison of the properties of $B \cdots F_2$ and $B \cdots HF$

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Comparison of angular geometries, radial geometries and intermolecular stretching force constants  $k_{\sigma}$  of the two series of complexes B…F<sub>2</sub> and B…HF, where B is H<sub>2</sub>S, HCN, CH<sub>3</sub>CN, H<sub>2</sub>O, (CH<sub>2</sub>)<sub>2</sub>O or NH<sub>3</sub>, allows conclusions about the nature of the interaction in B…F<sub>2</sub> and the shape of the F atom in F<sub>2</sub>.

The reactivity of elemental fluorine is legendary. It results from the ease with which the F–F bond is broken, coupled with the great strength of the bonds E–F (E = H,C or N) that are formed. Hence, the reactions of  $F_2$  with many simple compounds are highly exothermic. Once sufficient concentrations of F atoms have been produced, presumably initially at surfaces and then through the temperature rise as the reaction begins, selfacceleration sets in through chain processes. Explosions can then result. But what of the interactions of the difluorine molecule  $F_2$  itself with other molecules B when the possibility of reactions proceeding through fluorine atoms is precluded?

We have recently demonstrated that, by using a simple device, the complexes  $B 
down F_2$  formed by simple Lewis bases B with  $F_2$  may be isolated and characterised before any chemical reaction can occur.<sup>1-6</sup> The device is called a fast-mixing nozzle.<sup>7</sup> It consists of a pair of concentric, coterminal tubes of circular cross section that issue into the evacuated Fabry–Pérot cavity of a Fourier-transform microwave spectrometer.<sup>8</sup> The inner tube is a glass capillary of 0.3 mm internal diameter but the outer is constructed from Teflon. A dilute mixture of  $F_2$  in argon is pulsed *via* a solenoid valve down the outer tube while the pure Lewis base B is flowed continuously into the vacuum chamber through the glass capillary. The coaxial gas flows undergo adiabatic expansion as they emerge from the tubes and

so molecules of B and F<sub>2</sub> meet only when F<sub>2</sub> is moving away from surfaces at rate of *ca*.  $5 \times 10^4$  cm s<sup>-1</sup>, which is the terminal speed of the gas pulse for argon as carrier gas.<sup>8</sup> Complexes B...F<sub>2</sub> so formed are rapidly cooled to their lowest rotational and vibrational energy states and achieve collisionless expansion in *ca*. 10 µs. Thereafter, the complexes are effectively frozen and no chemical reaction is possible. The B...F<sub>2</sub> can then be characterised through their rotational spectrum in the relatively long period before the gas encounters a vessel wall, *etc*.

Analysis of the rotational spectrum of B...F<sub>2</sub> leads to details of the radial and angular geometry and to the strength of the interaction, as discussed elsewhere for complexes B...HX.<sup>9</sup> Sufficient B...F<sub>2</sub> have now been characterised to allow general conclusions about the nature of the interaction of F<sub>2</sub> with simple Lewis bases B. Table 1 summarises the radial and angular geometries of the six complexes B...F<sub>2</sub><sup>1-6</sup> and the six analogous hydrogen-bonded complexes B...HF,<sup>10–16</sup> where B is H<sub>2</sub>S, HCN, CH<sub>3</sub>CN, H<sub>2</sub>O, (CH<sub>2</sub>)<sub>2</sub>O or NH<sub>3</sub>. Also included in Table 1 are the intermolecular stretching force constants  $k_{\sigma}$ . These are available from the centrifugal distortion constants  $D_J$  or  $\Delta_J$  for weakly bound complexes in the quadratic approximation with the assumption of rigid, unperturbed subunits B and F<sub>2</sub> by using expressions developed by Millen<sup>17</sup> and provides one measure of the strength of the B–F<sub>2</sub> interaction.

Several general points emerge from Table 1. First, the angular geometries of the pair  $B \cdots F_2/B \cdots HF$  are isomorphous for a given B. The detailed similarity within the pair for  $H_2O \cdots XF$  (X = F or H), for  $H_2S \cdots XF$  and for  $(CH_2)_2O \cdots XF$ , in each of which the geometry is not dictated by the symmetry of B, is remarkable. Although both  $H_2O \cdots F_2$  and  $H_2O \cdots HF$  are

Table 1 Comparison of properties of complexes B…F2 and B…HF

В	Angular geometry		$r(Z \cdots F)/Å$			$k_{\sigma}$ /N m <sup>-1</sup>	
	Туре	Details $(\phi/^{\circ})$	BF2	B…HF	$\sigma(Z) + \sigma(F)^a/\text{\AA}$	$B \cdots F_2$	B…HF
H <sub>2</sub> S	SF H H	$X = F \phi = 113(5)^b$ $X = H \phi = 91^c$	3.20(1) <sup>b</sup>	3.249 <sup>c</sup>	3.20	2.36(4) <sup>b</sup>	12(2) <sup>d</sup>
HCN CH <sub>3</sub> CN H <sub>2</sub> O	HCN···X-F CH <sub>3</sub> CN···X-F H O•••X-F	$C_{\infty v}(X = F \text{ and } H)^{e,f}$ $C_{3v}(X = F \text{ and } H)^{g,h}$ Effectively planar, $C_{2v}(X = F \text{ and } H)^{i,j}$	2.803(3) <sup>e</sup> 2.748(3) <sup>g</sup> 2.719(4) <sup>i</sup>	$2.805(1)^{f}$ $2.751(1)^{h}$ $2.684(16)^{k}$	2.85 2.85 2.75	$2.61(1)^{e} \\ 1.49(1)^{g} \\ 3.63(7)^{i}$	18.26(5) <sup>f</sup> 19.83(5) <sup>h</sup> 25(2) <sup>l</sup>
(CH <sub>2</sub> ) <sub>2</sub> O	0F	$X = F \phi = 76(4)^m$ $X = H \phi = 72.0(2)^n$	2.63(6) <sup>m</sup>	$2.629(5)^n$	2.75	0	0
NHa	H <sub>2</sub> NXF	$C_2$ (X – F and H)p.q	2 708(7)p	2.71q	2.85	4 70(3)p	32.89

<sup>*a*</sup> Sum of van der Waals radii from ref. 26;  $\sigma(N) = 1.50$  Å,  $\sigma(O) = 1.40$  Å,  $\sigma(S) = 1.85$  Å  $\sigma(F) = 1.35$  Å. <sup>*b*</sup> Ref. 5. <sup>*c*</sup> Ref. 10. <sup>*d*</sup> Ref. 11. <sup>*e*</sup> Ref. 3. <sup>*f*</sup> Ref. 12. <sup>*s*</sup> Ref. 13. <sup>*i*</sup> Ref. 4. <sup>*j*</sup> Ref. 14 and 18; <sup>*k*</sup> Refitted to rotational constants of H<sub>2</sub><sup>16</sup>O···HF, H<sub>2</sub><sup>18</sup>O···HF, D<sub>2</sub><sup>16</sup>O···DF from ref. 14. <sup>*i*</sup> Calculated from  $\Delta_J$  of ref. 15 by method of ref. 17. <sup>*m*</sup> Ref. 6. <sup>*n*</sup> Ref. 16. <sup>*o*</sup> Expressions in ref. 17 are not appropriate to calculation of  $k_{\sigma}$  from  $\Delta_J$  for molecules of this geometry. <sup>*p*</sup> Ref. 1. <sup>*q*</sup> Calculated from  $B_0$  or  $D_J$  values communicated to the author by B. J. Howard and P. R. R. Langridge-Smith (unpublished).

recorded as effectively planar,  $H_2O\cdots HF$  has been shown<sup>18</sup> to have a small potential energy barrier (126 cm<sup>-1</sup>) to the planar  $C_{2v}$  conformation that separates the two equivalent equilibrium geometries of  $C_s$  symmetry having a pyramidal configuration at O. The top of the barrier lies only slightly above the zero-point energy level and the vibrational wavefunctions have  $C_{2v}$ symmetry. In view of the much weaker bond in  $H_2O\cdots F_2$ , it is likely that the barrier in this species is even lower. This interpretation is reinforced by the fact that a low-lying vibrational satellite attributed to internal rotation of the  $H_2S$ subunit is observed in  $H_2S\cdots F_2$  but not in  $H_2S\cdots HF$ , which is rigidly pyramidal.

Secondly, we note from Table 1 that the  $k_{\sigma}$  for the B···F<sub>2</sub> are smaller than those of the B···HF by a factor of 6 to 8. Indeed, the B···F<sub>2</sub> are so weak that their  $k_{\sigma}$  values are closer to those of B···Ar complexes. For example,  $k_{\sigma} = 3.6(4)$  N m<sup>-1</sup> and 2.18 N m<sup>-1</sup> for oxirane···F<sub>2</sub><sup>6</sup> and oxirane···Ar,<sup>19</sup> respectively.

Thirdly, the distance  $r(Z \cdots F)$  from the acceptor atom Z in B to the nearest F atom is almost identical within a given pair  $B \cdots F_2/B \cdots HF$ .

What explanation can be offered for these observations? The behaviour of the B···HF complexes was interpreted<sup>20,21</sup> on the basis of a simple electrostatic interaction of B and HF, *i.e.* between unperturbed electric charge distributions. The angular geometries of B···HF were first rationalised<sup>20</sup> on the basis of the simple rule which states that in the equilibrium geometry the axis of the HF molecule coincides with the axis of a non-bonding electron pair on the acceptor atom Z in forming a hydrogen bond with B. This rule was subsequently given a quantitative basis by a simple electrostatic model.<sup>22</sup> The variations of the  $k_{\sigma}$  in B···HF complexes has also been interpreted in terms of an electrostatic interaction.<sup>23</sup>

The results in Table 1 suggest a similar approach for B…F<sub>2</sub>. In that case, the fact that the leading term in the Taylor series expansion of the electric charge distribution of F<sub>2</sub>, namely its electric quadrupole moment  $Q = 2.76 \times 10^{-40}$  C m<sup>2</sup>, is very small<sup>24</sup> while HF has an electric dipole moment<sup>25</sup>  $\mu = 1.8265$  D (6.0925 × 10<sup>-30</sup> C m) ensures that the interaction B… $\delta + F_{\sigma}^{\Delta} F^{\delta +}$  will be much weaker than in B… $\delta + H - F^{\delta -}$ . This is borne out by the  $k_{\sigma}$  values of Table 1. Moreover, the nearly spherical F<sub>2</sub> electric charge distribution explains why the magnitudes of  $k_{\sigma}$  for B…F<sub>2</sub> are like those of B…Ar. Presumably, the London dispersion interaction is more significant for B…F<sub>2</sub> than for B…HF, for which the preponderant contribution is electrostatic. In some ways F<sub>2</sub> behaves like its united atom Ar in complexes with B.

Evidently, the electrostatic part of the energy of interaction in  $B \cdots F_2$  is still definitive of the angular geometry and hence the latter is of the same form for a given pair  $B \cdots F_2/B \cdots HF$ . Nevertheless, the weaker electrostatic term in the  $B \cdots F_2$  is consistent with a lower barrier to internal rotation of the  $H_2S$  subunit in  $H_2S \cdots F_2$  than in  $H_2S \cdots HF$ .

Given that the B···F<sub>2</sub> interaction is weak, it seems likely that the distance r(Z 
dots F) will be determined by the sum of the van der Waals radii  $\sigma(Z)$  and  $\sigma(F)$  of the atoms Z and F. Values of  $\sigma(Z) + \sigma(F)$  generated from Pauling's radii<sup>26</sup> are given in Table 1. If a range of 0.05 Å is assigned to the Pauling radii, the r(Z 
dots F) for both B···F<sub>2</sub> and B···HF are identical with the sum  $\sigma(Z) + \sigma(F)$ , since the mean difference  $\Delta r = \{\sigma(Z) + \sigma(F)\} - r(Z 
dots F)$  is only 0.07(6) for the B···F<sub>2</sub> and 0.09(4) for the B···HF. It was suggested earlier<sup>22</sup> that the distance r(Z 
dots F) in hydrogenbonded complexes can be taken as the sum of the van der Waals radii of Z and F, in view of the lack of a repulsive electron shell for the nearly bare proton  $\delta$ +H in HF. This is illustrated graphically in Fig. 1, in which the netted spheres of appropriate van der Waals radius drawn on the O and F atoms in the scale diagrams of H<sub>2</sub>O ···F<sub>2</sub> and H<sub>2</sub>O ···HF just touch in each case.

The fact that  $\Delta r$  is effectively zero for B…F<sub>2</sub> suggests that F<sub>2</sub> may not be 'snub-nosed' in the sense that Cl<sub>2</sub> is, *i.e.* that the van der Waals radius along the axis is not shorter than the value perpendicular to it. For several B…Cl<sub>2</sub>, the mean value of  $\Delta r$  is found to be *ca.* 0.5 Å. *Ab initio* calculations of the type<sup>27</sup> used



**Fig. 1** Stick models of  $H_2O\cdots HF$  (upper) and  $H_2O\cdots F_2$  (lower) drawn to scale, with the experimental intermolecular separations  $r(Z\cdots F)$  given in Table 1. The nets are spheres having the appropriate van der Waals radii (red for oxygen, yellow for fluorine, white for hydrogen). The sphere for the H of HF is not drawn, for the reason discussed in the text. For convenience, both molecules are depicted as planar. Note that the van der Waals spheres of oxygen and the inner fluorine atom just touch in each case.

to establish the anisotropy of the van der Waals radius of  $\mathrm{Cl}_2$  would settle this.

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