# **Charge Transfer Spectra of Octahedral Transition Metal Complexes**

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*The charge transfer (CTLMJ spectra of octahedral transition metal compounds can be analyzed by using a simple model involving crystal field theory. It is shown that the metal and the ligand environment*  **may** *be considered as two essentially separate, but weakly interacting entities. The charge transfer spectra of a d" system can be treated by using crystal field theory of the corresponding d"+' systems.* 

*The method described here was used in the analysis of tetrahedral transition metal complexes in a previous paper. It seems therefore to be of rather wide applicability* in *the field of transition metal chemistry.* 

### **Introduction**

The absorption spectra of octahedral transition metal complexes provided the experimental basis for Jørgensen's pioneering studies on charge transfer spectra [1]. By means of the concept of optical electronegativity, it was possible to rationalize the position of the lowest energy charge transfer bands within a given series of compounds.

In a previous paper on tetrahedral complexes [2], we developed a general scheme, allowing the description not only of the lowest charge transfer states, but also of the relative position of the higher excited states. The central idea is as follows: a ligand-tometal charge transfer (LMCT) state of a  $d^n$  system can be considered as a state where one electron has been promoted from a ligand orbital to a vacant metal orbital. Therefore this particular type of excited state might be looked upon as arising from a  $d^{n+1}$  configuration. The interelectronic repulsion energy within the d-shell is probably much larger than the repulsion between an electron predominantly centered on the metal and another one, predominantly on the ligands. Therefore a simplified energy level diagram can be constructed as follows: for each relevant ligand field configuration  $t_2^X e^Y$  (x + y = n + 1) the interelectronic repulsion gives rise to a number of different states, whose energy separation can be

described by the Racah parameters B and C. Each of these states is then coupled to the ligand hole; thereby the symmetry and spin labels are changed, but since the coupling is assumed to be comparatively small, the resulting energy splittings will be far less important than the splittings caused by the "intrametal" repulsion. As a consequence, the charge transfer spectrum of a  $d^n$  system can be expected to be  $r_{\text{e}}$  to the ligand field spectrum of the  $\alpha$ rresponding d $^{n+1}$  system.

This model has been worked out in detail for a number of tetrahedral complexes  $[2]$  such as VCl<sub>4</sub>,  $MnO_4^{2-}$ ,  $MnO_4^{3-}$ , FeO<sub>4</sub><sup>-</sup>, Fe(NCS)<sub>4</sub><sup>-</sup> and Fe(NCSe)<sub>4</sub><sup>-</sup>. It is the purpose of this communication to apply the same general ideal to the charge transfer spectra of octahedral transition metal compounds.

## **Choice of the Complexes**

In an absorption spectrum, the observability of the different charge transfer states depends on their accessibility from the ground state. Considering only the electric dipole transition mechanism, the spin and spatial selection rules are immediately obvious in all cases. Table I shows the results of such an analysis for all  $d^n$  systems in an octahedral environment. In eneral, both  $e_2$  and  $t_2$  can be the acceptor orbitals. his gives rise to two different excited configurations per ligand hole; hence the two middle columns in Table I. For certain systems  $-$  designated "a" in the Table  $-$  a given excited configuration gives rise to only *one* charge transfer state, which is accessible from the ground state by the electric dipole mechanism. In these cases, the relative position of the different CT states will be determined primarily by orbital energy differences. In the other cases  $-$  designated " $b$ "  $-$  more than one accessible state corresponds to a given configuration. The category "bl" contains systems where the different states belong to the *same* parent metal term; therefore, the resulting energy splittings are expected to be small. In the category "b2" on the other hand, the different accessible states belong to *different* parent metal terms. Therefore, the energy splittings are much larger and

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| System                   | $e_g = Acceptor$ | $t_{2g}$ = Acceptor | Examples  |
|--------------------------|------------------|---------------------|---|
| $d^1$                    | b2               | $_{\rm b2}$         | $TiF_6^{3-}$<br>Ref <sub>6</sub>  |
| $d^2$                    | b2               | b2                  | $V(H_2O)_6^{3+}$<br>Mo(NCS) $_6^{2-}$   |
| $d^3$                    | $_{\rm b2}$      | $\mathbf{a}$        | $TcX_6^{2-}(X = C1, Br \text{ or } I)$<br>Re $X_6^{2-}(X = C1, Br \text{ or } I)$ |
| $d4$ high spin           | b2               | b2                  | Mn(H <sub>2</sub> O) <sup>3+</sup><br>Cr(H <sub>2</sub> O) <sup>2+</sup>          |
| low spin                 | b2               | b1                  | $O_5X_6^{2-}(X = C1$ or Br)   |
| d <sup>5</sup> high spin | b1               | b1                  | Mn(H <sub>2</sub> O) <sup>2+</sup><br>Mn(en) <sup>2+</sup> ***                    |
| low spin                 | b2               | b1                  | $IrX_6^{2-}(X = Cl \text{ or } Br)$   |
| d <sup>6</sup> high spin | b2               | b1                  | $\text{CoF}_6^{3-}$   |
| low spin                 | $\mathbf a$      | $-$ *               | $IrX_6^{3-}$ (X = Cl or Br)   |
| $d^7$ high spin          | b2               | a                   | Co(NH <sub>3</sub> ) <sup>2+</sup><br>Co(en) <sub>3</sub> <sup>+</sup>            |
| low spin                 | b2               |                     |   |
| $d^8$                    | a                |                     | $Ni(H2O)62+Ni(en)32+$   |
| $d^9$                    | a                |                     | $Cu(H2O)62+**$  |

TABLE I. Group Theoretical Analysis of the CT Excited States in All d<sup>n</sup> Systems with O<sub>h</sub> Symmetry; the Class to Which a Given Complex Belongs is Given for the Two Possible Acceptor Levels.

\*t<sub>2g</sub> cannot be the acceptor level (fully occupied). \*\*Distorted octahedron. \*\*\*en = ethylenediamine.

connected to the crystal field spectrum of the corresponding  $d^{n+1}$  systems. The applicability of the present model is obviously limited to the "b2" cases. Table I contains a number of examples. We selected the  $4d^3$  Tc(IV)- and  $5d^3$  Re(IV)-hexahalides for further study. Indeed, these complexes allow at the same time to evaluate the role of increasing spin-orbit coupling and to assess the relative importance of spin-orbit coupling and electron repulsion effects.

#### Spectral Data

The absorption spectra of the Tc(IV)-hexahalides were studied by a number of authors [3-5]. Figure 1 shows the charge transfer region as given by Jørgensen and Schwochau [3].

For the Re(IV) compounds, most studies are concerned with the ligand field transitions [6-91. Here again, the most complete set of data is given by Jørgensen and Schwochau [3], as shown in Figure 2. The spectra were taken in aqueous solution, to at least 42 kK. The symmetry in solution can be taken to be octahedral [8]. The more detailed polarized absorption spectra of Schenk and Schwochau [10] were not considered because they cover only a range up to 36 kK, and they do not report any data on the iodide complexes.

As a result of the Gaussian analysis of Figures 1 and 2 the values and intensity of certain transitions may be slightly different from the data in the literature.

#### **Theoretical Analysis**

### *One-electron Energy Levels*

Figure 3 shows a qualitative orbital energy level diagram for an octahedral complex. The metal orbitals  $e_g(\sigma^*)$  and  $t_{2g}(\pi^*)$  are only accessible from ingerade ligand orbitals. The  $t_{2u}(\pi)$  functions are Figure ligand orbitals, while  $t_{1u}(\pi^b)$  and  $t_{1u}(\sigma^b)$  are predominantly localized on the ligands. Both sets of  $t_{1u}$ orbitals are at the same time  $\pi$ - and  $\sigma$ -bonding, but in parentheses, the principal bonding mode is designated. The notation of the LCAO-MO coefficients is given in Table II. As for the order of magnitude of these coefficients,  $c_1$ ,  $c'_1$ ,  $c'_3$  and  $c''_2$  will probably vary between about 0.8 and 0.95 in absolute value; the absolute value of the other coefficients will be situated between 0.3 and 0.6. If the metal oefficients are taken to be positive,  $c'_3$ ,  $c''_2$  and  $c'''_3$ vill also be positive, while  $c_2, c'_2$  and  $c''_2$  will be nega-



Figure 1. Gaussian analysis of the absorption spectra of the Tc(IV) hexahalides, as given in reference 3.

TABLE II. LCAO Coefficients of the Octahedral Molecular Orbitals.

| MO  | Metal d           | Metal p                                  | Ligand $\sigma$                                      | Ligand $\pi$         |
|---|-------------------|--|--|----------------------|
|   | c,                |  |  | $c_{2}$              |
|   | $c_1^{\tilde{U}}$ |  | $\begin{array}{c} c'_2\\ c'_2\\ c''_2\\ \end{array}$ | -                    |
|   |                   | $\begin{matrix} c'_1\ c''_1\end{matrix}$ |  | $\frac{c'_3}{c''_3}$ |
| $t_{2g}(\pi^{*})$<br>$e_{g}(\sigma^{*})$<br>$t_{1u}(\pi^{0})$<br>$t_{1u}(\sigma^{0})$ |                   |  |  |                      |

 $\mathbf{S}_{\text{in}}$  signs,  $\mathbf{S}_{\text{in}}$  and  $\mathbf{S}_{\text{in}}$  have opposite signs, the relative position of the  $\langle p \rangle$  and the following depend on the basic state. lation of the u-antibonding and the  $\tau$ -bonding intereslance of the  $\sigma$ -antibonding and the  $\pi$ -bonding interactions.



 $\frac{1}{2}$  as  $\frac{1}{2}$  here  $\frac{1}{2}$  here  $\frac{1}{2}$  as  $\frac{1}{2}$  and  $\frac{1}{2}$  are  $\frac{1}{2}$  and  $\frac{1}{2}$  a

 $\frac{1}{2}$  is not easy to determine the 10Dq values to determine the 1ODq values of  $\frac{1}{2}$  $\mu$  is not easy to determine the TODG values directly from the ligand field spectra. One can, however, use a general approximation [11], where  $10Dq - in$  kK units - is written as a product of a ligand factor  $(f)$  and a metal factor  $(g)$ . The ligand factors are  $f = 0.78$ , 0.72 and 0.68 for Cl<sup>-</sup>, Br<sup>-</sup> and I<sup>-</sup><br>respectively. The metal factors are  $\begin{bmatrix} 12 \end{bmatrix}$  g = 30 for  $T(T) = 1.24 \text{ s} - T(T)$ ; the latter group  $T(T) = 1.24 \text{ s}$  $\mu$ iv) and  $\sigma$  for  $\kappa$ (IV), the latter g-value was  $\frac{P(t)}{P(t)}$  on the spectrum of the spectrum  $\mu$  is the resulting the spectrochemical series (i.e.  $\mu$ ) and  $\mu$ [11]. The resulting 10Dq values (in  $cm^{-1}$ ) are listed in Table V.

| $(t_{2g})^3$                | $A_{A_{2g}}$              | $3A - 15B$      |                 |
|-----------------------------|---------------------------|-----------------|-----------------|
|                             | ${}^2E_g$                 | $3A - 6B + 3C$  |                 |
|                             | $2T_{1g}$                 | $3A - 6B + 3C$  |                 |
|                             | $T_{2g}$                  | $3A + 5C$       |                 |
| $(t_{2g})^4$                | $3T_{1g}$                 | $6A - 15B + 5C$ |                 |
| $(t_{2g})^3$ $(A_{2g})e_g$  | ${}^5E_g$                 | $6A - 21B$      |                 |
| $(t_{2g})^3 (A_{2g}) e_g$   | $\rm{^{3}E_{g}}$          | $6A - 13B + 4C$ | $-4B$           |
| $(t_{2g})^3({}^2E_g)e_g$    | $\rm{^{3}E_{g}}$          | $-4B$           | $6A - 10B + 4C$ |
| $(t_{2g})^3({}^2E_g)e_g$    | $3A_{1g}$                 | $6A - 12B + 4C$ |                 |
| $(t_{2g})^3({}^2E_g)e_g$    | $3A_2g$                   | $6A - 8B + 4C$  |                 |
| $(t_{2g})^3({}^2T_{1g})e_g$ | $\mathrm{^{3}T_{1g}}$     | $6A - 11B + 4C$ | $5B\sqrt{3}$    |
| $(t_{2g})^3({}^2T_{2g})e_g$ | $\boldsymbol{3}_{T_{1g}}$ | $5B\sqrt{3}$    | 6A – 3B + 6C    |
| $(t_{2g})^3({}^2T_{1g})e_g$ | $\mathrm{^{3}T_{2g}}$     | $6A - 9B + 4C$  | $5B\sqrt{3}$    |
| $(t_{2g})^3({}^2T_{2g})e_g$ | $3T_{2g}$                 | $5B\sqrt{3}$    | $6A - 5B + 6C$  |

TABLE III. Energy Matrices for the Relevant  $d^3$  and  $d^4$  Configurations.

*Electron Repulsion* 

The lowest energy configuration consists of a imber of closed shells, and  $[t_{2g}(\pi^*)]^3$ , yielding  ${}^4A_2$  ground state. An LMCT (ligand-to-metal charge



Figure 3. Partial and qualitative molecular orbital energy level diagram for an octahedral transition metal complex.



Figure 4. Qualitative energy level diagram of the charge transfer excited states in octahedral d<sup>3</sup> systems. The ground state is <sup>4</sup>A<sub>g</sub>; the accessible excited states are  ${}^{4}T_{2u}$ .

| Complex  | $B_{O}$ | β    | 10Dq | $B = \beta B_0$ | ${}_{a}^{3}E_{g} - {}_{5}^{5}E_{g} =$<br>5.23 B + 4C | $-6 - 5C + 10Dq$ |
|--|---------|------|------|-----------------|--|------------------|
|  | 0.66    | 0.81 | 23.4 | 0.53            | 11.25  | 9.62             |
|  | 0.66    | 0.78 | 21.6 | 0.51            | 10.83  | 8.34             |
| $\begin{array}{l}\n\text{TcCl}_6^{2-} \\ \text{TcBr}_6^{2-} \\ \text{Tcl}_6^{2-}\n\end{array}$ | 0.66    | 0.75 | 20.4 | 0.49            | 10.40  | 7.66             |
| $ReCl_6^{2-}$<br>$ReBr_6^{2-}$   | 0.60    | 0.83 | 26.5 | 0.50            | 10.62  | 13.50            |
|  | 0.60    | 0.79 | 24.5 | 0.47            | 9.98   | 12.28            |
| $\text{ReI}_6^{2-}$  | 0.60    | 0.77 | 23.1 | 0.46            | 9.77   | 11.14            |

TABLE IV. Theoretical Crystal Field Splittings in the Excited CT States of  $O<sub>h</sub>$  d<sup>3</sup> Complexes; Racah Parameters and Nephelauxetic Parameters for  $d^4$  Ions (in kK).

transfer) excitation gives rise to a number of configurations, as shown in Figure 4.

In this energy level diagram, each configuration is split into a number of states, primarily due to the repulsion between electrons, mainly localized on the central metal ion (middle part of the diagrams). The smaller energy splittings at the right hand side of Figure 4 are due to the coupling of the different  $d<sup>4</sup>$ states with the ligand hole.

The  $(t_{2g})^3(e_g)^1$  states can be considered to be built from  $(t_{2g})^3$  and one  $e_g$  electron. The ensuing singlets may be omitted, since only quintets or triplets can combine with the ligand hole to yield the required (accessible) quartet states. The relevant energy expressions were taken from Griffith's standard work [13] and are given in Table III (see also Figure 4).

e energy difference between  ${}^{5}E_{g}[t_{2g}(\pi^{*})]^{3}$  $\frac{1}{2}(a^*)^1$  and  ${}^3T_{1g}[t_{2g}(\pi^*)]^4$  equals 10Dq - 6B -

The free ion Racah parameters  $B_0$  and  $C_0$  cannot be derived directly from Moore's tables [14] for  $4$  and  $5d<sup>4</sup>$  ions. The extrapolated values  $[11]$  for are  $\sim$  660 cm<sup>-1</sup> for Tc(III) and 600 cm<sup>-1</sup> for  $H$ III). The nefelauxetic parameters are not known for the  $d^4$  ions, but Jørgensen and Schwochau [3] give the  $\beta_{55}$  values compatible with the crystal field spectra of the six  $d<sup>3</sup>$  complexes under consideration. In what follows, we put  $C_0 = 4B_0$  and  $C = 4B$ ; moreover, the nefelauxetic effect will be described by one parameter in each case:  $\beta_{55} \sim \beta$ . It will further be assumed that the difference in  $\beta$  between three- and four-valent metal ions varies as a function of the principal quantum number n, in the same way as  $B_0$ itself, *i.e.* in the ratio 15:10:9 for n = 3, 4, 5. The difference between  $\beta$  for 3d-MF<sub>6</sub><sup>3-</sup> and  $\beta$  for 3d- $MF<sub>6</sub><sup>4-</sup>$  complexes is about 0.2-0.25 units [15]. From these data and assumptions, the *in situ* Racah parameters B and C are as shown in Table IV.

### Spin-Orbit Coupling

In Griffith's double group notation  $[16]$ , the  ${}^{4}A_{2g}$ ground state becomes a  $\overline{U_g}$  spinor state, and  ${}^4T_{2u}$ gives rise to four spinor terms,  $E'_{u} E''_{u}$ ,  $3/2U'_{u}$  and

 $5/2U'_u$ . The transitions between  $U'_g$  and any one of these four spinor components are electric dipole allowed.

In order to evaluate the matrix elements of the matrix elements of the spin-orbit coupling hamiltonian, we use Griffith's irreducible tensor method [16]. The equations have been extended so as to include the matrix elements between spinor states, resulting from three open shells.

In working out the one electron matrix elements, the one-center approximation was used  $[17-19]$ . The energies are expressed as a function of the MO coefficients and the spin-orbit constants of the different atoms in the complex. The groundstate is unaffected by spin-orbit coupling. As for the  ${}^{4}T_{2u}$ excited states the sign and magnitude of the reduced element will vary from case to case, but the factor multiplying this element will be the same, irrespective of the parentage of the state in question. The factors  $a = 1/2\sqrt{10}$  for F', and 5/2 II', 5/6  $\sqrt{10}$  for F' d  $1/3\sqrt{10}$  for  $3/2$ UL. The splitting pattern, shown in Figure 5, therefore shows an accidental degeneracy, which will of course be lifted if second order effects are included. Table V shows the analytical expression of the reduced matrix elements for the relevant states.In evaluating these elements LCAOMO's were used, in which the constituent ligand AO's refer to local coordinate systems parallel to the central coordinate system. A semi-quantitive estimate of the spin-orbit splittings can be obtained



Figure 5. Spin-orbit splitting of the  ${}^{4}T_{2u}$  CT states in O<sub>h</sub> d<sup>3</sup> systems.

| Orbital<br>Transition                 | Metal Term  |                             | Reduced Matrix Elements  |
|---------------------------------------|---|-----------------------------|--|
| $t_{2u}(\pi) \rightarrow t_{2g}$      | $(t_{2g})^{4}$ <sup>3</sup> $T_{1g}$                                    |                             | ${}^{3}T_{1g}$ $-\frac{5}{(10)}$ $[(c_1)^2 \zeta_{nd} + [(c_2)^2/2 + 1/2] \zeta_{np}^{L}]^{a}$   |
| $t_{1u}(\pi^b) \rightarrow t_{2g}$    | $(t_{2g})^{4}$ <sup>3</sup> $T_{1g}$                                    | $T_{1g}$                    | $\frac{5}{110} \left[ (c_1)^2 \zeta_{nd} + (c_2)^2 / 2 - (c_3')^2 / 2 + \sqrt{2} \sqrt{1 - \delta^2} \ c_3' c_2' \right] \zeta_{np}^L - (c_1')^2 \zeta_{np}^M$   |
| $t_{1u}(\sigma^b) \rightarrow t_{2g}$ | $(t_{2g})^{4}$ <sup>3</sup> $T_{1g}$                                    | $^{3}T_{1g}$                | $\frac{5}{\sqrt{10}} \left\{ (c_1)^2 \zeta_{\text{nd}} + (c_2)^2 / 2 - (c_3^{\prime\prime})^2 / 2 + \sqrt{2} \sqrt{1 - \delta^2} c_3^{\prime\prime} c_2^{\prime\prime} \right\}^{\text{L}}_{\text{np}} - (c_1^{\prime\prime})^2 \zeta^{\text{M}}_{\text{np}} \right\}$ |
| $t_{2u}(\pi) \rightarrow e_{g}$       | $(t_{2g})^{3}$ $^{4}A_{2g}(e_g)^1$                                      | ${}^5E_g$                   | $\frac{-3}{2.710} L_{\text{np}}$   |
|                                       | $t_{1u}(\pi^b) \rightarrow e_g$ $(t_{2g})^3$ $^4$ $A_{2g}(e_g)^1$       | ${}^5E_g$                   | $-\frac{3}{\sqrt{10}}\left\{ (c'_1)^2 \zeta_{np}^M + \zeta_{np}^L \left[ (c'_3)^2/2 - \sqrt{2} \sqrt{1-\delta^2} c'_3 c'_2 \right] \right\}$   |
| $t_{1u}(\sigma^b) \rightarrow e_g$    | $(t_{2g})^{3}$ <sup>4</sup> $A_{2g}(e_g)^1$                             | ${}^5E_g$                   | $\frac{3}{\sqrt{10}} \left\{ (c_1''')^2 \zeta_{np}^M + \zeta_{np}^L \left[ (c_3''')^2 / 2 - \sqrt{2} \sqrt{1 - \delta^2} c_3''' c_2''' \right] \right\}$   |
| $t_{2u}(\pi) \rightarrow e_g$         | $(t_{2g})^{3}$ <sup>4</sup> $A_{2g}(e_g)^1$                             | $\frac{3}{4}E_{\rm g}$      | $\frac{5}{2\sqrt{10}}\xi_{\rm np}^{\rm L}$   |
|                                       | $t_{1u}(\pi^b) \rightarrow e_g$ $(t_{2g})^3$ $^4A_{2g}(e_g)^1$          | $\frac{3}{a}E_{\mathbf{g}}$ | $\frac{-5}{\sqrt{10}} \left\{ (c_1^{\prime})^2 \zeta_{np}^M + \zeta_{np}^L \left[ (c_3^{\prime})^2 / 2 - \sqrt{2} \sqrt{1 - \delta^2} \right] c_3^{\prime} c_2^{\prime} \right] \}$  |
|                                       | $t_{1u}(\sigma^{b}) \rightarrow e_{g}$ $(t_{2g})^{3} A_{2g}(e_{g})^{1}$ | $\frac{3}{a}E_g$            | $\frac{-5}{\sqrt{10}} \left\{ (c_1''')^2 \zeta_{np}^M + \zeta_{np}^L \left[ (c_3''')^2 / 2 - \sqrt{2} \sqrt{1 - \delta^2} c_3''' c_2''' \right] \right\}$  |

TABLE V. Analytical Expresssion of the Reduced Matrix Elements of the Spin-Orbit Coupling Operator in the CT Excited States of Octahedral d<sup>3</sup> Systems.

<sup>a</sup>The superscripts M and L refer to metal and ligand respectively.

TABLE VI. Approximate Numerical Values of the Reduced Matrix Elements of the Spin-Orbit Coupling Operator in the CT Excited States of  $O_h d^3$  Systems. Energies are in kK.



by incorporating a set of reasonable parameter values in the expressions of Table V. With

 $c_1 \approx 0.95$  $c_3' \cong c_2'' \cong 1 - \delta^2 \cong 0.9$  ( $\delta$  is the coefficient of the ligand s-orbital in the ligand  $\sigma$ -basis combination)  $\approx c' \approx c' \approx c'' \approx c''' \approx c'' \approx 0.3$  $c_4 \approx 1000 \text{ cm}^{-1}$ ,  $c_5 \approx 2000 \text{ cm}^{-1}$  for Tc(III)  $c_4 \approx 3000 \text{ cm}^{-1}$ ;  $c_6 \approx 9000 \text{ cm}^{-1}$  for Re(III)  $\mu_{\rm p} \cong 600 \, \rm cm^{-1}$ ;  $\mu_{\rm p} \cong 2500 \, \rm cm^{-1}$  $c<sub>n</sub> \approx 5000$  cm<sup>-1</sup> for the halogens

one obtains the numerical values of Table VI. The values of the different spin-orbit coupling constants were taken or extrapolated from Dunn [20, 21] or Jørgensen [22].

# *Intensities*

In the absence of spin-orbit coupling, the intensities can be calculated from Griffith's irreducible tensor method, as applied in a previous paper [2]. In the evaluation of the one-electron transition integrals,

TABLE VII. Intensity Calculations in Octahedral d<sup>3</sup> Systems. The dipole strength is expressed in units of  $R^2$  (R is the metalligand distance); all the CT excited states have  ${}^{4}T_{2u}$  symmetry.

| Acceptor         | Metal Term                                  |                  | Dipole Strength for Different Ligand Donor Orbitals |                        |                         |
|------------------|---|------------------|---|------------------------|-------------------------|
| Orbital          | Composition                                 | Term             | $t_{21}(\pi)$                                       | $t_{1u}(\pi^D)$        | $t_{1u}(\sigma^b)$      |
| $t_{2g}$         | $(t_{2g})^{4}$ <sup>3</sup> $T_{1g}$        | $T_{1g}$         | $1.5(c_2)^2$  | $1.5(c'_3)^2(c_2)^2$   | $1.5(c''_3)^2(c_2)^2$   |
| $e_{\mathbf{g}}$ | $(t_{2g})^3$ <sup>4</sup> $A_{2g}(e_g)^1$   | $5E_g$           | ~0  | $2.5(c'_2)^2(c''_2)^2$ | $2.5(c''_2)^2(c''_2)^2$ |
| $e_{\rm g}$      | $(t_{2g})^{3}$ <sup>4</sup> $A_{2g}(e_g)^1$ | $\frac{3}{2}E_g$ | $\sim 0$  | $1.5(c'_2)(c''_2)^2$   | $1.5(c_2'')^2(c_2'')^2$ |

TABLE VIII. Identification of the CT Spectra of TcX $^{2-}_{6}$  (X = Cl, Br, 1) by Previous Authors. Band positions are given in kK and shoulders are in parentheses.



only the diagonal elements on the ligand atoms are important [17, 23, 24]. A certain number of excited states, corresponding to the  $(t_{2g})^3(e_g)^1$  configurations are inacessible since they differ in more than one spin-orbital from the ground state. The only transitions that are to be considered are shown in Table VII. The two entries  $\sim$ 0 indicate that the diagonal elements on the ligands lead to a zero transition probability. Incorporation of the other contributions in the transition integrals would lead to a finite, but small intensity.

The first-order effect of spin-orbit coupling is simply to distribute the total dipole strength, as shown in Table VII, over the four spinor components. Harnung's equations [25] show that the fractions to be attributed to  $U'_g \rightarrow E'_u$ ,  $E''_u$ ,  $3/2U'_u$ ,  $5/2U'_u$  are 0.16, 0.16, 0.33 and 0.33 respectively. Considering the approximate degeneracy of  $E'_u$  and 2.5  $U'_u$ , the intensity ratio is 3:2:1 for an energetic order as shown in Figure 5.

## **Interpretation of the Spectra**

# *The TcXg- Complexes*

The charge transfer spectra of these compounds have been analyzed by Jørgensen and Schwochau [3] and by Schenk and Schwochau [10]. The latter authors studied the complexes in monocrystals of  $(C_2H_5NH_3)_2$ [SnX<sub>6</sub>] having a local D<sub>3d</sub> symmetry. Their interpretation is shown in Table VIII.

From the present point of view, the analysis can be carried out as follows. For the first transition in each complex, there are essentially two possibilities as far as orbital transitions are concerned (Figure 3): either one has  $t_0$  $(\pi) \rightarrow t_2$  $(\pi^*)$ , or one has  $t_1$  $(\pi^b) \rightarrow$  $t_2(\pi^*)$ . The relative energy of  $t_2\ldots(\pi)$  and  $t_1\ldots(\pi^b)$ was discussed briefly in Section 1V.A. The relevant  ${}^{4}T_{2u}$  state exhibits a total spin-orbit splitting of approximately  $4/3\sqrt{10} \approx 0.42$  times the reduced matrix element of Table VI. The first three transitions in  $TcI_6^{2-}$  satisfy the qualitative requirements of the

| Complex       | Positions   | Orbital Transition   | Metal Term  | CT State<br>(Spinor Component)   |
|---------------|---|--|---|--|
| $TcCl_6^{2-}$ | 29.2 (8800)<br>32.2 (6700)<br>41.7(17200)                               | $t_{2\,u} \rightarrow t_{2\,g}$<br>$t_{1u}(\pi^b) \rightarrow t_{2g}$<br>$t_{1u}(\pi^b) \rightarrow e_g$   | $\begin{array}{l} {^3\Gamma}_{1g}\\ {^3\Gamma}_{1g}\\ {^5E}_g \end{array}$  | $T_{2u}$<br>$T_{12u}$<br>$4T_{2u}$   |
| $TcBr_6^{2-}$ | 22.5 (5600)<br>25.9 (5400)<br>30.9(10300)<br>34.9 (2300)<br>38.5(15200) | $t_{2u} \rightarrow t_{2g}$<br>$t_{1u}(\pi^b) \rightarrow t_{2g}$<br>$t_{1u}(\pi^b) \rightarrow e_g$<br>$t_{1u}(\sigma^{\mathbf{b}}) \rightarrow t_{2g}$<br>$t_{1u}(\sigma^{b}) \rightarrow e_{g}$ | $\boldsymbol{^{3}T_{1g}}$<br>$3 \frac{1}{T} \frac{1}{1} g$<br>$5 \frac{E}{T} g$<br>$3 \frac{1}{T} \frac{1}{1} g$<br>$5 \frac{E}{E} g$ | $4T_{2u}$<br>$4T_{2u}$<br>$4T_{2u}$<br>$4T_{2u}$<br>$4T_{2u}$  |
| $TcI_6^{2-}$  | 12.0(1100)<br>13.4 (1400)<br>14.9 (2100)<br>17.9 (2700)<br>19.4         | $t_{2u} \rightarrow t_{2g}$<br>$t_{2u} \rightarrow t_{2g}$<br>$t_{2u} \rightarrow t_{2g}$<br>$t_{1u}(\pi^b) \to t_{2g}$  | $3T_{1g}$<br>$3T_{1g}$<br>$3T_{1g}$<br>$3T_{1g}^{16}$   | $^{4}T_{2u}(E''_{u})$<br>$^{4}T_{2u}(3/2U'_{u})$<br>${}^{4}T_{2u} (5/2U'_{u}$ and $E'_{u}$ )<br>$T_{2u}$ |
|               | 22.0 (9400)<br>24.7 (3000)<br>30.0 (13300)                              | $t_{1u}(\pi^b) \rightarrow e_g$<br>$t_{1u}(\sigma^b) \rightarrow t_{2g}$<br>$t_{1u}(\sigma^{b}) \rightarrow e_{g}$   | $\frac{5}{3}\frac{E_g}{T_{1g}}$<br>$5\frac{E_g}{E_g}$   | $\begin{array}{l} \n ^4T_{2u} \\ \n ^4T_{2u} \\ \n ^4T_{2u} \end{array}$                                 |

TABLE IX. Spectral Identification of the TcX $\zeta$ <sup>2</sup> Complexes. Band positions are given in kK and molar extinction coefficients are in parentheses.

 $t_{2u}(\pi) \rightarrow t_{2g}(\pi^*)$  transition: from the previous considerations one expects three transitions split by roughly 2.4 kK and with a relative intensity of 1:2:3. In the other two complexes, the spin-orbit splitting is smaller and cannot be observed; the total intensity of the first band is somewhat larger than the intensity of the second band. From Table VII, this is indeed to be expected if the first transition(s) corrcspond to  $t_{2u}(\pi) \rightarrow t_{2g}(\pi^*)$  and the second transition(s) to  $t_{1u}(\pi) \rightarrow t_{2g}(\pi^*)$ . This identification is detailed in Table IX.

The shift of the first band from the chloride to the iodide complex (29.3 kK, 22.5 kK and  $\sim$ 14 kK) are in agreement with the difference in optical electronegativity between the halogen ligands. From Table VI the spin-orbit splitting of the second band is smaller and is not observed in  $TcCl_6^{2-}$  or  $TcBr_6^{2-}$ . It might be observable in  $T c I_6^2$ ; if so, the splitting pattern and the intensity distribution should be similar to the first band. Since this is not verified experimentally, only the 17.9 kK band is assigned as  $t_{10}(\pi) \rightarrow t_{2g}$  $(\pi^*).$ 

If the metal-ligand two-center repulsion integrals re indeed small quantities, it should be concluded hat  $E[t_{2U}(\pi)] - E[t_{1U}(\pi^b)]$  is positive in all cases. being 3, 3.5 and  $\sim$ 4 kK in the chloride, bromide and iodide complexes respectively.

All t<sub>2u</sub> $(\pi)$   $\rightarrow$  e<sub>g</sub> $(\sigma^*)$  transitions are predicted to have negligible transition probabilities. Therefore the next orbital transitions to be considered are  $t_{11}(\sigma^b) \rightarrow t_{2g}(\pi^*)$  and  $t_{11}(\pi^b) \rightarrow e_g(\sigma^*)$ . In the latter ase the  ${}^{5}E_{\sigma}$  term lies approximately 10 kK lower han the  ${}_{0}^{3}E_{0}$  term (Table V); so the CT excited state with  ${}^{5}E_{\sigma}$  parentage need not be considered at this

moment. The relative position of the two remaining elevant states is not obvious. Indeed,  $t_1 \cdot (\pi^b) \rightarrow e_{\alpha}$  $(\pi^*)$  is 10Dq - 5B - 6C higher than  $t_{1,0}(\pi^0) \rightarrow$  $t_{2g}(\pi^*)$ . From Table V, the numerical values vary between 10 and 7 kK. On the other hand, the energy ifference between  $t_{1,0}(\pi^b)$  and  $t_{1,0}(\sigma^b)$  is unknown, but it is estimated at 6 to 10 kK by Carrington and Jørgensen [26] and Jørgensen [27]. Therefore, a distinction can only be made on the basis of intensities. Table VII predicts the higher intensity for  $t_{1u}$ - $(\pi^b) \rightarrow e_g(\sigma^*)$ . Hence we assign the bands at 41.7 kK, 30.9 kK and 22 kK in the spectra of the chloride, bromide and iodide complexes respectively to  ${}^{4}T_{211}$  $({}^{5}E_{g}; t_{1u}(\pi^{b}) \rightarrow e_{g}(\sigma^{*}))$ .

The  $34.9 \, \text{kK}$  and  $24.7 \, \text{kK}$  bands in the chloride and bromide compounds are assigned as  ${}^4T_{21}(t_{11})$  $(\sigma^b) \rightarrow t_{2g}(\pi^*)$ ). The fact that the first set of bands are particularly broad, is an additional indication that the  $e_g(\sigma^*)$  orbital is involved, rather than  $t_{2g}(\pi^*)$  $[28]$ .

The bands at 38.5 kK (bromide) and 30.0 kK (iodide) have very large extinction coefficients and the assignment  $t_{1}$ ,  $(a^{b}) \rightarrow e_{a}(a^{*})$ ( $^{5}E_{a}$ ) seems indicated. Also on the basis of relative positions, one expects to ind the  $t_{1}u(\pi^b) \rightarrow e_a(\pi^*)({}^3E_a)$  transitions at higher energies.

If the present assignments are correct, a number of regularities are expected in the band positions. For the bromide and the iodide complexes, the energy difference  $10Dq - 6B - 5C$  should be found twice. Indeed, for the bromide complex, it should be equal to  $(30.9 - 25.9)$  kK and also to  $(38.5 - 34.9)$  kK; for the iodide complex, it should be equal to  $(22 - 17.9)$ kK and also to  $(30 - 24.7)$  kK. Both equalities are

| Complex                        | Jørgensen-Schwochau |  | chenk-Schwochau |                |  |
|--------------------------------|---------------------|--|-----------------|----------------|--|
|                                | Position            | Transition                                   | Position        | Polarization   | Transition   |
| ReCl <sub>6</sub> <sup>2</sup> | (31.65)             | $\pi \rightarrow \mathfrak{t}_{\mathbf{2g}}$ | 30.89           | $\pi < \sigma$ | $t_{1g}(\pi^b) \rightarrow t_{2g}$<br>$t_{1u}(\pi^b) \rightarrow t_{2g}$ |
|                                | (34.08)             | $\pi \rightarrow t_{2g}$                     | 33.06           | σ              |  |
|                                | 35.65               | $t_{1u}(\pi^{b}) \to t_{2g}$                 | 33.33           | $\pmb{\pi}$    |  |
|                                | (39.12)             |  | 34.48           | σ              |  |
|                                | 46.88               |  | 34.78           | $\pmb{\pi}$    |  |
| $ReBr_6^{2-}$                  | (20.92)             | $t_{1u}(\pi^b) \rightarrow t_{2g}$           | (22.87)         | $\pi < \sigma$ |  |
|                                | (23.98)             | $\pi \rightarrow t_{2g}$                     | 23.10           | $\pi < \sigma$ |  |
|                                | (26.39)             | $\pi \rightarrow \mathfrak{t}_\mathrm{2g}$   | (23.56)         | σ              | $t_{1g}(\pi^b) \rightarrow t_{2g}$                                       |
|                                | 28,38               | $\pi \rightarrow t_{2g}$                     | (23.67)         | $\pmb{\pi}$    |  |
|                                | 30.38               |  | (23.78)         | σ              |  |
|                                | 33.06               |  |                 |                |  |
|                                | 39.60               |  |                 |                |  |
| $ReI_6^{2-}$                   | 11.55               | $\pi \rightarrow t_{2g}$                     |                 |                |  |
|                                | (12.44)             |  |                 |                |  |
|                                | (14.50)             |  |                 |                |  |
|                                |                     |  |                 |                |  |
|                                | 9 maxima            | $\pi \rightarrow t_{2g}$                     |                 |                |  |
|                                | (23.64)             |  |                 |                |  |
|                                | 25.87               | $\pi \rightarrow e_g$ ?                      |                 |                |  |
|                                | 28.50               | $\pi \rightarrow e_g$                        |                 |                |  |
|                                | 34.46               |  |                 |                |  |
|                                |                     | $\pi \rightarrow e_g$                        |                 |                |  |

ARLE X. Identification of the CT Spectra of ReX<sup>2-</sup> (X = Cl, Br, I) by Previous Authors. Band positions are in kK; shoulders e in parentheses<sup>.</sup>

ARLE XI. Interpretation of the CT Spectra of ReX<sup>2-</sup> Complexes. Band positions are in kK; molar extinction coefficients are in parentheses.

| Complex                        | Position  | <b>Orbital Transition</b>   | Metal Term  | CT State<br>(Spinor Component)  |
|--------------------------------|---|---|---|---|
| ReCl <sub>6</sub> <sup>2</sup> | 31.4 (2400)   | $t_{2u} \rightarrow t_{2g}$   | $3T_{1g}$   | $T_{2u}(E_{u}^{\prime\prime})$  |
|                                | 33.4 (4260)<br>35.6 (9660)<br>38.8 (5060)<br>43.5 (800)                 | $t_{2u} \rightarrow t_{2g}$<br>$\begin{array}{l} t_{2u} \rightarrow t_{2g} \\ t_{1u}(\pi^b) \rightarrow t_{2g} \\ ? \end{array}$  | $T_{1g}$<br>${}^{3}T_{1g}$<br>$3T_{1g}$                     | $T_{2u}(3/2U'_u)$<br>${}^{4}T_{2u}$ (5/2U' <sub>u</sub> and E' <sub>u</sub> )<br>$4T_{2u}$  |
| $\text{ReBr}_6^{2-}$           | 46.6 (4400)<br>24.2 (2300)<br>26.2 (4840)<br>28.3 (9850)<br>30.7 (7690) | $t_{1u}(\sigma^{b}) \rightarrow t_{2g}$<br>$t_{2u} \rightarrow t_{2g}$<br>$t_{2u} \rightarrow t_{2g}$<br>$t_{2u} \rightarrow t_{2g}$<br>$\frac{\mathsf{t}_{1\mathsf{u}}(\pi^\mathsf{b}) \rightarrow \mathsf{t}_{2\mathsf{g}}}{?}$ | $3T_{1g}$<br>$T_{1g}$<br>$3T_{1g}$<br>$T_{1g}$<br>$3T_{1g}$ | $T_{2u}$<br>$T_{2u}(E_{u}^{\prime\prime})$<br>${}^{4}T_{2u}$ (3/2U' <sub>u</sub> )<br>${}^{4}T_{2u}$ (5/2U' <sub>u</sub> and E' <sub>u</sub> )<br>$4T_{2u}$ |
| $ReI_6^{2-}$                   | 32.9 (3850)<br>38.7 (5920)<br>15.2 (2230)<br>17.1 (4460)                | $t_{1u}(\sigma^{b}) \rightarrow t_{2g}$<br>$t_{2u} \rightarrow t_{2g}$<br>$t_{2u} \rightarrow t_{2g}$   | $3T_{1g}$<br>$T_{1g}$<br>$3T_{1g}$                          | $T_{2u}$<br>$T_{2u}(E_{u}^{\prime\prime})$<br>${}^{4}T_{2u}$ (3/2U' <sub>u</sub> )  |
|                                | 19.0 (6540)<br>20.7 (3000)<br>22.65(6310)                               | $t_{2u} \rightarrow t_{2g}$ ?<br>$t_{2u}(\pi^b) \stackrel{\bullet}{\rightarrow} t_{2g} ?$   | $3T_{1g}$<br>${}^3T_{1g}$                                   | $4T_{2u}(5/2U'_{u}$ and $E'_{u}$ )<br>$T_{2u}$  |
|                                | 25.2 (5770)<br>28.6 (13150)<br>31.7 (3770)<br>34.6 (14000)              | $t_{1u}(\sigma^{b}) \rightarrow t_{2g}$<br>$t_{1u}(\pi^b) \rightarrow e_g$ ?<br>$t_{1u}(\sigma^{b})\rightarrow e_{g}$   | $T_{1g}$<br>$5E_g$<br>${}^5E_g$                             | $4T_{2u}$<br>$4T_{2u}$<br>$4T_{2u}$   |

approximately satisfied. Similar relationships might be anticipated for the energy difference  $E(t_{11}(m^b))$  - $E(t_{1u}(\sigma^{b}))$ . For the bromide, it equals (34.9 – 25.9) kK and  $(38.5 - 30.9)$  kK; for the iodide, the numbers are  $(24.7 - 17.9)$  kK and  $(30 - 22)$  kK. The energy gap between the two  $t_{1u}$  orbitals is thus consistently found at about 8 kK in both complexes.

# *The ReX* $_{6}^{2-}$  Complexes

Exactly the same methodology has been applied to the Rheniumhalides. The identification was not always as unambiguous as in the case of the  $TcX_6^2$ compounds. The inclusion of second order spin-orbit coupling effect might prove useful in this case. However, even without this refinement, it has been possible to propose a consistent set of assignments. The results in Table XI can be compared with the conclusions of previous authors (Table X).

## Conclusion

The charge transfer spectra of both octahedral and tetrahedral [2] transition metal compounds can be analyzed by the here proposed method. It appears that the metal and the ligand can be considered as two essentially separate, but weakly interacting entities. The charge transfer spectra of a  $d^n$  system can be treated by using crystal field theory of the corresponding  $d^{n+1}$  systems.

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