# Thermal Conductivity of Gaseous Trifluoroiodomethane (CF<sub>3</sub>I)

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The thermal conductivity of gaseous trifluoroiodomethane (CF<sub>3</sub>I) is reported over the temperature range -6.50 °C to 63.55 °C at pressures up to 1000 kPa with an uncertainty of 3% using a transient hot-wire instrument employing two anodized tantalum wires as the heat source. The results were correlated as a function of temperature and density. The values for the thermal conductivity of the dilute gas and the saturated vapor are obtained by extrapolation.

## Introduction

The traditional refrigerant CFC-12 is widely used in numerous applications. Alternatives of CFC-12 must be developed that are environmentally acceptable and can be used in high-capacity, high-efficiency applications. So far, many CFC alternatives have been developed. HFC-134a has been widely used as a replacement for CFC-12, especially in the United States, Japan, the United Kingdom, and France. But HFC-134a requires physical retrofitting of equipment and does not mix with conventional lubricants. It also has higher global warming potential (GWP) value. Even though they are flammable, hydrocarbons are considered to be another promising alternative, especially in Germany. CF<sub>3</sub>I has been found to be nonozone depleting, miscible with mineral oil, and compatible with refrigeration system materials. It also has an extremely low GWP value and very low acute toxicity. Therefore, it is also being considered as a promising alternative, especially as a component in mixtures, to replace CFC-12 (Lankford and Nimitz, 1993; Zhao et al., 1995). However, no reliable data for the thermal conductivity of CF<sub>3</sub>I has been published in recent years. Therefore, research on the thermal conductivity of CF<sub>3</sub>I is of great interest. This paper reports experimental data for the thermal conductivity of gaseous CF<sub>3</sub>I in the temperature range from -6.5 to 63.55 °C at pressures up to 1000 kPa with an uncertainty of 3%.

#### **Working Equation**

The theoretical basis of the transient hot-wire technique for gas thermal conductivity measurements has been given in detail elsewhere (Healy et al., 1976). According to the theory, the thermal conductivity,  $\lambda$ , of the fluid can be obtained with the following equations

$$\Delta T_{\rm id} = \Delta T_{\rm w} + \sum \delta T_i = \frac{q}{4\pi\lambda(T_{\rm r},\rho_{\rm r})} \ln\frac{4k\tau}{a^2C} \qquad (1)$$

and

$$T_{\rm r} = T_0 + \frac{1}{2} (\Delta T_1 + \Delta T_2) \tag{2}$$

where  $T_0$  is the equilibrium temperature of the fluid before heating,  $T_r$  is the reference temperature,  $\rho_r$  is the density of the fluid at the reference temperature  $T_r$  and the primary pressure  $p_0$ , q is the energy input per unit length of the hot-wire,  $\tau$  is the time of heating, a is the wire radius,  $\lambda$  is

the thermal conductivity of the fluid at temperature  $T_{\rm r}$  and pressure  $p_0$ ,  $\Delta T_{id}$  is the temperature rise of the hot-wire under the ideal conditions,  $\Delta T_1$  and  $\Delta T_2$  are the temperature rises of the hot-wire at the initial moment and the final moment respectively, and *C* is a numerical constant. The symbol k represents the thermal diffusivity of the fluid surrounding the wires. The various correction terms,  $\delta T_{i}$ , have all been identified (Healy et al., 1976) and are all rendered less than 1% of  $\Delta T_{id}$  except the correction term induced by the thermophysical properties of the hot-wire, which is rendered less than 3% of  $\Delta T_{id}$  in the interested time range by the design of the wires and the operation of the instrument. It follows from eq 1 that an essential feature of the correct operation of the instrument is that the measured  $\Delta T_{id}$  should be a linear function of the logarithm of time,  $\ln \tau$ . Once the temperature rise of the hot-wire is measured as a function of time,  $\tau$ , the gradient of the linear function of  $\Delta T_{id}$  versus the logarithm of  $\tau$  can be used to calculate the thermal conductivity  $\lambda$ .

# Instrument

The thermal conductivity instrument was described in detail in a previous work (Sun et al., 1997); a modified apparatus is used in this work. The outer part of the instrument is a pressure vessel made of stainless steel which can withstand the pressure of 6 MPa. The inner part which contains the hot-wires is composed of two compartments formed by machining two identical holes centering on the split diameter of a copper cylinder and parallel to its axis. The half of the cylinder shown in Figure 1 carries the five wire supports and is itself supported by the aluminum ring attached to the outer pressure vessel.

In this instrument, two 25  $\mu$ m tantalum wires were used as the hot-wires (13.4 cm and 4.1 cm in length). The wires were anodized in situ to form a layer of insulating tantalum pentoxide on their surface. All electrical connections to the hot-wires were made of 0.8 mm diameter enamel-insulated wire which extends outside of the pressure vessel. The wires were kept vertical and under constant tension by a copper block attached to the bottom of each wire. The mass of the copper blocks was chosen to keep the tension of the hot-wires at 25% of the yielding tension (Menashe and Wakeham, 1981). The wires were connected very carefully to eliminate contact resistance in the measuring system. The instrument employs two hot-wires to eliminate the errors caused by the finite length by using the short wire to compensate for the long wire (Kestin and Wakeham, 1978).

The wires were calibrated carefully *in situ* to determine the resistance temperature coefficient of the tantalum wire.

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**Figure 1.** Instrument schematic: 1, holes for wire extension; 2, copper block; 3, tested fluid charging hole; 4, mount for wires; 5, gold strip; 6, tantalum wire; 7, copper compartment; 8, pressure vessel; 9, aluminum ring; 10, flange plate.



Figure 2. Unbalanced bridge employed in this work.

The tantalum wire resistance,  $R(\Omega)$ , was represented as a polynomial function of the temperature *t*, over the temperature range from -10 to 65 °C. A least-squares analysis of the data yielded

$$R(t) = R_0[1 + 3.4155 \times 10^{-3} (t^{\circ} \text{C}) - 1.29192 \times 10^{-6} (t^{\circ} \text{C})^2]$$
(3)

where  $R_0$  represents the resistance of the hot-wires at a temperature of 0 °C. The resistance changes and thus the temperatures rise of the wires were measured by an unbalanced bridge as shown in Figure 2. With this bridge, the difference between the resistance of the two wires can be written in the following form as the two wires are identical except for their length.

$$\Delta R = R_{\rm l} - R_{\rm s} = \left(\frac{l_{\rm l}}{l_{\rm s}} - 1\right) \frac{CR_{\rm l} + CR_{\rm 2} - R_{\rm l}}{\frac{l_{\rm l}}{l_{\rm s}}(1 - C) - C} \tag{4}$$

in which

$$C = \frac{V_{\rm E}}{V_0} + \frac{R_3}{R_3 + R_4} \tag{5}$$

where  $R_l$  is the resistance of the long hot-wire,  $R_s$  is the resistance of the short hot-wire,  $I_l$  is the length of the long wire,  $I_s$  is the length of the short wire,  $V_0$  is the voltage of the power source,  $V_E$  is the measured voltage across the

Table 1. Measurements of the Thermal Conductivity of  $N_{\rm 2}$ 

<i>P</i> /kPa	t/°C	$\lambda_{\text{lit}}/\text{mW}\cdot\text{m}^{-1}\cdot$ $K^{-1}$	$\lambda_{exp}/mW \cdot m^{-1} \cdot K^{-1}$	$\begin{array}{c} \lambda_{\exp} - \lambda_{lit} / \mathbf{mW} \cdot \\ \mathbf{m}^{-1} \cdot \mathbf{K}^{-1} \end{array}$	$((\lambda_{exp}/\lambda_{lit}) - 1) \times 100$
2058.86	23.43	26.814	26.778	-0.036	-0.134
			26.883	0.069	0.257
1702.44	23.36	26.639	26.648	0.009	0.034
			26.611	-0.028	-0.105
1202.85	23.41	26.392	26.305	-0.087	-0.330
			26.412	0.020	0.076
714.84	23.55	26.167	26.080	-0.087	-0.332
			26.042	-0.125	-0.478
436.00	23.78	26.050	25.905	-0.145	-0.557
			25.831	-0.219	-0.841

bridge measured;  $R_1$  and  $R_2$  are the resistances of two adjustable resistors, and  $R_3$  and  $R_4$  are the resistances of two standard fixed resistors. Resistors  $R_1$  and  $R_2$  were carefully chosen to ensure a uniform energy input, q, into the experiment. The bridge voltage,  $V_{\rm E}$ , was measured with a Hewlett Packard 3852A acquisition unit at a collecting rate of about 30 points per s. The temperature rise of the hot-wires was about 3-4 K in the experiment. The instrument uncertainty was estimated less than 3%.

The pressure-measurement system included a pistontype pressure gauge, a pressure transducer, and an atmosphere pressure gauge. The accuracy of the piston-type pressure gauge was less than 0.005% in the range 0.1 to 6 MPa. A very sensitive diaphragm pressure transducer (405T) separated the sample from an N<sub>2</sub>-filled system including the precision piston-type pressure gauge. The accuracy of the transducer was 0.2%, the pressure difference adjustable range was 6 to 38 kPa, the temperature range was 233 to 400 K, and the maximum allowable pressure was 17.8 MPa. The accuracy of the atmospheric pressure gauge was 0.05% over a pressure range of 1 to 160 kPa. The whole pressure measurement system had an uncertainty of  $\pm$ 500 Pa.

The bath temperature could be varied from 223 to 452 K. The temperature instability was less than  $\pm 5$  mK per 8 h. The overall temperature uncertainty for the bath and temperature-measurement system was less than  $\pm 10$  mK.

#### **Results and Analysis**

Before the thermal conductivity of gaseous  $CF_3I$  was measured, the thermal conductivity of nitrogen near the isotherm of 23.55 °C was measured and compared with values calculated from an equation recommended in the literature (Stephan et al., 1987). The recommended equation has an accuracy of  $\pm 0.8\%$ . The measured nitrogen thermal conductivity is listed in Table 1 along with the deviation from the calculated values. The maximum deviation of the measured nitrogen thermal conductivity is less than 1%, and the root mean square deviation is 0.42%. The mass purity of the used nitrogen sample was 99.95%.

The thermal conductivity of gaseous CF<sub>3</sub>I was then measured. The mass purity of the CF<sub>3</sub>I sample is 99.95%. Figure 3 shows the pressure range and temperature range of the experimental points. Figure 4 shows the temperature rise  $\Delta T$  versus the logarithm of time  $\tau$  for a typical run using nitrogen at a bath temperature of 20 °C and a pressure of 436.00 kPa and a typical run using CF<sub>3</sub>I at a bath temperature of 30 °C and a pressure of 139.93 kPa. The solid line is a linear correlation for CF<sub>3</sub>I, while the dashed line is a linear correlation for nitrogen. The correlations were determined using a least-squares analysis. There are three parts in the two curves. The first part of each curve is a segment where the thermophysical properties of the hot-wire shows an significant effect and



Figure 3. Temperature and pressure ranges for the experimental points.



 $\ln(\tau/s)$ 

Figure 4. Temperature rise of hot-wire and its linear function versus the logarithm of time for both  $CF_3I$  and nitrogen: (-)  $CF_3I$ ; (- - -) nitrogen.



Figure 5. Deviation of temperature rise of hot-wire from the correlated linear function for both CF<sub>3</sub>I and nitrogen: (□) nitrogen; (■) CF<sub>3</sub>I.

the third part is a segment where natural convection begins to appear and shows a significant effect. The middle part can be described by eqs 1 and 2. Because the thermal conductivity of nitrogen is larger than that of CF<sub>3</sub>I at corresponding thermodynamic states, the effect of the hotwire thermophysical properties on the measurement for nitrogen can be ignored earlier than CF<sub>3</sub>I according to the theory of Healy (1976). The relative deviations of the experimentally measured temperature rise from the linear function in Figure 4 are shown in Figure 5 for nitrogen and for CF<sub>3</sub>I respectively at the thermodynamic states in Figure 4. No curvature or systematic trend is apparent, and the maximum deviation is less than 0.2%. Similar plots were prepared for all the measurements described

Table 2.	Thermal	Conductivity	for	CF <sub>3</sub> I

able 2.	Thermal Conductivity for CF31						
t/°C	<i>p</i> /kPa	$ ho_{ m cal}/{ m kg}{\cdot}{ m m}^{-3}$	$\lambda/\mathbf{mW} \cdot \mathbf{m}^{-1} \cdot \mathbf{K}^{-1}$				
-6.60	147.40	13.861	6.624				
-6.50	109.56	10.125	6.594				
3.40	211.37	19.381	6.998				
3.53	136.51	12.126	6.923				
13.50	277.63	24.776	7.402				
13.65	210.25	18.346	7.286				
13.88	103.26	8.719	7.155				
23.79	403.76	35.629	8.026				
24.01	298.90	25.547	7.831				
24.20	225.67	18.892	7.611				
33.70	558.50	49.031	8.623				
33.94	476.54	40.822	8.423				
34.07	357.80	29.698	8.136				
34.20	261.25	21.176	7.956				
34.33	139.93	11.035	7.721				
43.50	615.78	52.193	9.032				
43.70	491.57	40.369	8.745				
43.82	400.39	32.189	8.512				
43.94	276.87	21.674	8.233				
44.06	169.43	12.980	8.034				
53.43	883.53	76.186	9.876				
53.54	677.54	55.482	9.392				
53.66	522.99	41.392	9.034				
53.70	388.91	29.970	8.767				
53.80	243.84	18.294	8.476				
63.25	912.58	75.123	10.123				
63.30	656.80	51.218	9.704				
63.37	537.58	40.984	9.442				
63.45	380.88	28.252	9.123				
63.55	195.21	14.054	8.745				
	12.0		······				



Figure 6. Thermal conductivity of gaseous CF<sub>3</sub>I vs density near different isotherms. The temperatures of the isotherms are -6.5°C, 3.5 °C, 13.6 °C, 24.0 °C, 34.0 °C, 43.8 °C, 53.6 °C, and 63.4 °C, respectively.

in this paper. The lack of any curvature or systematic trend as well as the magnitude of the deviation indicates that no radiation correction is necessary for the temperature range considered (Nieto de Castro et al., 1991).

All of the results are given in Table 2. The thermal conductivity data was fit to the following equation using a least-squares analysis

$$\lambda/\mathrm{mW}\cdot\mathrm{m}^{-1}\cdot\mathrm{K}^{-1} = a_0 + a_1(t'^{\circ}\mathrm{C}) + b_2(\rho/\mathrm{kg}\cdot\mathrm{m}^{-3})^2 + b_3(\rho/\mathrm{kg}\cdot\mathrm{m}^{-3})^3 + b_4(\rho/\mathrm{kg}\cdot\mathrm{m}^{-3})^4$$
(6)

The coefficients were determined to be:  $a_0 = 6.661 404$ ,  $a_1$  $= 3.018~743 \times 10^{-2}, b_2 = 8.299~915 \times 10^{-4}, b_3 = -1.074~127$  $\times$  10<sup>-5</sup>,  $b_4$  = 4.509 508  $\times$  10<sup>-8</sup>. The density of CF<sub>3</sub>I was calculated by the equation of state provided by Duan et al. (1997). Figure 6 shows the thermal conductivity of CF<sub>3</sub>I as a function of density near each isotherm, using the vapor pressure equation provided by Duan et al. (1996). Figure 7 shows the deviations of the experimentally measured CF<sub>3</sub>I thermal conductivity from eq 6, where  $\lambda_{exp}$  represents



**Figure 7.** Deviations of the experimental thermal conductivity from eq 6.



t∕°C

**Figure 8.** Curvatures of thermal conductivity for the saturation vapor and the ideal gas of  $CF_3I$ : (-) curvature for saturation vapor; (- - -) curvature for dilute gas.

the experimental results and  $\lambda_{cal}$  are the values calculated from eq 6. The maximum deviation of the experimental results of from eq 6 is 1.1%. The standard deviation of the experimentally measured data from eq 6 is 0.54%.

Since eq 6 contains no linear density term, the effect of density on the thermal conductivity is strongly reduced close to the dilute gas state (i.e.  $\rho \rightarrow 0$ ). At this state the density effect should vanish according to the kinetic theory of gases. Equation 6 permits determination of the thermal conductivity of both superheated gas and gas at saturation conditions (solid-line curves in Figure 6). For practical calculations, the thermal conductivities for saturation vapor as well as for the dilute gas ( $\rho \rightarrow 0$ ) are of special interest. The thermal conductivity for these two states are plotted as a function of temperature in Figure 8. The results were extrapolated along isotherms since the density range did not extend to two thermodynamic states. However the density range is wide enough for extrapolation, and the errors caused by extrapolation can be ignored. The thermal conductivity for saturated vapor and for dilute gas, indicated by  $\lambda''$  and  $\lambda_0$  respectively, are correlated as

$$\lambda''/\mathbf{m}\mathbf{W}^{-1}\cdot\mathbf{m}^{-1}\cdot\mathbf{K}^{-1} = c_0 + c_1(t'^\circ\mathbf{C}) + c_2(t'^\circ\mathbf{C})^2 + c_3(t'^\circ\mathbf{C})^3$$
(7)

and

$$A_0/\mathrm{mW}^{-1} \cdot \mathrm{m}^{-1} \cdot \mathrm{K}^{-1} = d_0 + d_1(t^{\circ}\mathrm{C})$$
 (8)

The coefficients  $c_i$  were determined to be  $c_0 = 6.965$  39,  $c_1 = 4.952$   $12 \times 10^{-2}$ ,  $c_3 = 5.911$   $57 \times 10^{-6}$ , and  $c_4 = 3.835$   $78 \times 10^{-6}$ . The coefficients  $d_i$  correspond to the coefficients  $a_i$  in eq 6. Figure 8 shows that  $\lambda''$  and  $\lambda_0$  are nearly equal at -10 °C but begin to deviate as temperature increases. This further indicates that both the temperature and density have an obvious effect on the thermal conductivity.

## Conclusion

An instrument contained two hot-wires was carefully developed and calibrated for measuring the thermal conductivity of fluids. Nitrogen was used to test the instrument. The thermal conductivity of gaseous  $CF_3I$  from -6.5 °C to 66.5 °C at pressures up to 1000 kPa with an uncertainty of less than 3% was obtained.

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