

Bi³⁺/M²⁺ Oxyphosphate: A Continuous Series of Polycationic Species from the 1D Single Chain to the 2D Planes. Part 2: Crystal Structure of Three Original Structural Types Showing a Combination of New Ribbonlike Polycations

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With the assistance of structural models deduced from the high-resolution electron microscope (HREM) investigation presented in Part 1 of this work, three new structural types were pointed out in Bi_2O_3 –MO– P_2O_5 ternary systems. Their crystal structures are built on the arrangement of 2D polycationic ribbons formed of edge-sharing $O(Bi,M)_4$ tetrahedra and isolated by PO₄ groups. Prior to this study, materials with ribbons up to n = 3 tetrahedra wide have been discovered. The original structures presented here display longer n = 4-6 cases, which suggests a possible continuous series of polycationic entities that range from the single chain (one tetrahedron wide) to the infinite $[Bi_2O_2]^{2+}$ Aurivillius layer. The ribbons with n > 3 show strong structural modifications that are able to bring a good ribbon–phosphate cohesion. In addition to these fascinating structural results, this work fully confirms the validity of the decoding established from HREM images of a single crystallite in inhomogeneous mixtures.

Introduction

In ref 1, henceforth referred to as Part 1, we gave a general description of new double Bi³⁺/M²⁺ oxyphosphates on the basis of their structure deduction from high-resolution electron microscopy (HREM) images from one single crystallite among multiphased samples. Basically, the investigation of Bi₂O₃-MO-P₂O₅ systems has been performed by analogy to the Bi₂O₃-MO-V₂O₅ systems, which revealed the existence of the BIMEVOX series,² high O²⁻ anionic conductors at medium temperature. The crystal structure of parent compound Bi₄V₂O₁₁ belongs to the Aurivillius structural type and can be described by the stacking of $[Bi_2O_2]^{2+}$ and deficient [VO_{3.5}]²⁻ perovskite slabs. The simple observation of the latter as well as the structure of the high temperature δ -Bi₂O₃ (fluorite type) reveals the existence of edge-sharing oxygen-centered OBi₄ tetrahedra arranged into various dimensionalities, e.g., 2D in [Bi₂O₂]²⁺ and 3D in fluorite. This same description applied to the Bi/M oxyphosphate compounds yielded systematic evidence of lowdimensional polycationic species forming the skeleton of structures. BiMPO₅ (M = Co, Ni, Mn)^{3,4} shows single chains (S). Double ribbons (D), two tetrahedra wide, form the BiM₂-PO₆ framework⁵⁻¹³ and triple ribbons (T) form in Bi_{~1.2}M_{~1.2}-PO_{5.5};¹⁴ a mixture of both forms in a number of nonstoichiometric disordered compounds, e.g., Bi_{~6.2}Cu_{~6.2}P₅O₂₈,¹⁵

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Bi³⁺/M²⁺ Oxyphosphates with New Ribbonlike Polycations

 $Bi_{\sim 3}Cd_{\sim 3,72}M_{\sim 1,28}P_{3}O_{1}7 (M = Cu, Co, Zn),^{16}Bi_{\sim 3,785}Cd_{\sim 3,291}$ $Cu_{\sim 1.785}(PO_4)_{3.5}O_{5.5}$.¹⁷ The notion of antistructure on the basis of OM_x frameworks has been known for a long time from the observation of rare earth oxides, oxysalts, and lanthanide salts,¹⁸⁻²² several disordered systems by O'Keeffe et al.,²³ and, closer to our preoccupation, OPb4 tetrahedra by Krivovichev et al.^{24–28} In our case, thanks to the excellent contrast between Bi-M-O polycations and the surrounding PO₄-rich interspace, a HREM image code has been established and fully exploited in complementarity with XRD structural determinations. Ribbons, n > 3 tetrahedra wide, mark a further step from isolated polycationic segments toward the infinite [Bi₂O₂]²⁺ planes. Structural proofs of the HREM code versus crystal structure announced in Part 1 then appear necessary for validating the continuous series of polycations in Bi-M-P-O systems. As announced in Part 1, this new image code available for longer cations has been established from the crystal structure of Bi_{15,32}Cd₁₀- $(PO_4)_{10}O_{18}$, the first example of sextuplet (six tetrahedra wide) ribbons, called H. This structural investigation is detailed in this work. This paper is also dedicated to the synthesis and investigation of new structural types formed of new polycations (n > 3) postulated from the HREM analysis of isolated crystallites in Part 1. We will particularly comment on the structural modifications related to the extension of the size of polycations to n > 3.

Experimental Section

Powder Syntheses. Powders have been prepared as already detailed in part 1 of our work.¹ The purity of the samples was checked by powder X-ray diffraction (XRD) using a Siemens D-5000 diffractometer with Cu K α radiation.

Single Crystal Growth. Single crystals of $Bi_{15.32}Cd_{10}(PO_4)_{10}O_{18}$ have been obtained from the slow cooling (1 °C/h) of a sample of nominal $BiCd_{0.39}P_{0.6}O_{3.29}$ composition after melting it in a gold crucible at 940 °C for 5 h. Colorless crystals corresponding to the new $Bi_{15.32}Cd_{10}(PO_4)_{10}O_{18}$ were extracted from the homogeneous melt.

Single crystals of $Bi_{5.625}Cu_{2.062}(PO_4)_3O_6$ were prepared from a powder of nominal composition $Bi_5Cu_2P_3O_{17}$. The powder was fused at 900° for 5 h and cooled at 2 °C/h. Green needle-shaped crystals were isolated from the melt.

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XRD Data Collection. Single-crystal XRD data have been collected on a Bruker SMART CCD 1 K diffractometer under the conditions given in Table 1. The intensities were extracted using the program SaintPlus 6.02.²⁹ An absorption correction on the basis of the crystal morphology was applied using the program XPREP of the SHELXTL package.³⁰ Data were re-corrected from the glass fiber and the area detector absorption using empirical corrections with the program SADABS³¹ and a null μ_r value. For the two cases presented here, the crystal structure has been solved and refined using the SHELXS direct method option and JANA 2000,³² respectively.

Elemental Analysis. The EDS (energy dispersive spectroscopy) analysis was performed using a Philips CM30 transmission electron microscope equipped with an energy dispersive spectrometer.

Bi_{15.32}Cd₁₀(PO₄)₁₀O₁₈ with the New Dtt/H Structural Type

Synthesis Strategy. First, one should recall the record, already discussed in Part 1, that ruled our goal and synthesis strategy.¹ The ED (electron diffraction) examination of a sample of composition BiCd_{0.29}Cu_{0.03}P_{0.59}O_{3.29} vielded evidence of two new phases with an approximate Bi-Cu-Cd-P formula deduced from EDS analysis and lattice parameters equal to (i) BiCu_{0.08}Cd_{0.3}P_{0.6}: a \approx 11.5 Å, b \approx 5.5 Å, and c \approx 21 Å. (ii) BiCu_{0.03}Cd_{0.2}P_{0.6}: a \approx 11.5 Å, b \approx 5.5 Å, and c \approx 25 Å. For the former, the HREM image reveals new contrasts by comparison to images for phases containing double and triple ribbons largely studied in prior works.^{15–17} To explain the new contrasts, we then provided efforts to reach the concerned structural type. After unfruitful attempts to grow single crystals from either the above mixture or a sample of composition BiCu_{0.08}Cd_{0.3}P_{0.6}, a cadmiumonly sample with an unchanged Bi³⁺/M²⁺ ratio was prepared, e.g., composition BiCd_{0.39}P_{0.6}O_{3.2}, and led to the studied single crystals by melting and slow-cooling stages described in the Experimental Section.

Structural Refinement. The 8144 reflections $(I > 3\sigma(I))$ are merged in the Laue group *mmm*, R_{int} = 5.41%. The orthorhombic lattice parameters a = 23.020(4) Å, b = 5.440-(1) Å, and c = 20.439(3) Å suggest isomorphism to the unknown phase determined from HREM. However, a superstructure involving *a*-doubling occurs. The refinement proceeded in both $Pb2_1m$ and Pbam space groups, compatible with the systematic absences. It satisfactorily converged in the centrosymmetric latter group. The [010] zone axis pattern (ZAP) for this new structural type is shown in Figure 1a. The set of systematic extinctions is fully compatible with *Pbam*.

Seven independent heavy Bi-Cd atoms and six oxygens form the ribbon framework. The ratio of the unique mixed Bi/Cd(5) site is refined to 0.33/0.66, which is split over two

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Table	1.	Crystal	Data,	Measurement,	and	Structure	Refinement	Parameters
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$\begin{array}{c c c c c c c } & & & & & & & & & & & & & & & & & & &$		Bi _{15.32} Cd ₁₀ (PO ₄) ₁₀ O ₁₈	Bi _{5.625} Cu _{2.062} (PO ₄) ₃ O ₆	$Bi_{20}Cd_{7.42}Cu_{0.58}O_{24}(PO_4)_{12}$
		Crystal Da	ta	
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	symmetry	orthorhombic	monoclinic	orthorhombic
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	space group $a(\dot{A})$	Pbam 22.020 (4)	$P2_1/m$ 11,502(2)	10m2
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	$a(\mathbf{A})$ $b(\mathbf{\hat{A}})$	23.020 (4) 5 4403(09)	11.392(3) 5 3227(13)	5 3794(2)
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	$\mathcal{L}(\mathbf{A})$	20 439(4)	24 704(6)	25.0587(7)
$ \begin{array}{ccccc} Y(\tilde{A}^5) & 2559.7(7) & 1526.2(7) & 1272.47(5) \\ Z & 2 & 4 & 1 \\ \hline Data Collection \\ equipment \\ radiation type, \lambda(\tilde{A}) & D_{clad}(Q(cm)) \\ color \\ scan mode & & & & & & & & & & & & & & & & & & &$	β (deg)	20.139(1)	91.020(5)	20:0001(1)
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	$V(Å^3)$	2559.7(7)	1526.2(7)	1272.47(5)
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Z	2	4	1
		Data Collect	ion	
	equipment	Bruker SMART CCD	Bruker SMART CCD	HUBER Guinier G670
$\begin{array}{cccc} D_{color} & 7.361 & 7.342 \\ color & colordess & green \\ \sigma & \sigma & \sigma \\ \theta & min-max (deg) & 2.67-23.29 & 2.39-28.22 & 3-50 \\ \mu & (mm^{-1}) (for λ Ka = 0.7107 Å) & 56.94 & 67.80 \\ T_{min} - T_{max} & 0.02704-0.16506 & 0.01105-0.27755 & 300 \\ 0.005 \\ step scan (deg) & & 0.02704-0.16506 & 0.01105-0.27755 & 300 \\ step scan (deg) & & 0.02704-0.16506 & 0.01105-0.27755 & 300 \\ recording reciprocal space & -24 \leq h \leq 24, & -14 \leq h \leq 14, \\ -6 \leq k \leq 6, & -6 \leq k \leq 6, \\ -22 \leq t \leq 22, & -31 \leq t \leq 31, \\ no. of measured reflns & 8144 & 5702 & 300 \\ no of measured reflns & 8144 & 5702 & 300 \\ no of measured reflns & 8144 & 5702 & 300 & 0.00 - 1.00 0.00 0.00 0.010 & 0.00 0.00 0.010 & 0.00 0.00$	radiation type, λ (Å)	Μο Κα, 0.7107	Μο Κα, 0.7107	Cu Kα ₁ 1.540598
$ \begin{array}{cccccc} color & colorless & green \\ scan mode & \omega & \omega \\ \theta \min - \max (deg) & 2.67 - 23.29 & 2.39 - 28.22 & 3 - 50 \\ (f) for J Ka = 0.7107 Å) & 56.94 & 67.80 & 0.01105 - 0.27755 \\ T(K) & 0.02704 - 0.16506 & 0.01105 - 0.27755 & 300 \\ 0.0005 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 & 5 & 5 & 5 \\ F(m) & 5 & 5 & 5 & 5 & 5 & 5 & 5 & 5 & 5 & $	D_{calcd} (g/cm ³)	7.361	7.342	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	color	colorless	green	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	scan mode	ω	ω	2 50
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	$\theta \min - \max (\deg)$	2.67-23.29	2.39-28.22	3-50
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\mu \text{ (mm^{-1}) (for } \lambda \text{ K} \alpha = 0.7107 \text{ A})$ T : -T	50.94 0.02704-0.16506	0/.80	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$T_{\min} - T_{\max}$ T(K)	0.02704-0.10300	0.01105-0.27755	300
555555555555555555555557665557666767777777777777777777777777777777<	step scan (deg)			0.005
$\begin{array}{cccc} R(int) \begin{pmatrix} \phi_{0} \end{pmatrix}^{\prime} & 5.39 & 9.60 \\ recording reciprocal space & -24 \leq h \leq 24, & -14 \leq h \leq 14, \\ -6 \leq k \leq 6, & -6 \leq k \leq 6, \\ -22 \leq l \leq 22, & -31 \leq l \leq 31, \\ no. of measured reflns & 8144 & 5702 \\ limited faces and distances (mm) & 0.00 - 1.00 0.00 0.2350 & 0.00 - 1.00 0.00 0.100 \\ from an arbitrary origin & 0.00 - 1.00 0.00 0.2350 & 0.00 - 1.00 0.00 0.100 \\ 0.00 0.100 0.00 0.0220 & 1.00 0.00 0.00 0.010 \\ 0.00 0.00 0.00 0$	time step (s)			5
$\begin{array}{cccc} \mbox{recording reciprocal space} & -24 \le h \le 24, & -14 \le h \le 14, \\ -6 \le k \le 6, & -6 \le k \le 6, \\ -22 \le l \le 22, & -31 \le l \le 31, \\ \mbox{struct} reflns, & 1143/1350 & 1239/2053 & 492 \\ \mbox{limited faces and distances (mm)} & 0.00 - 1.00 0.00 0.2350 & 0.00 - 1.00 0.00 0.010 \\ \mbox{from an arbitrary origin} & 0.00 - 1.00 0.00 0.2350 & 0.00 - 1.00 0.00 0.010 \\ -1.00 0.00 0.00 0.0220 & 1.00 0.00 0.00 0.010 \\ -1.00 0.00 0.00 0.0220 & -1.00 0.00 0.010 \\ 0.00 0.00 - 1.00 0.0180 & 0.00 0.00 1.00 0.017 \\ 0.00 - 1.00 - 1.00 - 0.00 0.017 \\ 1.00 - 1.00 - 1.00 - 0.00 0.55 \end{array}$	R(int) (%)	5.39	9.60	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	recording reciprocal space	$-24 \le h \le 24,$	$-14 \le h \le 14,$	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$-6 \le k \le 6,$	$-6 \le k \le 6,$	
no. of measured refins8144 $5/02$ no. of ind. reflus. ($I > 3\sigma(I)$)/total1113/13501239/2053492limited faces and distances (mm) $0.00 - 1.00 0.00 0.2350$ $0.00 - 1.00 0.00 0.0100$ $-1.00 0.00 0.0100$ from an arbitrary origin $0.00 - 1.00 0.00 0.220$ $1.00 0.00 0.00 0.0100$ $-1.00 0.00 0.00 0.0100$ $-1.00 0.00 0.00 0.0220$ $-1.00 0.00 0.00 0.0100$ $-1.00 0.00 0.00 0.00 0.0100$ $-1.00 0.00 0.00 0.00 0.0100$ $0.00 0.00 - 1.00 0.00 0.00 0.00 0.00 0.0$		$-22 \le l \le 22,$	$-31 \le l \le 31,$	
no. of ind. refins. $(I > 30(I))/total$ 1113/1550123/2053492limited faces and distances (mm)0.00 -1.00 0.00 0.23500.00 1.00 0.00 0.00 0.010492from an arbitrary origin0.00 -1.00 0.00 0.23500.00 -1.00 0.00 0.00 0.010 $-1.00 0.00 0.00 0.00 0.00 0.010$ 1.00 0.00 0.00 0.00 0.0220-1.00 0.00 0.00 0.00 0.010 $-1.00 0.00 0.00 0.00 0.00 0.00 0.010$ 0.00 0.00 0.00 0.00 0.01800.00 0.00 0.00 0.017 $0.00 -1.00 0.017$ 0.00 -1.00 0.01800.00 0.00 0.00 0.00 0.017 $0.00 -1.00 0.017$ 0.00 -1.00 0.01800.00 0.00 0.00 0.00 0.005567refinement method, programL.S. on F, Jana 2000L.S. on F, Jana 2000R1(F) [I > 207]/R1(F) [all data] (%)4.04/5.096.35/10.21wR2(F2) [I > 207]/R1(F) [all data](%)4.04/5.09(%), $w = 1/(\sigma^2)$ 8.791.34R _{wp} (%)8.79R _{bragg} (%)8.79 R_{bragg} (%)8.79 R_{bragg} (%)0.097 R_{bragg} (%)0.097 QF 0.0958 (10)GOF1.097max, min. residual electron density2.298, -3.534extinction coefficient0.000057(14)profile function0.000057(14)profile functionpseudo-Voigt, $\eta = 0.849$ (7) $U = 0.795$ (16),	no. of measured refins $(1 \ge 2 - (1))/(1 \le 1)$	8144	5702	102
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	no. of ind. refins. $(I \ge 3\sigma(I))/total$	1113/1350 0.00 - 1.00 0.00 0.2250	1239/2053	492
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	from an arbitrary origin	$0.00 = 1.00 \ 0.00 \ 0.2350$	0.00 - 1.00 0.00 0.100	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	from an arbitrary origin	-1.00, 0.00, 0.00, 0.02330		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		1 00 0 00 0 00 0 0220	-1.000.00000000000000000000000000000000	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		0.000000 - 1.0000180	0 00 0 00 1 00 0 017	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		0.00.0.00.1.00.0.0180	0.0000000 - 1.0000017	
$\begin{array}{c c c c c c c c c c c c c c c c c c c $			1.00 - 1.00 - 7.00 0.055	
no. of refined params20921767refinement method, programL.S. on F, Jana 2000L.S. on F, Jana 2000Rietveld, FULLPROF $R1(F) [I > 2\sigma I]/R1(F) [all data] (%)$ 4.04/5.096.35/10.21Rietveld, FULLPROF $wR2(F^2) [I > 2\sigma I]/wR2(F^2) [all data]$ 10.37/10.866.21/7.0917.2 $(\%), w = 1/(\sigma^2)$ 7020.38.79 $R_{wp} (\%)$ 20.38.792.37 $R_{pragg} (\%)$ 2.370.990.0528 (10) QOF 1.0971.3411.78, -8.37wax, min. residual electron density2.298, -3.53411.78, -8.37waxinction coefficient0.000057(14)0.0066(15)pseudo-Voigt, η = 0.849 (7) $U = 0.795 (16),$ 10.971.34		Refinemer	at	
Interferent method, program refinement method, program R1(F) $[I \ge 2\sigma I]/R1(F)$ [all data] (%) $WR2(F^2)$ [$I \ge 2\sigma I]/WR2(F^2)$ [all data] (%) $WR2(F^2)$ [$I \ge 2\sigma I]/WR2(F^2)$ [all data] 10.37/10.86 $(\%), w = 1/(\sigma^2)$ R_{wp} (%) R_{p} (%) R_{p} (%) R_{p} (%) R_{p} (%) $Q_{2,37}$ χ^2 zero point GOF GOF $Max, min. residual electron densityextinction coefficientprofile functionL.S. on F, Jana 20006.35/10.216.21/7.09Rietveld, FULLPROFRietveld, FULLPROF10.37/10.860.37/10.860.37/10.86WP(\%)R_{p} (%)\chi^2Zero pointGOFMax, min. residual electron density2.298, -3.5340.000057(14)1.3411.78, -8.370.0066(15)1.097U = 0.795 (16),$	no of refined params	209	217	67
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	refinement method, program	L.S. on F, Jana 2000	L.S. on F, Jana 2000	Rietveld, FULLPROF
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	$R1(F) [I > 2\sigma I]/R1(F)$ [all data] (%)	4.04/5.09	6.35/10.21	
	$wR2(F^2)$ [$I \ge 2\sigma I$]/ $wR2(F^2)$ [all data]	10.37/10.86	6.21/7.09	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$(\%), w = 1/(\sigma^2)$			
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$R_{\rm wp}$ (%)			17.2
R_{Bragg} (%) 8.79 R_F (%) 2.37 χ^2 0.99 zero point 0.0528 (10) GOF 1.097 1.34 max., min. residual electron density 2.298, -3.534 11.78, -8.37 extinction coefficient 0.000057(14) 0.0066(15) profile function pseudo-Voigt, η = 0.849 (7) U = 0.795 (16),	$R_{\rm p}$ (%)			20.3
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$R_{\text{Bragg}}(\%)$			0.79
λ zero point 0.0528 (10) GOF 1.097 1.34 max., min. residual electron density 2.298, -3.534 11.78, -8.37 extinction coefficient 0.000057(14) 0.0066(15) profile function pseudo-Voigt, η = 0.849 (7) U = 0.795 (16),	χ^2			0.99
GOF 1.097 1.34 max., min. residual electron density 2.298, -3.534 11.78, -8.37 extinction coefficient 0.000057(14) 0.0066(15) profile function $U = 0.795$ (16), $U = 0.795$ (16),	zero point			0.0528 (10)
max., min. residual electron density $2.298, -3.534$ $11.78, -8.37$ extinction coefficient $0.000057(14)$ $0.0066(15)$ profile function $U = 0.795 (16),$	GOF	1.097	1.34	
extinction coefficient $0.000057(14)$ $0.0066(15)$ profile function $U = 0.795 (16),$	max., min. residual electron density	2.298, -3.534	11.78, -8.37	
profile function pseudo-Voigt, $\eta = 0.849$ (7) U = 0.795 (16),	extinction coefficient	0.000057(14)	0.0066(15)	
U = 0.795 (16),	profile function			pseudo-Voigt, $\eta = 0.849$ (7)
V = -0.250(10)				U = 0.795 (10), V = 0.650(12)
v = -0.50(12), W = 0.150(2),				v = -0.050(12), W = 0.150(2)
asymmetry $w = 0.130(2)$ as1 = 0.124(2) = 0.024(1)	asymmetry			$as_{1,2} = 0.124(2) - 0.024(1)$

asymmetry

closed 8(i) positions. Three phosphorus molecules and their apexes are located between the ribbons. The P-O distances and O-P-O angle values vary from 1.45(6) to 1.713(5) Å and 94.76(1.8) to 119.91(1.6)°, respectively. It is noteworthy that, compared to the already published "disordered" oxide-phosphate compounds, the observed PO₄ tetrahedra are significantly less disordered and distorted. Two tetrahedral configurations are located around both P(1) and P(2) with 66-33% respective occupancy, in direct relation to their neighboring Bi(5)/Cd(5) cations. However, P(3) shows a single tetrahedral environment, as shown on the Figure 2. Finally, the tunnels (t) whose sections are formed by P(2)O₄ and P(3)O₄ are occupied by Cd(a) (8(i) site, occupancy = 66%) and Cd(b) ((f) site, occupancy = 34%). A constraint limiting the Cd(a) + Cd(b) mean occupancy of the tunnels was introduced to balance the electroneutrality of the crystal. Results of the refinement are listed in Table 1. Atomic parameters and bond lengths are given in Table 2.

Crystal Structure Description. According to the formalism based on arrangement of O(Bi,Cd)₄ in infinite 2D ribbons *n* tetrahedra wide, O(2) and O(3) are at the centers of the tetrahedral interstices of $[Bi_2Cd_4O_4]^{+6}$ double ribbons. O(1), O(4), and O(5) form six-tetrahedra-wide polycations. Compared to ribbons with $n \leq 3$, the two central tetrahedra are modified by O(6)Bi(4)Bi(1)₂Bi(2)₂ square pyramids growing along the a axis. The O(6) oxygen is off-centered from the center of the pyramid basis, e.g., $O-Bi = 2 \times 2.86(1)$, 2.43-(4), and 3.37(4) Å. It gives rise to an intermediate pyramidal/ tetrahedral character. The sextuplet ribbon formula is [Bi_{11.34}-



Figure 1. [010] zone axis pattern of (a) H/Qtt, (b) Dtt/H, P⁻ Bravais lattice, and (c) tP/tP, body-centered structural types.



Figure 2. $Bi_{15,32}Cd_{10}(PO_4)_{10}O_{18}$: competition of two tetrahedral configurations around (a) P1 and (b) and P2, and (c) one single O₄ tetrahedron around P3.

 $Cd_{2.66}O_{12}]^{+15.34}$. Six and eight PO₄ groups surround double (D) and sextuplet (H) ribbons, respectively. The sequence of this structure can be noted Dtt/H, according to the nomenclature defined in **ref** 33, Figure 3a. As shown in panels b and c of Figure 3, the square pyramid substitutes a PO₄ group with the smallest steric volume, thus enabling a good PO₄-ribbon cohesion.

Tunnel Filling. The Cda and Cdb cations occupy tunnels parallel to the (010) direction. These tunnels are bordered by $P(2)O_4$ and $P(3)O_4$ corners. However, the apparent disorder highlighted by partial occupancies of both Cd(a)/Cd(b) and $P(2)O_4a/P(2)O_4b$ may not be so statistical. Therefore, it is noteworthy that the occupancy of the Cd(a)/Cd(b) atoms in the tunnels is related to those of the mixed Bi/Cd(5) sites and the competing phosphate configura-



Figure 3. $Bi_{15.32}Cd_{10}(PO_4)_{10}O_{18}$: (a) projection along the (010) direction giving the Dtt/H sequence prominence, (b) view of the square pyramid OBi₅ substituting a PO₄ group, and (c) P–P and P–Bi(4) distances above the ribbon plane.



Figure 4. PO₄ surrounding and partial ordering of the tunnels guests. (a) $Bi_{15,32}Cd_{10}(PO_4)_{10}O_{18}$: ideal ordered [Cd(a)-Cd(a)-Cd(a)-Cd(b)-Cd(a)] segments in three subsequent unit cells with respect to the refined occupancies. (b) $Bi_{5,62}Cu_{2.07}(PO_4)_3O_6$: ideal ordered [Cu(c)-Cu(b)-Cu-(a)-Cu(a)] fragments along *b*.

tions. Thus, according to realistic Cd–O distances and the refined occupancies, it is possible to deduce one and one only ordered Cd(a)/Cd(b) sequence along the tunnel direction. It is shown in Figure 4a and involves ordered [Cd(a)–Cd(a)–Cd(a)–Cd(b)–Cd(a)] segments in three subsequent unit cells with respect the Cd(a)/Cd(b) refined ratio, i.e., Cd(a)/Cd(b) = 1/4. Cd–Cd distances then vary between 2.55(2) and 3.88(1) Å. They are coordinated by 1 P(3)O₄, 2/3 P(2)O₄a, and 1/3 P(2)O₄b. It leads to strongly distorted octahedra around Cd²⁺, likely for this cation, Table 2.

a Parameter Doubling. The *a* parameter value is doubled compared to the $a \approx 11.5$ Å value usually observed in these series of compounds. This phenomenon is performed with respect to the *Pbam* symmetry. The combination of the *b* and *a* glides creates D and H images that almost correspond to *a*/2-translated ribbons, i.e., it is due to the particular *x* and/or *y* coordinates of Bi and O. The regular part of the ribbons is then almost unchanged through the unit-cell doubling. This feature is not kept anymore for Bi(6)–O(4)

Table 2. Selected Bond Lengths (A	Å) for Bi _{15.32} Cd ₁₀ (PO ₄) ₁₀ O ₁₈
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		Intraribbon O-	-Bi/Cd Bond			
	D ribbons		H ribbons			
$\begin{array}{ccc} O(3)-Cd(7) & 2 \times 2.16(3) \\ O(3)-Bi(6) & 2 \times 2.27(3) \\ O(2)-G4(7) & 2 \times 2.10(2) \end{array}$		$\times 2.16(3)$ $\times 2.27(3)$ $\times 2.19(3)$	O(1)-Bi(2) O(1)-Bi(3)	$2 \times 2.31(2)$ $2 \times 2.25(2)$		
0(2) Cu(7)	2	× 2.17(3)	$\begin{array}{llllllllllllllllllllllllllllllllllll$		23(3) 20(2) 25(2) 28(3) 23(3)/2.25(3) 43(4) 86(2)	
		PO ₄ Bonds in Compet	iting Configurations	2.01(4)	
P(1)-O		P(2)-O		P(3)-O		
$\begin{array}{c} P(1)-Op(11) \\ P(1)-Op(11) \\ P(1)-Op(14) \\ P(1)-Op(12) \\ P(1)-Op(12) \\ P(1)-Op(13) \\ P(1)-Op(15) \\ P(1)-Op(15) \end{array}$	$\begin{array}{c} 1.52(7) \\ 1.52(7) \\ 1.71(8) \\ 1.46(4) \\ 1.46(4) \\ 1.48(8) \\ 1.52(6) \\ 1.52(6) \end{array}$	$\begin{array}{c} P(2)-Op(21)\\ P(2)-Op(22)\\ P(2)-Op(23)\\ P(2)-Op(24)\\ P(2)-Op(21)\\ P(2)-Op(25)\\ P(2)-Op(25)\\ P(2)-Op(26)\\ P(2)-Op(27)\\ P(2)-Op(21) \end{array}$	$\begin{array}{c} 1.49(2) \\ 1.43(4) \\ 1.52(5) \\ 1.62(5) \\ 1.49(2) \\ 1.56(6) \\ 1.72(7) \\ 1.67(12) \\ 1.49(2) \end{array}$	P(3)-Op(31) P(3)-Op(32) P(3)-Op(33) P(3)-Op(34)	1.52(3) 1.46(4) 1.50(4) 1.52(3)	
		Possible Cd-0	O in Tunnels			
Cd(a) oct 1		Cd(a) oc	Cd(a) oct 2		Cd(b) oct	
Cd(a)-OP(34) Cd(a)-OP(25) Cd(a)-OP(22) Cd(a)-OP(23) Cd(a)-OP(26) Cd(a)-OP(31)	2.27(3) 2.89(8) 2.36(6) 2.35(5) 2.19(7) 2.68(3)	$\begin{array}{c} Cd(a) - OP(23) \\ Cd(a) - OP(23) \\ Cd(a) - OP(26) \\ Cd(a) - OP(27) \\ Cd(a) - OP(31) \\ Cd(a) - OP(34) \end{array}$	2.35(5) 1.969(5) 2.51(7) 2.92(2) 2.68(3) 2.27(3)	Cd(b)-OP(23) Cd(b)-OP(22) Cd(b)-OP(34)	$2 \times 2.06(5)$ $2 \times 269(6)$ $2 \times 2.34(4)$	

excrescences that show different y altitudes in the two subcells. In the same manner, tunnels and PO₄ are reversed in the next subcell, through the (1/2 + x, 1/2 - y, z) a glide symmetry operation. Figure 2a shows pertinent y coordinates in the two adjacent subcells.

General Formula. The Dtt/H structural type can be assigned to the general formula: $H_1D_1t_2(PO_4)_{10}$ with $H = Bi_{12}(Bi/M)_4O_{14}$, $D = Bi_4(Bi/M)_4O_4$, $t = M_{x<2}$. As explained in Part 1, the mixed Bi/M positions denote the statistically filled edges of ribbons, whereas the x < 2 occupancy denotes the partially M^{2+} filled tunnels under reasonable M-M distances along the *b* axis. So far, it has not been possible to obtain pure powder of this new structural type using a number of M^{2+} cations and variable Bi/M and *x* occupancies. However, the crystal structure refined here is on the basis of the image code establishment reported in Part 1 available for ribbons with n > 3.

Verification of the Postulated New H/Qtt Ribbon Sequence in Bi_{5.62}Cu_{2.07}(PO₄)₃O₆

Recall and Strategy. In Part 1, in a sample of nominal composition BiCo₂PO₆, the presence of a new orthorhombic phase with parameters $a \approx 5.5$ Å, $b \approx 11.5$ Å, and $c \approx 25$ Å was shown by ED. The HREM investigation led to

postulating the new H/Qtt structural type, where H, Q, and t stand for six-tetrahedra-wide (hexa) ribbons, four-tetrahedrawide (quadra) ribbons, and tunnels separated by isolated PO₄ groups, respectively. The deduced mean formula for this new type would be H₁Q₁t₂(PO₄)₆, where H = Bi₁₂(Bi/M)₄O₁₄, Q = Bi₈(Bi/M)₄O₁₀, and t = M_{x<2}, leading to Bi₂₀(Bi,M)₈O₂₄-(PO₄)₁₂M_{x<4}. In the search for structural validation of this model, a great number of compounds with various M²⁺ nature and edges of ribbon and tunnel occupancies have been tested. None show a powder pattern fully indexable with the pertinent unit cell. Finally, single crystals prepared from the heating/controlled cooling of a sample of composition Bi₂₀-Cu₈P₁₂O₆₈ coincide with this new structural type.

Structural Refinement. After data collection, the 5702 reflections $(I > 3\sigma(I))$ corrected from the absorption were merged in different Laue group symmetries. The symmetry is monoclinic pseudo-orthorhombic $(a = 11.591(3) \text{ Å}, b = 5.3227(13) \text{ Å}, c = 24.740(6) \text{ Å}, and \beta = 91.02 (1)^\circ)$, but the high value of $R_{int} = 9.52\%$ suggests disorder problems and the medium quality of the crystal. The refinement was performed in the $P2_1/m$ space group in good agreement with the ED investigation, Figure 1b.

Fourteen heavy atoms form the ribbon-based framework. Two mixed Bi/Cu(11 and 13) sites have been refined to 0.75-(2)/0.25 for an acceptable thermal parameter. Six independent phosphate groups, surprisingly, show a single PO₄ surround-

⁽³³⁾ Huvé, M.; Colmont, M.; Mentré, O. Chem. Mater. 2004, 16 (13), 2628.

Table 3. Selected Bond Lengths (A	Å) for Bi5.625Cu2.062(PO4)3O6
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		Intraribbon O	-Bi/Cu Bond			
Q ril	bbons	H ribbons				
$\begin{array}{c} O(3)-Bi(5)\\ O(3)-Bi(6)\\ 2.016(8)\\ O(5)-Cu/Bi(11)\\ O(5)-Cu/Bi(13)\\ O(5)-Bi(5)\\ O(5)-Bi(8)\\ O(7)-Bi(5)\\ O(7)-Bi(6)\\ O(7)-Bi(8)\\ O(7)-Bi(9) \end{array}$	$\begin{array}{c} 2.24(4)\\ 2\times 2.32(4)\\ 2.26(4)\\ 2.03(3)\\ 2.02(3)\\ 2.32(3)\\ 2.23(3)\\ 2.79(5)\\ 2\times 2.84(2)\\ 2.97(5)\\ 2.00(5)\end{array}$	O(1)-Bi(1) O(1)-Bi(2) O(1)-Bi(3) O(2)-Bi(1) O(2)-Bi(2) O(2)-Bi(4) O(2)-Bi(7)	$\begin{array}{c} 2.27(3) \\ 2.29(3) \\ 2 \times 2.29(3) \\ 2.32(3) \\ 2.31(3) \\ 2.23(3) \\ 2.31(3) \end{array}$	$\begin{array}{l} O(4)-Bi(4)\\ O(4)-Bi(7)\\ O(4)-Bi(10)\\ O(4)-Cu(12)\\ O(6)-Bi(1)\\ O(6)-Bi(2)\\ O(6)-Bi(3)\\ O(6)-Bi(3)\\ O(6)-Bi(14) \end{array}$	$\begin{array}{c} 2.30(4) \\ 2.30(4) \\ 2.15(4) \\ 2.10(4) \\ 2.97(7) \\ 2.76(7) \\ 2 \times 2.86(3) \\ 1.98(7) \end{array}$	
		PO ₄ E	Bonds			
P(1)	P(1)-O		P(2)-O		P(3)-O	
P(1)-OP(11) P(1)-O(12) P(3)-OP(13)	1.45(6) 1.54(8) $2 \times 1.44(4)$	P(2)-Op(21) P(2)-Op(22) P(2)-Op(23)	$1.45(6) \\ 1.61(5) \\ 2 \times 1.52(6)$	P(3)-Op(31) P(3)-Op(32) P(3)-Op(32)	$ \begin{array}{r} 1.51(9) \\ 2 \times 1.60(8) \\ 1.35(8) \end{array} $	
P(4)	P(4)-O		P(5)-O		P(6)-O	
P(4)-Op(41) P(4)-Op(42) P(4)-Op(43)	$ \begin{array}{r} 1.60(6) \\ 1.41(6) \\ 2 \times 1.53(4) \end{array} $	P(5)-Op(51) P(5)-Op(52) P(5)-Op(53) Possible Cu-	$ \begin{array}{r} 1.51(6) \\ 2 \times 1.60(4) \\ 1.53(4) \\ O in Tunnels \end{array} $	P(6)-Op(61) P(6)-Op(62) P(6)-Op(63)	$ \begin{array}{r} 1.60(7) \\ 1.41(10) \\ 2 \times 1.53(7) \end{array} $	
Cu(a) octa		Cu(b) tetra		Cu(c) penta		
Cu(a)-OP(12) Cu(a)-OP(62) Cu(a)-OP(43) Cu(a)-OP(32) Cu(a)-OP(33) Cu(a)-OP(63) Cu(a	2.38(7) 2.02(8) 2.09(2) 2.78(1) 1.66(9) 266(2)	Cu(b)-OP(62) Cu(b)-OP(12) Cu(b)-OP(33)	$ \begin{array}{r} 1.86(2) \\ 1.82(9) \\ 2 \times 2.73(3) \end{array} $	Cu(c)-OP(62) Cu(c)-OP(63) Cu(c)-OP(33) Cu(c)-OP(43)	$2.77(4) 2 \times 2.44(2) 1.69(15) 1.77(2)$	

ing the tetrahedral configuration. However, one should note that some O-O = 2.7 Å, distance restraints used around P(2) and P(6) to impose a realistic tetrahedral geometry. Cations Cu(a), Cu(b), and Cu(c) have been located in the single independent tunnel. Their occupancies were restrained to balance the electroneutrality of the crystal. As commonly observed for monoclinic structures with β closed to 90°, the introduction of the $hk\bar{l}$ twin law improved the refinement, i.e., $\sim 1\%$ loss in R_1 , leading to $R_1 = 6.35\%$. The volumetric crystal 2/crystal 1 ratio is refined to 7.6%/92.4%. Many residual strong peaks ($\sim 10 \text{ e}^{-}/\text{Å}^{3}$) subsist on final Fourier difference maps. They are located close to the heavy atoms and suggest bad quality of the crystal, unoptimized absorption corrections, and disorder problems. We have not been able to get a better refinement by changing the absorption corrections or the space group symmetry $(P2_1, Pm, ...)$. One should then consider the proposed crystals structure as being imperfect (probably at the level of PO₄ configurations) but certainly showing the true ribbon arrangement and surroundings. Crystal and refinement parameters are listed in Table 1. Atomic positions and bond lengths are reported in Table 3.

Structure Description and Formulation. The crystal structure projected along *b* is shown in Figure 5a. The H/Qtt postulated sequence from the HREM analysis is fully observed. Both sextuplet ribbons (H) and quadruplet ribbons (Q) show fins formed by OBi₅ pyramids. This observation reinforces the critical n = 3 tetrahedra wide ribbon value



Figure 5. Bi_{5.625}Cu_{2.062}(PO₄)₃O₆: (a) projection along the (010) direction giving the H/Qtt sequence prominence; (b and c) Bi(14) substitutes a PO₄ group above H ribbons; (c) Bi(9) substitutes a PO₄ group above Q ribbons.

for their ideal 2D character. As deduced in Part 1 from steric considerations, 12 and eight PO₄ groups surround H and Q, respectively, leading to the general formula $H_1Q_1t_2(PO_4)_6$, where $H = Bi_{12}(Bi/M)_4O_{14}$, $Q = Bi_8(Bi/M)_4O_{10}$, and $t = M_{x<2}$. The mean formula for this new structural type is Bi₂₀-(Bi,M)_8O_{24}(PO_4)_{12}M_{x<4}. Applied to the investigated crystal,

it becomes $H = [Bi_{14}Cu_2O_{14}]^{+18}$, $Q = [Bi_{11.24}Cu_{0.76}O_{10}]^{+15.24}$, and $t = Cu_{2.2}$ with a slight content excess.

In panels b and c of Figure 5 are shown the PO₄/ribbon fin arrangement with respect to ribbons H and Q. Once more, the substituting role of OBi₅ pyramids for PO₄ is evidenced. Once again, the central oxygen atom is off centered in its Bi₅ environment but significantly less so than in the previous compound. O–Bi distances to the square Bi₄ planes are in the 2.75–2.98 Å range. As performed above in the Dtt/H case, the fine analysis of tunnel content shows possible ordered [Cu(c)–Cu(b)–Cu(a)–Cu(a)] fragments, as shown in Figure 3b. They show Cu–Cu separations between 2.9 and 3.9 Å along the tunnels and Cu coordination between 4 and 6; see Table 3.

Monoclinic Symmetry. The symmetry lowering from orthorhombic to monoclinic is evidenced by the value of $\beta = 91.05(1)^\circ$, very close to 90°. The loss of the mirror perpendicular to *c* is mainly due to the OBi₅ fins of the Q and H ribbons that are shifted 0.25 Å *c* out of the pseudomirror (at z = 0 and 1/2) planes with respect to the 2₁ helicoidal axis along *b*.

Verification of the New tP/Pt Structural Type

Recall and Synthesis Strategy. First clues of these new structural types have been observed in the sample of composition $BiCd_{0.29}Cu_{0.03}P_{0.59}O_{3.29}$ that contains a mixture of Dtt/H-like compound and at least one unidentified additional phase (orthorhombic I lattice, $a \approx 5.5$ Å, $b \approx$ 11.5 Å, and c = 25 Å). The ED/HREM investigation let us conclude there was a new phase with five-tetrahedra-wide ribbons (P, for penta). Within the hypothesis of a correctly deduced structural model, the mean formula would correspond to $Bi_{20}(Bi,M)_8$ $M_{x<4}O_{24}(PO_4)_{12}$, and the isomeric character of the tP/Pt and the H/Qtt structural types has already been noticed. A priori, their isomeric character should not help in the preparation of pure materials. However, the synthesis of the BiCd_{0.22}Cu_{0.11}P_{0.562}O_{3.24} sample led to a powder XRD pattern almost fully indexable using the *I*-centered orthorhombic unit cell, a = 11.663(8) Å, b =5.381(5) Å, and c = 25.066(11) Å. For the ab initio powder structure determination and Rietveld refinement presented below, only a few unassigned diffraction lines have been excluded from the diagram.

Structure Refinement. The observation of the XRD powder pattern indicates compatible space groups *Ibm2* or *Ibmm* and agrees well with the previous ED investigation on isomorphous compounds, Figure 1c. However, as strongly suggested by the acentric [010] HREM image and deduced structural arrangement, see Part 1,¹ *Ibm2* was preferred. After the profile-fitting stage resumed in Table 1, the integrated intensities were used for structure determination using SHELXS. This leads to the localization of seven metal sites that form the ribbons. The mixed nature of the edges of ribbons has been refined on the basis of acceptable thermal parameter values. The phosphorus, oxygen of the ribbons, and Cd atoms of the tunnel guests have been located on subsequent Fourier difference maps. It is noteworthy that our attempts to locate PO₄ corners failed due to disorder



Figure 6. Observed (dots) and calculated (continuous line) XRD patterns and their difference for $Bi_{20}Cd_{7,42}Cu_{0.58}O_{24}(PO_4)_{12}$.

Table 4. Selected Bond Lengths (Å) of P Ribbons in $BiCu_{0.11}Cd_{0.22}$ $(PO_4)_{0.56}O_1$

O(1)-Cd(7)	$2 \times 2.157(5)$	O(2)-Bi(4)	$2 \times 2.305(6)$
O(1)-Bi(4	$2 \times 2.385(5)$	O(2) - Bi(2)	$2 \times 2.257(8)$
O(3)-Bi(2)	$2 \times 2.490(7)$	O(4)-Bi(3)	$2 \times 2.711(5)$
O(3)-Bi(3)	$2 \times 2.151(3)$	O(4) - Bi(5)	$2 \times 1.939(3)$
O(5) - Bi(5)	$2 \times 2.03(3)$	O(6)-Bi(2)	3.285(4)
O(5) - Cd(9)	$2 \times 2.03(3)$	O(6)-Bi(3)	2.998(1)
		O(6)-Bi(5)	2.714(1)
		O(6)-Bi(6)	1.786(3)

problems. Effectively, Fourier difference maps show a number of broad residual peaks around P. This feature is quite commonly observed on these series of compounds, and it has been shown that even neutron diffraction (not available here, because the sample contains strongly absorbing cadmium) is helpless in most of the cases of these series as far as powder diffraction is concerned.¹⁷ Therefore, in the presented results, only the central phosphorus are given. Furthermore, the refined formula is Bi₂₀Cd_{7,42}Cu_{0.58}O₂₄(PO₄)₁₂ instead of the prepared Bi₂₀Cd_{4.4}Cu_{2.2}P_{11.2}O₆₅ sample. This discrepancy supports the presence of a second minor phase in the sample but also shows the difficulties in refining this kind of disordered crystal structure from powder diffraction data only. At this point, one should remember that the presented model respects the true ribbon-based framework but cannot be considered as being an accurate crystallographic work. The atomic coordinates and distances are listed in Table 4. The observed and calculated diffraction patterns and their differences are shown in Figure 6, conveying a reliable refinement. The projection of the structure is shown in Figure 7.

Discussion

As mentioned in the Introduction, several chemical systems based on rare earth, lanthanides, or other metals are very convenient for a structural description on the basis of oxocentered OM₄ tetrahedra assemblies in various edifices. For instance, it has been shown that this concept is very convenient for clearly viewing the relationships between the α -, β -, and recent ϵ -Bi2O3 polymorphs through the reorganization of infinite [Bi₂O₃] single chains formed of OBi₄



Figure 7. $Bi_{20}Cd_{7.42}Cu_{0.58}O_{24}(PO_4)_{12}$: (a) projection along the (010) direction giving the tP/tP sequence prominence. The PO₄ orientation is assumed from the central P refined positions; (b) Bi(6) substitutes a PO₄ group; (c) P–P and P–Bi distances above the ribbon plane.

edge-sharing tetrahedra.³⁴ In the case of Pb²⁺, it is isoelectronic with Bi³⁺. Lead oxide salts are usually described in terms of 1D-2D edifices on the basis of the linkage of OPb_4 units. These structural blocks can be considered as being derivates from [PbO] layers found in the tetragonal PbO form, in which the layers are separated by ~ 5 Å, which corresponds to the 4-fold axis. Krivovichev et al.²⁴⁻²⁷ described the existing sheets in an elegant way on the basis of the lattice of black (OM₄ filled space) and white squares (lattice vacancies). A number of arrangements then exist and are rapidly distinguished. They range from fully occupied [PbO]/[Bi₂O₂]²⁺-like sheets in tetragonal PbO to $[Bi_2O_2](A_{n-1}B_nO_{3n+1})$ Aurivillius phases (for a more exhaustive list, see ref 26) and lacunar sheets with a number of possible arrangements. Figure 8 shows the lacunar sheets of oxo-centered OPb4 tetrahedra, which form Cresnel-like ribbons, three-tetrahedra-wide Pb₅O₄(CrO₄), and clusters of 2×2 tetrahedra surrounded by vacancies in Pb₈O₅(AsO₄)₂ by comparison to filled [PbO] layers in the tetragonal PbO. Within the series of OM₄-based infinite chains, which are reported in the literature with $M \neq Bi$, one should note $[Pb_2O]^{2+}$ single chains in $Pb_2O(XO_4)$, $X = S^{35}$ Cr,³⁶ Mo,³⁷ W,³⁸..., $[Pb_3O_2]^{2+}$ double chains in $Pb_3O(X)_2$, X = I,³⁹ Cl,⁴⁰ OH,⁴¹ Br, ⁴² ..., and triple [La₄O₃]⁶⁺ in La₄O₃(AsS₃)⁴³... but

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Figure 8. Different lacunar sheets of oxo-centered OPb₄ tetrahedra that form (a) filled [PbO] layers in the tetragonal PbO, (b) Cresnel-like ribbons, three-tetrahedra-wide Pb₅O₄(CrO₄), and (c) corner-sharing clusters of 2 × 2 tetrahedra surrounded by vacancies in Pb₈O₅(AsO₄)₂.

no evidence of infinite ribbons of greater width is reported, which reinforces the innovative interest of the three new compounds. The continuous evolution of Bi3+/M2+/O2polycationic ribbons from the 1D chains of edge-sharing tetrahedra toward 2D ribbons of variable width (n = 2 (D), 3 (T) tetrahedra wide) is then reinforced by the finding in this work of n = 4 (Q), 5 (P), and 6 (H) units. Considering the number of possible arrangements of these ribbons, polycations should be considered as being building units that may arrange together through PO4 surroundings. The nomenclature that we defined^{15-17,23} pictures rather well this associating aspect, e.g., H/Qtt pictures the combination of H and Q ribbons isolated by PO₄ groups that creates two tunnels between two Q. Considering the whole series of materials of this type discovered so far, the common structural features of ribbons is the systematic Bi³⁺-only nature of the central cationic positions and the mixed Bi^{3+} M²⁺ nature of the edges of ribbons responsible for the disorder over several PO₄ configurations around them. The O(Bi/M)₄ tetrahedra are rather regular with O-metal distances between 2 and 2.5 Å. However, we have shown here that the perfect compatibility of $n \leq 3$ ribbons with a PO₄ surrounding is largely broken when n > 3. Effectively, for these, the 2D shape is modified by the appearing of so-called fins formed by OBi₅ pyramids. Until the n = 3 critical size, the coordination of both Bi^{3+} and M^{2+} by PO₄ corners is enabled, whereas the substitution of one PO₄³⁻ by a smaller $[Bi-O]^+$ block is necessary with respect to correct Bi-O and M-O distances. Polycations can be formulated as [(Bi/ M)₄Bi_{2n-2}O_{2n}]^{x+} until n = 3; they then become [(Bi/ M)₄Bi_{2n}O_{2n+2}]^{y+} for greater $3 \le n \le 7$ values. These general formulations of ribbons form the first stages of a rationalization of the chemical composition applicable to the full series. The predicting and designing of new compounds is highly attractive when applied to the studied systems. It has already

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Figure 9. Different kinds of ribbons, from the single chain, n = 1 O(Bi/M)₄ tetrahedron wide, to infinite layers.

been successfully applied on the basis of the fruitful concept of building blocks. For instance, inorganic skeletons of porous materials can be designed using a predictive manner to assemble building units,44-46 or new inorganic compounds can be designed from 2D building blocks of fluorite and antifluorite type.47 In our case, it is easily possible to design potential new materials from the association of ribbons, phosphates, and tunnels; the constraining parameters are the geometrical matching ruled by well-known parameters such as the number of PO₄ around each kind of ribbon, whether the tunnel is possible or not, and localization at the center of the four phosphate groups. However, considering the number of available blocks, it seems difficult to generalize a unified process and each case should be treated on its own merit. The various terms isolated to date are shown in Figure 9.

It is obvious that the infinite *n* extension of ideal ribbons leads to the $[Bi_2O_2]^{2+}$ Aurivillius-like layers. However, they are not commonly found sandwiched between layers of isolated tetrahedra, but in perovskite slabs in Aurivilius compounds, edge-sharing compact tetrahedral sheets in BiOCuSe,⁴⁸ or isolated between small anions in Sillen compounds, e.g., Cl⁻ in BiOCl⁴⁹ or OH⁻/NO₃⁻ in Bi₂O₂-(OH)NO₃.⁵⁰

However, it is known that the $Bi_4V_2O_{10.66}$ compound obtained by H_2/N_2 reduction of $Bi_4V_2O_{11}$ shows rearrangement of $[VO_{3.5}]^{2-}$ perovskite layers into $[VO_{3.33}]^{2+}$ slabs with segregated $V^{5+}O_4$ tetrahedra and $V^{4+}O_6$ octahedra. As shown

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Figure 10. Structural analogy between (a) $Bi_4V_2O_{10.66}$ and (b) $Bi_6TiP_2O_{16}$ layers; $[Bi_2O_2]^{2+}$ infinite layers surrounding by (a) $V^{4+}O_6$ and $V^{5+}O_4$ or (b) $Ti^{4+}O_6$ and $P^{5+}O_4$.

on the Figure 10a, its crystal structure shows the first example of the $n \rightarrow \infty$ extension of the polycationic species, n tetrahedra wide, where V4+ octahedra play the role of the fins periodically (every three tetrahedra) on the ribbons. However, during the reduction process, the $[Bi_2O_2]^{2+}$ layers are slightly modified by oxygen displacements, and a closer model can be found in the recently published Bi₆TiP₂O₁₆ that exhibits the same basic framework but is less distorted. It is shown in Figure 10b. In this compound, $[Bi_2O_2]^{2+}$ slabs are sandwiched between [TiP2O16] layers with corner-sharing PO₄ and TiO₆ polyhedra. The apical TiO₆ corners play the role of the central OBi5 anions in Q, P, and H, whereas Ti plays the role of the extra Bi found in ribbon fins. Once more, one TiO₆ and two PO₄ alternate along the ribbon dimension, confirming the probable systematic modification of ribbons for every n > 3 value, Figure 10.

Concluding Remarks

The work presented here should not be considered as the report of only three new structural types in the $Bi_2O_3 - P_2O_5 -$ MO system for the reasons detailed here. First, the Dtt/H crystal structure determination has pointed out the existence of the new H bidimensional polycationic species formed of n = 6 edge-sharing O(Bi,M)₄ tetrahedra. It strongly suggests the existence of a continuous series of polycations from n= 1 to ∞ tetrahedra wide, although only n = 1-3 terms have been described in previous works. In H, strong structural modifications of the ribbon structure have been highlighted compared to prior studies limited to n = 3. This result, explained on its own the strong modification of the HREM contrasts observed on new unknown materials and, with the help of the Dtt/H crystal structure, it has been possible to establish an image code for n > 3. It thus enables us to predict-formulate-synthesize-verify both H/Qtt and tP/Pt new types from the HREM photographs of isolated crystallites in mixtures. By comparison to S (n = 1 tetrahedron wide), D (n = 2), and T (n = 3) ribbon structures, the modification of the ribbons appears to be systematic for n> 3, i.e., Q (n = 4), P (n = 5) and H (n = 6); all show OBi₅ excrescences pointing toward the PO₄ surrounding for a good structural cohesion. This feature should be conserved for hypothetical n > 6 ribbons, because comparable modifications are observed on the [Bi₂O₂]²⁺ infinite planes surrounding phosphates in Bi₆TiP₂O₁₆. Finally, considering the number of polycation arrangements among the series of Bi³⁺/

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 M^{2+} oxophosphates, the self-building-unit role of the ribbons is highlighted, which is theoretically the basis of the suggestion of an unlimited number of new compounds.

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Supporting Information Available: Complementary crystallographic data and CIF files. This material is available free of charge via the Internet at http://pubs.acs.org.

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