A High Performance Liquid Chromatography Investigation of the Nucleophilic Substitution of trans $bis(thiosulphato)bis(ethylenediamine) cobaltate(III)$ **in Water**

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The use of high pressure liquid chromatography, HPLC, as a quantitative analytical technique in kinetic studies of ionic complexes has lagged considerably behind the advances achieved in the considerably being the advances achieved in the organic fictu, afthough some work has now begun to appear $[1]$. In this paper we present a preliminary account of a study which would be impossible using the older analytical techniques since it depends on the analysis of mixtures of complexes having very similar physical and spectral properties.

We have established by kinetic and competition studies that the nucleophilic substitution of *the distribution* staates that the nucleophilic substitution of *trans-*Coen₂ $(S_2O_3)_2$, (en = ethylenediamine), takes place via a simple dissociative D-type mechanism [2] probably *via* a square pyramidal and highly reactive intermediate $Coen₂(S₂O₃)⁺$.

Experimental

The thiosulphatobis(ethylenediamine)cobalt(III) complexes used were prepared using methods described in the literature $[3, 4]$. Other chemicals were used without further purification.

HPLC analysis [S] was performed using a Perkin-Elmer Series 3B Chromatograph, LC-75 photometric detector and Hewlett-Packard 33808 integrator. The separations were produced using a 25×0.5 cm Spherisorb-5 ODS column and an aqueous eluent containing 0.3% tributylmethylammonium bromide adjusted to a pH between 4 and 5 with perchloric acid.

The kinetic experiments were carried out at 25 $^{\circ}$ C and unit ionic strength maintained with sodium perchlorate. The procedure was the same for every run. A solution containing all the reagents except $Coen₂ \alpha$ solution containing an the reagents except coen² $f_{\text{ref}}(5, 15, \text{m})$. The necessary amount of solid complex $f_{\text{ref}}(1, 15, \text{m})$ for 15 min. The necessary amount of solid complex
to produce a final concentration of 0.01 M was then dissolved by vigourously shaking the flask for about

20 sec. Subsequently 1 ml aliyuots of the solution zo see, subsequently I and anywors of the solution were unuita to 10 mm at 0.

Results and Discussion

The stoicheiometric reaction:

trans-Coen₂(S₂O₃)₂⁻ + X⁻
$$
\longrightarrow
$$

\ntrans-Coen₂(S₂O₃)X + S₂O₃²⁻ (1)

occurs apparently with complete retention of stereooccurs apparently with complete retention of stereoreaction. reaction.
Generally the conventional plot [6] for two

opposed pseudo-first order reactions, reactions (1) and (-1) , is linear and its slop is denoted by k_{obs} . The forward rate constant k is calculated from equation (2),

$$
k = k_{\rm obs}/(1 + R_{\infty})
$$
 (2)

where R, is the ratio of the concentrations of where R_{∞} is the ratio of the concentrations of the reactant and product at equilibrium and is made after at least 10 half-lives. Reactions between equal concentrations of complex and nucleophile, (0.01 M), were not pseudo-first order and in those cases a simple log plot of reactant concentration and time was used. The gradients of this curve were corrected was used. The gradients of this curve were corrected
 \cdot the formal using the corrected murvicually for the back-reaction using the corresponding reactant and product concentrations and
the equilibrium constant $K_{1,x}$. At this nucleophile concertration the rate of $f(x)$ of the reacconcentration the rate of the $\ln 3$ to ≈ 3 substituting that tion can be up to a factor of 3 slower than that expected on the basis of the remaining reaction. The same acceleractory period occurs in the hydrolysis reaction and seems to be suppressed by the addition or the formation of the thiosulphate anion. The kinetic analysis was based on data taken after the acceleratory period. The differentiation of the hydrology reaction, and the studies of studies of studies

 $\sum_{i=1}^{\infty}$ in detail but the rate constant formation for the formation formation for the formation of the formation $\sum_{i=1}^{\infty}$ ed in detail but the rate constant for the formation
of *trans*-Coen₂(S₂O₃)(H₂O)⁺ observed at 0.01 *M* total complex concentration, $(6 < pH < 7)$, was 3.5 \times 10⁻⁵ s⁻¹. The value extrapolated from studies [7] of the base catalysed hydrolysis of 0.005 M complex is 2.3×10^{-4} s-l. In the latter case the intervals of 0.003 *M* com- $\frac{1}{3}$ rather than 1 and several corrections of $\frac{1}{3}$ rather than 1 and several corrections strength was 0.5 rather than 1 and several corrections
were needed to allow for the base catalysed path, were needed to anow for the base catalysed path. t_{tot} isometheation and hydrorysis to $\text{coeff}_{2}(0.12)$ of the discrepancy remains surprising and a further study is in progress. Under our conditions, $6 < pH <$ 7, hydrolysis is of minor importance since at equilibr, invariorysis is of million importance since at equilibution of

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 $F_i = 1. \text{ N.t. } i = 0.1 \text{ N.t.$ rig. 1. variation of **K** with hitrite ion concentration. Temperature = 25 °C, ionic strength = 1 (NaClO₄); Curve I:
 $[S_2 O_3^{2-}] = 10^{-3} M$, Curve II; $[S_2 O_3^{2-}] = 0.1 M$.

there is no evidence of the formation of $Coen₂$ - $(OH₂)₂³⁺$. *The* rate constant for the substitution of thio-

sulphate by X^* tends to a limiting value at $\frac{1}{2}$ tends to a limit sulphate by X^- tends to a limiting value at high nucleophile concentrations although in the presence of 0.1 M thiosulphate this limiting behaviour disappears. All cases closely resemble the example shown pears. All cases closely resemble the example shown is consistent with $\frac{1}{n}$ dissociative mechanism similar s is consistent with a dissociative mechanism similar
to that proposed for the related substitution reactions of other cobalt complexes containing *trans-* $\frac{1}{2}$ in the coupling $\frac{1}{2}$: \frac

trans-Coen₂(S₂O₃)₂⁻
$$
\longrightarrow
$$
 Coen₂(S₂O₃)⁺ + S₂O₃²⁻
Coen₂(S₂O₂)^{*} + S₂O₂²⁻ \longrightarrow trans-Coen₂(S₂O₂)⁻ (3)

$$
C_1 \rightarrow C_2 \rightarrow C_3 \rightarrow C_4 \rightarrow C_5
$$
\n
$$
C_1 \rightarrow C_2 \rightarrow C_4 \rightarrow C_5
$$
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$$
C_1 \rightarrow C_2 \rightarrow C_4 \rightarrow C_5
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C_1 \rightarrow C_2 \rightarrow C_4 \rightarrow C_5
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$$
C_1 \rightarrow C_2 \rightarrow C_4 \rightarrow C_5
$$

$$
Coen2(S2O3)' + X' \longrightarrow trans-Coen2(S2O3)X
$$
 (5)

Assuming a steady state concentration for Coen₂- $(S_2O_3)^+$:

$$
k = \frac{k_3 k_{5,X}[X^-]}{k_{5,H_2O}[H_2O] + k_{5,X}[X^-] + k_4[S_2O_3^{2-}]} \tag{6}
$$

 Γ he data for $Y = N = N$ CO², $NQ = -1$ CH₃CO² Fit and for $A = 13$, 1103 , 1102 all cases 0.41 in all cases of the all cases of the all cases 0.41 in all cases 0.41 in all cases of the all ca fit an equation of this form although in all cases k_{5,H_2O} is too small to allow it to be calculated from the rate measurements. The solid lines in Fig. 1 cor-
respond to the equation:

$$
k = \frac{[NO_2^-]}{A[NO_2^-] + B[S_2O_3^{2-}]} \tag{7}
$$

where $A = 1.04 \times 10^4$ s⁻¹ and $B = 1.08 \times 10^5$ s⁻¹. $T_{\rm b}$ constants A and B do \sim 1.00 A 10 S and vary marked $T_{\rm b}$

The constants A and B do not vary markedly where the nature of X suggesting that the rate cons can confirm that $\mathcal{L}(S)$ is the same for an independent directly using the nucleophile mixtures N₃- $N_{\text{O}} = N_{\text{C}}$ and $N_{\text{O}} = 0.1$ T_{max} and NQ_2 exists the lability of T_{max}

the possibility calsts that the iablic aquo-complete trans-Coen₂(S₂O₃)(H₂O)⁺ acts as the intermediate
in the formation of Coen₂(S₂O₃)X but it seems

unlikely in view of the three following lines of \mathcal{C} $^{\text{uninc}}$ ment:
1. The initial rate of formation of $Coen_2(S_2O_3)X$

is not zero.

2. The inhibitory effect of the thiosulphate ion z. The minoriory errect of the throsuphate for $\frac{1}{2}$ in $\frac{1}{2}$

$$
Coen_2(S_2O_3)_2^-\longrightarrow \text{Coen}_2(S_2O_3)(H_2O)^* + S_2O_3^{2-}
$$

\n
$$
\text{Coen}_2(S_2O_3)(H_2O)^* + NO_2^- \longrightarrow
$$
 (8)

$$
Coen2(S2O3)(NO2) + H2O
$$
 (9)

The term B in eqn. *(7)* deduced from this model is I/k α is the equilibrium constant for the eq $1/k_{\rm B}K_{\rm B}$ where $K_{\rm B}$ is the equilibrium constant for the hydrolysis reaction (8). Since we have found $K_{\rm B}$ = 4×10^{-5} mol 1⁻¹ and k₉ = 0.043 1 mol⁻¹ s⁻¹ [3] the value of B should be 5.8×10^5 in gross die value of b should be 3.0×10^{11} m gi $\frac{3.00 \times 10^{3} \text{ m}}{2}$

3. The concentration of $Coen_2(S_2O_3)(H_2O)^+$
required to give the observed values of k for X = NCS required to give the observed values of K for $A = W.S$ and $\frac{1}{2}$ may be calculated from the Known analion rate constants $[3]$. The observed concentrations are all at least a factor of ten less than those calculated.
In short, we have concluded that the evidence

supports the hypothesis that the nucleophilic substi- \sup points the hypothesis that the indetermine substi- $D_t = \frac{1}{2}(\frac{5203}{2})$ takes place via a simple D -type inecritation involving the ingity reactive inter- $\frac{1}{2}$ in $\frac{1}{2}$ square point $\frac{1}{2}$ and that this intermediate in probably square pyramidal in view of the retention
of configuration during substitution.

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