Structures, Rotational Barriers, and Thermochemical Properties of Chlorinated Aldehydes and the Corresponding Acetyl (CC[•]=O) and Formyl Methyl Radicals (C[•]C=O) and Additivity Groups

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Received: August 9, 2001; In Final Form: October 18, 2001

Chlorinated formyl methyl radicals (C•C=O) are the stable keto forms of chlorovinoxy radicals formed by cleavage or abstraction of the weak O–H bonds of chlorovinyl alcohols. Thermochemical properties, $\Delta H_{\rm f}^{\circ}{}_{298}$, S°_{298} , and $C_p^{\circ}(T)$ (5 K $\leq T \leq 6000$ K), are computed by density functional B3LYP/6-31G(d,p) and B3LYP/ 6-311+G(3df,2p), ab initio QCISD(T)/6-31G(d,p), and composite CBS-Q calculation methods for chlorinated aldehydes and the corresponding chlorinated acetyl and formyl methyl radicals: CH₃CHO (1), CH₃CClO (2), CH₂ClCHO (3), CH₂ClCClO (4), CHCl₂CHO (5), CHCl₂CClO (6), CCl₃CHO (7), CCl₃CClO (8), CH₃C[•]=O (9), CH₂ClC[•]=O (10), CHCl₂C[•]=O (11), CCl₃C[•]=O (12), C[•]H₂CH=O (13), C[•]H₂CCl=O (14), E-C[•]HClCH= O (15), Z-C*HClCH=O (16), C*Cl₂CH=O (17), E-C*HClCCl=O (18), Z-C*HClCCl=O (19), C*Cl₂CCl=O (20). Molecular structures and vibration frequencies are determined at the B3LYP/6-31G(d,p) level of theory. Vibration frequencies are scaled for zero-point energies and thermal corrections. Two to four isodesmic reactions are utilized at each calculation level to determine $\Delta H_{\rm f}^{\circ}_{298}$ of each species. Contributions to S_{298}° and $C_{p}^{\circ}(T)$ from translation, vibration, and external rotations are calculated using the rigid-rotor-harmonic-oscillator approximation based on the B3LYP/6-31G(d,p) structures. Hindered internal rotational contributions to entropies and heat capacities are calculated by summation over the energy levels obtained from direct diagonalizations of the Hamiltonian matrix of the internal rotation. The bond energies of C-H and C-Cl in chloroaldehydes are also calculated.

Introduction

Stable chlorovinyl alcohols are the important products from OH addition to vinyl chlorides because of the low energy for scission of weaker C[•]C—Cl bonds relative to that for scission of C[•]C—OH bonds.^{1,2} The O—H bond is weak in a vinyl alcohol (about 86 kcal/mol), similar to the weak O—H bonds in phenols and hydroperoxides (about 87 kcal/mol). Facile abstraction of these weak vinoxy or phenolic H's results in vinoxy or phenoxy radicals, which undergo rapid electron rearrangement to the keto form (resonant structure), formyl methyl (C[•]C=O) radicals (reaction 1).

OH + CHCl=CHCl
$$\rightarrow$$
 C[•]HCl-CHClOH \rightarrow
CHCl=CHOH + Cl, $\Delta H_{ren} = -19.1$

CHCl=CHOH + C[•]H₃
$$\rightarrow$$
 CHCl=CHO[•] + CH₄,
(exothermic), $\Delta H_{rxn} = -16.8$

$$CHCl=CHO^{\bullet} \rightarrow C^{\bullet}HClCH=O, \quad \Delta H_{rxn} = -8.4$$
(1)

Talukdar et al.³ point out that to determine the ozone depletion potential of a compound such as CH₃CCl₃ it is necessary to understand not only its atmosphere lifetime but also the degradation kinetics of its decomposition products. CCl₃CHO can be a stable product in atmospheric degradation of organic compounds containing more than two carbons and a CCl₃ group. CH₃CCl₃ is the primary source of CCl₃CHO in the atmosphere.³ The $\Delta H_{f^{\circ}298}^{\circ}$ values for some of the stable aldehydes, such as CH₃CHO, CH₃CClO, and CCl₃CClO, are relatively wellstudied.^{4–8} Melius calculated the structures, moments of inertia, and frequencies of most of the titled chlorinated radicals at the HF/6-31G(d) level of theory and calculated enthalpy and free energy using the BAC-MP4 method.⁸ The S°_{298} and $C_p^{\circ}(T)$ values are almost unknown for all of these species, except CH₃-CHO and CH₃CClO. In this work, we investigate the thermochemical properties ($\Delta H_{f^{\circ}298}, S^{\circ}_{298}, C_p^{\circ}(T)$) and bond energies for twenty chlorinated aldehydes and acetyl and formyl methyl radicals, using four different ab initio and DFT methods.

Calculations

All calculations are performed using the Gaussian 94 program suite.⁹ The structures of all 20 species are fully optimized at the B3LYP/6-31G(d,p) level of theory. Harmonic vibration frequencies and zero-point vibrational energies (ZPVE) are computed at the same level. The B3LYP/6-31G(d,p) optimized geometrical parameters are used to obtain single total electronic energies in B3LYP/6-31G(d,p), B3LYP/6-311+G(3df,2p), QCIS-D(T)/6-31G(d,p), and CBS-Q single-point calculations.^{10–12} B3LYP/6-31G(d,p) is chosen because it is reported to give accurate structural parameters and it includes electron correlation. B3LYP/6-311+G(3df,2p) is a larger basis set with diffuse functions allowing more overlap of the Cl electrons. QCISD-(T)/6-31G(d,p) is considered a high-level ab initio method, and CBS-Q//B3LYP/6-31G(d,p) is a composite calculation method with corrections for electron type and spin contamination.

1. $\Delta H_{f^{\circ}298}$. Standard enthalpies of formation for CH₃CHO (1), CH₃CClO (2), CH₂ClCHO (3), CH₂ClCClO (4), CHCl₂-

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CClO (6), CCl₃CHO (7), CCl₃CClO (8), CH₃C[•]=O (9), and C[•]H₂CH=O(13) are available in the literature. Standard enthalpies of formation for CHCl₂CHO (5), CH₂ClC[•]=O (10), CHCl₂C[•]=O (11), CCl₃C[•]=O (12), C[•]H₂CCl=O (14), *E*-C[•]H-ClCH=O (15), *Z*-C[•]HClCH=O (16), C[•]Cl₂CH=O (17), *E*-C[•]H-ClCCl=O (18), *Z*-C[•]HClCCl=O (19), and C[•]Cl₂CCl=O (20) are determined using total energies obtained by the B3LYP/6-31G(d,p), B3LYP/6-311+G(3df,2p), QCISD(T)/6-31G(d,p), and CBS-Q calculation methods and generic isodesmic reactions for each species:

 $CHCl_2CH=O(5) + CH_3CHO \rightarrow 2CH_2CICHO$ (R5a) $2CHCl_2CH=O(5) \rightarrow CH_3CH=O + CCl_3CCl=O(R5b)$ $CH_2CIC^{\bullet}=O(10) + CH_3CHO \rightarrow CH_3C^{\bullet}=O +$ $CH_2ClCH=O$ (R10a) $CH_2CIC^{\bullet}=O(10) + CH_2O \rightarrow CHO + CH_2CICH=O$ (R10b) $CH_2ClC^{\bullet}=O(10) + C_2H_6 \rightarrow C_2H_5 + CH_2ClCH=O$ (R10c) $CH_2ClC^{\bullet}=O(10) + C_2H_5Cl \rightarrow C_2H_5 + CH_2ClCCl=O$ (R10d) $CHCl_2C^{\bullet}=O(11) + CH_3CCIO \rightarrow$ $CH_3C^{\bullet}=O + CHCl_2CCl=O$ (R11a) $CHCl_2C = O(11) + CH_2O \rightarrow CHO + CHCl_2CH = O$ (R11b) $CHCl_2C^{\bullet}=O(11) + C_2H_6 \rightarrow C_2H_5 + CHCl_2CH=O$ (R11c) $CHCl_2C^{\bullet}=O(11) + C_2H_5Cl \rightarrow C_2H_5 + CHCl_2CCl=O$ (R11d) $CCl_3C^{\bullet}=O(12) + CH_3CClO \rightarrow CH_3C^{\bullet}=O + CCl_3CCl=O$ (R12a) $CCl_3C = O(12) + CH_2O \rightarrow CHO + CCl_3CH = O(R12b)$ $CCl_3C^{\bullet}=O(12) + C_2H_6 \rightarrow C_2H_5 + CCl_3CH=O(R12c)$ $CCl_3C^{\bullet}=O(12) + C_2H_5Cl \rightarrow C_2H_5 + CCl_3CCl=O(R12d)$ $C^{\bullet}H_2CCl=O(14) + CH_3CHO \rightarrow C^{\bullet}H_2CHO + CH_3CCIO$ (R14a) C[•]H₂CCl=O (14) + CH₃C(=O)CH₃ → $C^{\bullet}H_2C(=O)CH_3 + CH_3CCIO$ (R14b) $E-C^{\bullet}HClCH=O(15) + CH_{3}CHO \rightarrow$ $C^{\bullet}H_{2}CHO + CH_{3}CCIO$ (R15a) $E-C^{+}HClCH=O(15) + CH_{3}C(=O)CH_{3} \rightarrow$ $C^{\bullet}H_2C(=O)CH_3 + CH_3CCIO$ (R15b) $Z-C^{\bullet}HClCH=O(16) + CH_{3}CHO \rightarrow$ $C^{\bullet}H_2CHO + CH_3CCIO$ (R16a) Z-C[•]HClCH=O (16) + CH₃C(=O)CH₃ \rightarrow $C^{\bullet}H_{2}C(=O)CH_{2} + CH_{2}CCIO$ (R16b) Zhu and Bozzelli

C[•]Cl₂CH=O (17) + CH₃CHO → C[•]H₂CHO + CH₂ClCClO (R17a)

$$E-C^{\bullet}HClCCl=O(18) + CH_{3}CHO \rightarrow$$

 $C^{\bullet}H_2CHO + CH_2ClCClO$ (R18a)

$$C^{\circ}Cl_2CCl=O(20) + CH_3CHO^{-1}$$

 $C^{\bullet}H_2CHO + CHCl_2CCIO$ (R20a)

The use of isodesmic reactions to determine $\Delta H_{\rm f}^{\circ}{}_{298}$ is based on the relationship shown in eq I:

$$\Delta H_{\rm rxn,298} = \sum (\text{total energies})_{298} \text{ of products} - \sum (\text{total energies})_{298} \text{ of reactants}$$
$$= \sum (\text{experimental } \Delta H_{\rm f}^{\circ}{}_{298} \text{ of products}) - \sum (\text{experimental } \Delta H_{\rm f}^{\circ}{}_{298} \text{ of reactants}) \text{ (I)}$$

The method of isodesmic reactions relies on the similarity of the bonding environments in the reactants and products that leads to partial cancellation of systematic errors in the density functional and ab initio molecular orbital calculations.¹³ Redfern et al. have compared the deviation of enthalpies of formation from experimental data for C₁ to C₁₆ *n*-alkanes using the B3LYP method.¹⁴ They clearly illustrate that use of a bond isodesmic working reaction or a homodesmotic working reaction with B3LYP calculations significantly improves the absolute accuracy in the calculations. For example, the error of computed enthalpies of formation, $\Delta H_{\rm f}^{\circ}_{298}$, using B3LYP/6-31G(d,p) for *n*-alkanes is reduced to 0.1 kcal/mol per carbon in the chain length, as opposed to 2 kcal/mol per carbon in the chain length obtained using heats of atomization reaction schemes. This translates to ±1 versus ±20 kcal/mol for *n*-decane.

2. S°_{298} , $C_{p}^{\circ}(T)$ (5 K $\leq T \leq$ 6000 K), and the Contributions of Hindered Internal Rotations to the Thermodynamic **Properties.** Contributions to S°_{298} and $C_{p}^{\circ}(T)$ from translation, vibrations, and external rotation (TVR) of species 1–20 are obtained using the rigid-rotor-harmonic-oscillator approximation from the frequencies along with moments of inertia based on the optimized B3LYP/6-31G(d,p) structure. The ZPVE and frequencies are scaled by factors of 0.9806 and 0.9989, respectively, according to calibration by Scott and Radom.¹⁵ Lazarou et al. have recently proposed a scaling factor of 1.0090 for vibrational frequencies at the B3LYP/6-311G(d) level.¹⁶ The

TABLE 1: Most Stable Geometries of Species 1-20 Optimized at the B3LYP/6-31G(d,p) Level of Theory

Species (ID#) $\sigma =$ Symmetry #	Stru	cture	Bond length	(angs- trom)	Bond angle	(degree)	Dihedral angle	(degree)
CH ₃ CH=O	.000%		r21	1.507				
(1)	H(3)	O(6)	r31	1.091	/312	110.52		
$\sigma = 3$	han	and the second	r41	1.097	/412	109.75	Z4123	-121.55
0 0	C(1)	$\rightarrow C(2)$	r51	1.097	/512	109.75	Z5123	121.58
	11H(4)	i wing	r62	1.211	/621	124.65	Z5125 76213	0.08
	H	H(7)	r72	1 1 1 4	2021	114 77	20213	-179.93
		n <u>(</u>)	112	1	Z721	•••••	27213	.,,,,,,,,
	~~~	<i></i>	-21	1 500				
$(\mathbf{n})$	H(3)	O(6)	-21	1.001	(212	100.04		
(2)	F	aad y ^{aan}	131 #41	1.091	2312	109.04	(4100	121.00
$\sigma = 3$	Ç(1)	C(2)	r41 	1.093	∠412	109.66	∠4123	-121.08
	H(4)I(5)	~	-62	1.095	2512	109.00	∠5123	121.07
	1000 C	200	-72	1.10/	∠621	120.11	∠6213	170.02
		C(7)	172	1.055	∠721	111.00	∠7213	-179.94
CH ₂ ClCH=O	~~~~~		r21	1.522				
(3)	H(3)	0(6)	r31	1.090	∠312	110.07		
$\sigma = 1$	2		r4 l	1.094	∠412	109.35	∠4123	-119.91
	$\hat{\mathbf{C}}$	$-\hat{\Gamma}(\hat{2})$	r51	1.804	∠512	111.58	∠5123	121.32
			r62	1.207	/621	121.74	∠6213	33.33
	$C_{\rm H}^{\rm eff}(4)$	H(7)	r72	1.110	/721	115.58	/7213	-148.02
		<u> </u>			2121		27213	
CH-CICCI=0			r21	1 516				
(4)	CI(3)	1990.	r31	1.788	(212	112.64		
(+)		O(6)	r41	1.700	2.512	102.04	(4122	121.01
$\Omega = 1$	Jan .		141	1.092	Z412	100.02	24123	120.00
	HA	-0(2)		1.092	2512	100.00	25123	120.99
	·····································	N.	102	1.103	∠621	129.39	∠6213	-0.07
			r/2	1.824	∠721	108.90	∠7213	179.95
CHCl ₂ CH=O			r21	1.529				
(5)	$\mathbf{H}(2)$	0(6)	r31	1.088	∠312	110.78		
$\sigma = 1$	11(2)	0(0)	r41	1.797	∠412	108.52	∠4123	-118.93
	C(1)	C(2)	r51	1.797	∠512	108.54	∠5123	118.96
		-((2)	r62	1.204	∠621	121.78	∠6213	0.05
	Cl(4)5)		r72	1.107	/721	114.41	∠7213	-179.96
		H(7)						
CHChCCl=O			r21	1.536				
(6)	H(3)	O(6)	r31	1.088	/312	106.77		
$\sigma = 1$	Jan	and the second	r41	1.789	//12	110.90	/4123	-116.97
0 1	C(1)	-C(2)	r51	1 789	2.412	110.87	Z5123	116 94
	C(4)	- Peter	r62	1 190	2012	122.14	Z5125 76213	0.00
	(3)		r72	1 781	∠621	115 31	20213	180.00
		Cl(7)	172	1.701	2721	115.51	21213	100.00
	11 Mar							
CCI ₃ CH=O	$\widehat{C}(\widehat{G})$		r21	1.553				
(7)		00	r31	1.770	∠312	112.05		101.40
$\sigma = 3$	λ.	0(0)	r4 I	1.803	∠412	106.23	∠4123	-121.48
	$- \tilde{\mathbf{C}}(1)$	$-\tilde{C}(2)$	r51	1.803	∠512	106.27	∠5123	121.51
	CIAN	S.	r62	1.198	∠621	123.92	∠6213	0.04
		H(7)	r72	1.106	∠721	111.67	∠7213	-179.96
	1992							
CCl ₃ CCl=O	Cl(3)		r21	1.567				
(8)	Ý	$\hat{O}(6)$	r31	1.782	∠312	108.95		
$\sigma = 3$	<u>)</u>	and the second	r41	1.794	∠412	108.86	∠4123	-119.72
	Ç(1)	-C(2)	r51	1.794	∠512	108.73	∠5123	119.66
	$Cl(4)^{<}$	~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~	r62	1.185	∠621	123.99	∠6213	-0.30
	(5)	dana.	r72	1.779	/721	113.74	∠7213	179.74
		Cl(7)						
CH ₂ C•=O		×	r21	1.516				
(9)	<b>H</b> (5)		r31	1 094	/312	108 70		
(~) <b>a</b> = 3	1.3	$\mathcal{O}(6)$	r41	1 094	//12	108 70	/4172	-116 30
0 = 5	dan.	and	r51	1.096	2_412 /510	111 53	/5122	121.86
	(C(1))	-C(2)	r67	1 1 80	∠312	127 90	ZJ123 (6212	-121.86
	H(4)	~~~	102	1.107	∠621	121.70	∠0213	121.00
	— H(3)							
CH.CIC.=O	and and a second se		r21	1 495				
(10)	C(5)		r31	1.002	/312	108 34		
(10)		<i></i>	r/1	1.092	21C2	108.24	/4122	-117.56
$\Omega = 1$		O(6)	141 "E 1	1.092	∠412	115.07	∠4125 (5100	101.00
	-	C(2)	131	1.000	∠512	122.07	∠5123	121.21
	$H(4, \mathcal{U}(1))$	~( <u>/</u> )	ro2	1.182	∠621	132.12	∠6213	-121.10
	Ha							
	11(5)							

torsion frequency corresponding to the intramolecular rotor (C-C) is not included in the TVR calculations.

Contributions to entropy and heat capacities from intramolecular rotation (C-C) are determined using direct integration

over energy levels of the internal rotation potential energy in which barriers are determined at the B3LYP/6-31G(d,p) level. A program, "ROTATOR",¹⁷ is used for this integration. This technique employs expansion of the hindrance potential in the

# TABLE 1 (Continued)

Species (ID#) σ = Symmetry #	Structure	Bond length	(angs- trom)	Bond angle	(degree)	Dihedral angle	(degree)
CHCl ₂ C•=O (11)	CI(5) CI(4)C(1)-C(2) H(3)	r21 r31 r41 r51 r62	1.528 1.089 1.798 1.807 1.179	∠312 ∠412 ∠512 ∠621	108.98 106.74 114.05 129.89	∠4123 ∠5123 ∠6213	-115.54 119.70 -128.56
$CCI_3C \bullet = O$ (12) $\sigma = 3$	CI(5) C(1)-C(2) CI(4) CI(3)	r21 r31 r41 r51 r62	1.551 1.792 1.793 1.800 1.177	∠312 ∠412 ∠512 ∠621	106.13 106.08 112.80 128.48	∠4123 ∠5123 ∠6213	-118.18 120.92 -121.06
C.H ₂ CH=O ( <b>13</b> ) σ = 2	H(3) O(6) C(2) C(1) H(4) H(5)	r21 r32 r42 r51 r61	1.425 1.085 1.085 1.108 1.239	∠321 ∠421 ∠512 ∠612	119.29 121.33 116.59 122.98	∠4213 ∠5123 ∠6123	179.97 179.98 0.00
$C \bullet H_2 CCI=O$ (14) $\sigma = 2$	H(3) O(6) (C(2)-C(1) H(4) (Cl(5)	r21 r32 r42 r51 r61	1.434 1.084 1.081 1.828 1.205	∠321 ∠421 ∠512 ∠612	117.53 121.68 121.92 126.63	∠4213 ∠5123 ∠6123	-179.99 -179.98 0.00
$E-C\bullet HCICH=O$ (15) $\sigma = 1$	H(3) 006) C(2) - C(1) H(5)	r21 r32 r42 r51 r61	1.431 1.084 1.715 1.107 1.233	∠321 ∠421 ∠512 ∠612	121.80 121.57 116.54 121.22	∠4213 ∠5123 ∠6123	179.98 -179.99 0.00
Z-C•HCICH=O (16) σ = 1	C(2) C(2) H(4) H(5)	r21 r32 r42 r51 r61	1.434 1.706 1.085 1.109 1.230	∠321 ∠421 ∠512 ∠612	121.68 122.33 113.28 125.09	∠4213 ∠5123 ∠6123	-179.99 179.98 0.00
$C \bullet Cl_2CH=O$ (17) $\sigma = 2$	C(3) C(2)-C(1) H(5)	r21 r32 r42 r51 r61	1.447 1.707 1.720 1.106 1.225	∠321 ∠421 ∠512 ∠612	121.24 120.16 113.79 123.33	∠4213 ∠5123 ∠6123	-179.93 179.96 -0.07
<i>E</i> -C•HClCCl=O (18) σ = 1	C(2)-C(1) H(4)	r21 r32 r42 r51 r61	1.440 1.700 1.081 1.824 1.200	∠321 ∠421 ∠512 ∠612	119.86 122.80 110.29 128.23	∠4213 ∠5123 ∠6123	-179.94 179.93 -0.07
$Z-C\bullet HCICCI=O$ (19) $\sigma = 1$	H(3) 0(6) C(2)-C(1) Cl(4) Cl(5)	r21 r32 r42 r51 r61	1.441 1.083 1.697 1.804 1.207	∠321 ∠421 ∠512 ∠612	117.42 125.93 116.52 122.37	∠4213 ∠5123 ∠6123	-179.98 179.99 0.00
$C \bullet Cl_2CCl=O$ (20) $\sigma = 2$	Cl(3) C(2)C(1) Cl(4) Cl(5)	r21 r32 r42 r51 r61	1.457 1.709 1.706 1.800 1.203	∠321 ∠421 ∠512 ∠612	117.62 124.63 114.95 123.98	∠4213 ∠5123 ∠6123	-179.94 179.98 -0.03

Fourier series (eq II), calculation of the Hamiltonian matrix on the basis of wave functions of the free internal rotor, and subsequent calculation of energy levels by direct diagonalization of the Hamiltonian matrix.^{18–20} The torsional potential calculated at discrete torsion angles is represented by a truncated Fourier series:

$$V(\Phi) = a_0 + \sum a_i \cos(i\Phi) + \sum b_i \sin(i\Phi)$$
  
i = 1, 2, 3, ... (II)

Values of the coefficients  $(a_0, a_i, and b_i)$  are calculated to provide the minimum and maximum of the torsional potentials

TABLE 2: B3L	YP/6-31G(d.p)	) Harmonic	Vibrational	Frequencies	and Moments	of Inertia	(amu bohr	•2)
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	frequency (cm ⁻¹ , not scaled)	$I_{\rm a}$	Ib	Ic
1	157, 505, 776, 889, 1129, 1139, 1388, 1438, 1473, 1485, 1840, 2884, 3038, 3099, 3163	31.73	178.89	199.48
2	138, 342, 428, 514, 598, 963, 1049, 1117, 1399, 1475, 1479, 1917, 3068, 3144, 3173	179.06	375.55	543.41
3	52, 275, 454, 696, 794, 1032, 1041, 1191, 1274, 1415, 1456, 1838, 2948, 3085, 3165	56.16	679.80	714.68
4	83, 198, 295, 431, 477, 716, 781, 917, 970, 1201, 1315, 1448, 1934, 3101, 3160	203.07	1231.98	1423.75
5	80, 253, 273, 322, 432, 700, 773, 1016, 1056, 1219, 1250, 1410, 1842, 2979, 3176	585.65	639.54	1164.22
6	47, 166, 172, 260, 406, 501, 577, 620, 780, 783, 1072, 1258, 1260, 1875, 3171	875.29	1260.61	1494.17
7	80, 199, 245, 269, 317, 322, 434, 619, 700, 833, 1012, 1021, 1395, 1861, 2993	996.98	1116.40	1207.40
8	43, 167, 171, 240, 279, 286, 356, 423, 508, 613, 738, 789, 832, 1007, 1894	1222.45	1807.53	1942.23
9	111, 463, 853, 952, 1049, 1365, 1470, 1471, 1937, 3037, 3132, 3134	21.76	182.00	192.61
10	179, 211, 580, 662, 796, 836, 1184, 1268, 1431, 1975, 3100, 3158	107.42	504.06	600.16
11	73, 194, 271, 370, 581, 670, 735, 813, 1207, 1249, 1968, 3158	514.47	652.04	1092.32
12	57, 178, 255, 262, 311, 383, 432, 573, 738, 778, 825, 1961	1007.24	1107.72	1191.16
13	458, 503, 753, 977, 980, 1162, 1408, 1486, 1568, 2956, 3162, 3279	26.96	158.22	185.18
14	320, 360, 433, 552, 602, 758, 1027, 1161, 1463, 1723, 3184, 3313	160.14	364.46	524.60
15	188, 278, 472, 652, 886, 969, 1162, 1265, 1426, 1611, 2974, 3237	34.94	675.87	710.81
16	215, 320, 574, 682, 826, 955, 1086, 1344, 1416, 1621, 2947, 3222	97.96	477.14	575.10
17	186, 213, 292, 337, 470, 672, 952, 975, 1200, 1408, 1652, 2982	451.14	696.05	1147.19
18	123, 201, 310, 431, 524, 633, 761, 858, 1110, 1338, 1771, 3263	198.04	1192.16	1390.19
19	139, 179, 407, 489, 516, 569, 658, 898, 1199, 1311, 1712, 3240	356.12	831.57	1187.69
20	65, 189, 261, 268, 347, 423, 521, 602, 777, 995, 1210, 1749	706.22	1227.88	1934.10

TABLE 3:	Enthalpies	of Formation	for Reference S	Species (	(and	Literature	Citations)
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species	$\Delta H_{ m f}^{\circ}_{ imes b0298}$ (kcal/mol)
CH ₄	$-17.89 \pm 0.07$ (Cox ⁵ ), $-17.78 \pm 0.1$ (Pedley ⁴ ), $-17.82$ (TRC ⁷ ), $-17.90$ (JANAF ³² ), $-17.9$ (Benson ⁶ ), $-17.89 \pm 1.00$ (Melius ⁸ ), $-17.83 \pm 0.07$ (Gurvich ³³ )
CH ₃	$34.97 \pm 0.12$ (Gurvich ³³ ), $34.82$ (JANAF ³² ), $35.09$ (TRC ⁷ ), $34.3$ (Benson ⁶ ), $34.88 \pm 1.18$ (Melius ⁸ ), $35.68$ (Seetula ³⁴ )
$C_2H_6$	$-20.2 \pm 0.1$ (Benson ⁶ ), $20.03 \pm 0.10$ (Pedley ⁴ ), $-20.24 \pm 0.12$ (Cox ⁵ ), $-20.24$ (SWS ³⁵ ), $-20.03$ (TRC ⁷ )
$C_2H_5$	$28.80 \pm 0.50$ (Marshall ³⁶ ), 25.89 (TRC ⁷ ), 28.80 (JANAF ³² ), 26.5 (Benson ⁶ ), 28.26 \pm 1.29 (Melius ⁸ ), 25.57 ± 1.43 (Gurvich ³³ ), 28.78 (Seetula ³⁴ )
$C_2H_5Cl$	$-26.79 \pm 0.26$ (Pedley ⁴ ), $-26.1 \pm 0.4$ (Cox ⁵ ), $-26.84$ (TRC ⁷ ), $-26.80$ (JANAF ³² ), $-26.7$ (Benson ⁶ ), $-27.17 \pm 1.02$ (Melius ⁸ )
CH ₃ CCl ₃	$-34.56 \pm 0.41$ (Pedley ⁴ ), $-34.00$ (TRC ⁷ ), $-33.55 \pm 1.97$ (Melius ⁸ )
CH ₂ O	$-25.96 \pm 0.12$ (Pedley ⁴ ), $-26.0$ (Benson ⁶ ), $-25.94$ (TRC ⁷ ), $-26.27$ (JANAF ³² ), $-25.98 \pm 0.12$ (Gurvich ³³ )
СНО	$10 \pm 1 (\text{Tsang}^{37}), 10 \pm 1.2 (\text{Gurvich}^{33}), 10.4^{38}$
acetone	$-51.94 \pm 0.17$ (Pedley ⁴ ), $-51.90 \pm 0.12$ (Cox ⁵ ), $-51.90$ (TRC ⁷ ), $-51.7$ (Benson ⁶ ), $-49.88 \pm 1.10$ (Melius ⁸ ), $-52.23$ (Wiberg ³⁹ )
$C^{\bullet}H_2C(=O)CH^3$	$-8.53 \pm 1.15^{\circ}, -6.0$ (Benson ⁶ ), $-5.7^{40}$
$CH_3CHO(1)$	$-39.70 \pm 0.12$ (Pedley ⁴ ), $-39.73 \pm 0.12$ (Cox ⁵ ), $-39.72$ (TRC ⁷ ), $-39.7$ (Benson ⁶ ), $-38.55 \pm 1.05$ (Melius ⁸ ), $-40.80$ (Wiberg ³⁹ )
$CH_3CCIO(2)$	$-58.03 \pm 0.19$ (Pedley ⁴ ), $-58.40 \pm 0.20$ (Cox ⁵ ), $-58.02$ (TRC ⁷ ), $-58.9$ (Benson ⁶ ), $-56.93 \pm 1.06$ (Melius ⁸ ), $-60.07 \pm 0.12$ . ⁴¹ $-58.40 \pm 0.20$ . ⁴² $-58.94^{43}$
$CH_2CICHO(3)$	$-41.67 \pm 1.05$ (Melius ⁸ ), $-41.97 \pm 1^{\circ}$
$CH_2ClCClO(4)$	$-58.70 \pm 1.00^{b}$ (Cox ⁵ ), $-58.33 \pm 1.22$ (Melius ⁸ ), $-59.59 \pm 3^{c}$
CHCl ₂ CClO (6)	$-57.70 \pm 1.00^{b} (\text{Cox}^{5}), -57.98 \pm 1.68 (\text{Melius}^{8}), -57.46 \pm 3^{c}$
CCl ₃ CHO (7)	$-45.52 \pm 2.96$ (Melius ⁸ ), $-47.01 \pm 3^{\circ}$
$CCl_3CClO(8)$	$-57.31 \pm 2.06$ (Pedley ⁴ ), $-56.60 \pm 2.10$ (Cox ⁵ ), $-56.49 \pm 3.99$ (Melius ⁸ ), $-60.50$ , 42 $-56.74 \pm 0.7^{\circ}$
$CH_3C^{\bullet}=O(9)$	$-2.90 \pm 0.70 (\text{Tsang}^{37}), -3.43 \pm 2^{\circ}, -2.67^{d}$
C•H ₂ CHO (13)	$3.55 \pm 1.00^{b}$ (Melius ⁸ ), $2.76 \pm 2^{c}$ , $3.93^{d}$

^a Italicized values are used in this work. ^b Uncertainty is estimated. ^c Calculated in this work. ^d Other work in this group.⁴⁴

with allowance of a shift of the theoretical extreme angular positions. The program input is further discussed below in the results section, and a complete example of input and output data is provided in the Supporting Information, Appendix.

## **Results and Discussion**

**1. Geometries and Vibrational Frequencies.** The most stable geometries, optimized at the DFT B3LYP/6-31G(d,p) level, for all twenty species are listed in Table 1 with vibrational frequencies and moments of inertia in Table 2. The optimized geometry shows a planar structure for each formyl methyl radical. Harmonic vibrational frequencies and moments of inertia are calculated on the basis of these optimized geometries at this level of theory. The frequency corresponding to the C–C bond torsion of each of species 1-12 is omitted in calculation of entropies and heat capacities; we substitute the contributions with values from internal hindered rotator analysis (discussed above). The internal rotation barriers are high (above 9 kcal/

mol) for each of the formyl and chloro formyl methyl radicals (species 13-20). We therefore treat these as vibrations and use the torsion frequencies in calculation of entropy and heat capacity.

Total energies for species 1-20 and all reference species in the isodesmic reactions (R5a, R5b, R10a-R20b) are calculated at the B3LYP/6-31G(d,p) level and at the B3LYP/6-311+G (3df,2p), QCISD(*T*)/6-31G(d,p), CBS-Q levels based on the B3LYP/6-31G(d,p) structure. Total energies are corrected by ZPVEs (scaled by 0.9806¹⁵) and thermal corrections from 0 to 298 K¹³ and listed in Supporting Information, Table S1.

The literature values of the reference species in the isodesmic reactions are reviewed in Table 3. Most hydrocarbons in this table are relatively well-established. Chloroethane and 1,1,1-trichloroethane are among the few chlorocarbons for which the literature enthalpies of formation are consistent. There are, however, larger discrepancies for chlorinated aldehydes 2, 3,

TABLE 4: Calculation of $\Delta H_{\rm f}^{\circ}_{298}$ (kcal/mol) for C [•] H ₂ C(=O)	CH ₃ Radical
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	B3I VP/6-31G(d n)	B3I $YP/6-311 + G(3df 2n)$	OCISD(T)/6-31G(d n)	CBS-Q //B3LYP/	uncer	tainty
isodesmic reactions	//B3LYP/6-31G(d,p)	//B3LYP/6-31G(d,p)	//B3LYP/6-31G(d,p)	6-31G(d,p)	$SD^a$	expt ^b
$C^{\bullet}H_2C(=O)CH_3 + CH_4 \rightarrow acetone + CH_3$	-10.24	-9.06	-7.43	-8.27	1.19	0.36
$C^{\bullet}H_2C(=O)CH_3 + C_2H_6 \rightarrow acetone + C_2H_5$	-9.35	-8.22	-5.33	-8.55	1.75	0.77
final result					$-8.53^{\circ}$	$\pm 1.15^{a}$

^{*a*} Standard deviations for all four levels of theory. ^{*b*} Cumulative uncertainties from reference species in reactions (see also Table 3). ^{*c*} Average value of B3LYP/6-311+G(3df,2p) and CBS-Q levels of theory. ^{*d*} Standard deviation for B3LYP/6-311+G(3df,2p) and CBS-Q levels of theory plus 0.77 kcal/mol (maximum cumulative uncertainties from  $\Delta H_{f^{\circ}298}^{\circ}$  of reference species).

TA	BLE	5:	Calculations	of	$\Delta H_{\rm f}^{\circ}_{298}$	(kcal/mol)	) for	Ald	lehyd	les .	3-8	8
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isodesmic reactions	B3LYP/ 6-31G(d,p) //B3LYP/ 6-31G(d,p)	B3LYP/ 6-311+G (3df,2p) //B3LYP/ 6-31G(d,p)	QCISD(T)/ 6-31G(d,p) //B3LYP/ 6-31G(d,p)	CBS-Q //B3LYP/ 6-31G(d,p)	avg ^a	literature range (see Table 3)
$CCl_3CClO (8) + C_2H_6 \rightarrow CH_3CHO + CCl_3CH_3$ $CH_2ClCHO (3) + C_2H_6 \rightarrow CH_3CHO + C_2H_5Cl$ $CH_2ClCClO (4) + CH_3CHO \rightarrow CH_3CClO + C_2H_5Cl$ $CHCl_2CHO (5) + CH_3CHO \rightarrow 2CH_2ClCHO$ $CHCl_2CHO (5) \rightarrow CH_4CHO + CCl_2CCI=0$	-54.98 -42.07 -57.96 -42.91 -46.48	-55.64 -41.91 -57.97 -43.98 -46.12	-57.96 -42.76 -59.11 -43.64 -45.65	-58.36 -42.16 -58.98 -45.56 -44.18	-56.74 -42.22 -58.50	-60.50 to -56.49 -41.97 -59.59 to -58.33
final result for <b>5</b> CHCl ₂ CClO ( <b>6</b> ) + CH ₃ CHO $\rightarrow$ CHCl ₂ CHO + CH ₃ CClO CCl ₃ CHO ( <b>7</b> ) + CH ₃ CClO $\rightarrow$ CH ₂ CHO + CCl ₃ CClO	-56.29 -48.01	57.07 -46.94	-57.93 -45.93	-58.65 -44.32	$\begin{array}{c} -44.96^{b}\pm 3.26^{c}\\ -57.49\\ -46.30\end{array}$	-57.98 to -57.46 -45.52

^{*a*} Average value of all four levels. ^{*b*} Average value of B3LYP/6-311+G(3df,2p) and CBS-Q levels of theory. ^{*c*} Statistic standard deviation for B3LYP/6-311+G(3df,2p) and CBS-Q levels of theory plus maximum cumulative uncertainties from  $\Delta H_{f^{\circ}298}^{\circ}$  of reference species.

**4**, **6**, **7**, and **8**. We calculate them in this work, and the results are listed in Table 3. Our results are all in the error ranges of the selected literature data.  $C^{+}H_2C(=O)CH_3$  and  $CHCl_2CH=O$  (**5**) are calculated in this work because to best of our knowledge no literature values are available.

2.  $\Delta H_{\rm f}^{\circ}_{298}$  of C[•]H₂C(=O)CH₃. This radical is used as a reference compound in the isodesmic reaction for formyl methyl radicals. The calculation for  $\Delta H_{\rm f}^{\circ}_{298}$  of the C[•]H₂C(=O)CH₃ is shown in Table 4. The result,  $-8.53 \pm 1.15$  kcal/mol, is lower than Benson's -6 kcal/mol.⁶

**3.**  $\Delta H_{\rm f}^{\circ}{}_{298}$  of 2, 3, 4, 5, 6, 7, and 8. It is seen from Table 3 that there are a few literature  $\Delta H_{\rm f}^{\circ}{}_{298}$  values for CH₃CClO (2), CH₂ClCHO (3), CH₂ClCClO (4), CHCl₂CClO (6), CCl₃CHO (7), and CCl₃CClO (8). In addition, we find no values for  $\Delta H_{\rm f}^{\circ}{}_{298}$  of CHCl₂CHO (5). We calculate the  $\Delta H_{\rm f}^{\circ}{}_{298}$  of species 2, 3, 4, 5, 6, 7, and 8 using CH₃CHO (1), C₂H₆, and C₂H₅Cl as reference species with results shown in Table 5. Our results for 2, 3, 4, 6, 7, and 8 are all within the error range of the available literature data. The literature  $\Delta H_{\rm f}^{\circ}{}_{298}$  values in Table 3 are, therefore, used for 2, 3, 4, 6, 7, and 8. Our calculated  $\Delta H_{\rm f}^{\circ}{}_{298}$  value is used for CHCl₂CHO (5).

**4.**  $\Delta H_{\rm f}^{\circ}_{298}$  of Acetyl Radicals and Formyl Methyl Radicals. The  $\Delta H_{\rm f}^{\circ}_{298}$  values for CH₃C[•]=O (9) and C[•]H₂CHO (13) are taken from review of the literature in Table 3. The  $\Delta H_{\rm f}^{\circ}_{298}$  values for radicals 10–12 and 14–20 are obtained using the isodesmic reaction method at different levels of theory.

The enthalpy changes of the isodesmic reactions are calculated from the total energies (Table 6). The calculated  $\Delta H_{\rm f}^{\circ}_{298}$  values for **10–12** and **14–20** are shown in Table 7. We take the average of two levels, B3LYP/6-311+G(3df,2p) and CBS-Q, for our recommended  $\Delta H_{\rm f}^{\circ}_{298}$ .

The accuracy of  $\Delta H_{\rm f}^{\circ}{}_{298}$  in this computation methodology is governed by several factors: (i) the choice of the working chemical reactions used to cancel calculation errors; (ii) the level of sophistication (method + basis set) applied to calculate the electronic energy; (iii) the uncertainty of the ZPVE's and thermal corrections; (iv) the reliability of the  $\Delta H_{\rm f}^{\circ}{}_{298}$  of reference compounds. We use acetaldehyde, formaldehyde, ethane, and chloroethane in four isodesmic reactions for each of the three acetyl radicals 10-12 (eqs R10, R11, and R12 series). Differences in  $\Delta H_{\rm f}^{\circ}_{298}$  between the three working reactions are small. The reactions using CH2 versus CCl2 result in a similar value in this system. We select aldehyde and acetone in our isodesmic reactions R14-R20 because they have similar chemical structures with the target species 14-20. Most enthalpies of reaction in Table 6 are less than 10 kcal/mol indicating similar energy structures on both sides of the equations and suggesting a reasonable cancellation of errors. ZPVEs and thermal corrections have small contributions to the errors on a relative base. Scott and Radom report rms errors after scaling (0.9806 for B3LYP/ 6-31G(d)) of  $\pm 0.1$  kcal/mol for ZPVE in their study on 39 molecules incorporating 1066 known vibrations. They also report a rms error of about  $\pm 0.01$  kcal/mol for thermal correction from 0 to 298 K in DFT.¹⁵ We assume that our calculations on species in the isodesmic reactions have the same error ranges and assign the accumulative uncertainties in  $\Delta H_{\rm f}^{\circ}{}_{298}$  from ZPVEs and thermal corrections to be  $\pm 0.44$  kcal/mol. Other sources of error listed in Table 7 comprise the standard deviation of four calculated  $\Delta H_{\rm f}^{\circ}_{298}$  values (two selected levels and two to four isodesmic reactions), plus the cumulative uncertainties in  $\Delta H_{\rm f}^{\circ}_{298}$  for the reference species. Our results are in agreement (within  $\pm 1$  kcal/mol) with the web data of Melius,⁸ in those cases for which comparisons can be made. The recommended  $\Delta H_{\rm f}^{\circ}_{298}$  values are summarized in Table 8.

**5. Internal Rotational Barriers.** The potential barrier for internal rotation around the C–C bond is calculated at the B3LYP/6-31G(d,p) level. Potential energy as a function of dihedral angle is determined by scanning the torsion angle of C–C from 0° to 360° at 15° intervals and allowing the remaining molecular structural parameters to be optimized. Geometries at all maximum and minimum values are fully optimized in separate calculations. Diagrams for potential energy (ZPVE and thermal corrections included) changes with torsion angle are shown in Figures 1–3. The values of the coefficients of the Fourier expansion,  $a_i$  and  $b_i$  in eq II, are obtained from the fitting program in SigmaPlot version 2.0 and then used in

## TABLE 6: Calculated $\Delta H_{rxn,298}$ (kcal/mol) for Radicals

isodesmic reactions	B3LYP/ 6-31G(d,p) //B3LYP/ 6-31G(d,p)	B3LYP/ 6-311+G(3df,2p) //B3LYP/ 6-31G(d,p)	QCISD(T)/ 6-31G(d,p) //B3LYP/ 6-31G(d,p)	CBS-Q //B3LYP/ 6-31G(d,p)
(R10a) $10 + CH_3CHO \rightarrow CH_2CICHO + CH_3C=O$	1.07	0.63	-0.29	-0.35
(R10b) $10 + CH_2O \rightarrow CH_2ClCHO + CHO$	0.04	-0.10	-1.55	-1.17
(R10c) $10 + C_2H_6 \rightarrow CH_2ClCHO + C_2H_5$	13.14	12.17	9.12	11.89
(R10d) $10 + C_2H_5Cl \rightarrow CH_2ClCClO + C_2H_5$	3.02	2.13	-0.64	2.04
(R11a) $11 + CH_3CCIO \rightarrow CHCl_2CCIO + CH_3C^{\bullet}=O$	4.35	2.82	2.22	0.54
(R11b) $11 + CH_2O \rightarrow CHCl_2CHO + CHO$	-3.68	-4.13	-4.41	-4.92
(R11c) $11 + C_2H_6 \rightarrow CHCl_2CHO + C_2H_5$	9.43	8.14	6.26	8.14
(R11d) $11 + C_2H_5Cl \rightarrow CHCl_2CClO + C_2H_5$	3.86	2.05	-0.12	1.43
(R12a) $12 + CH_3CCIO \rightarrow CCI_3CCIO + CH_3C^{\bullet}=O$	6.57	5.22	4.13	1.92
(R12b) $12 + CH_2O \rightarrow CCl_3CHO + CHO$	-4.20	-4.18	-4.79	-4.95
$(R12c) 12 + C_2H_6 \rightarrow CCl_3CHO + C_2H_5$	8.90	8.09	5.88	8.11
$(R12d) 12 + C_2H_5Cl \rightarrow CCl_3CClO + C_2H_5$	6.07	4.45	1.80	2.80
(R14a) $14 + CH_3CHO \rightarrow C^{\bullet}H_2CHO + CH_3CCIO$	-2.83	-3.04	-2.64	-2.73
(R14b) $14$ + acetone $\rightarrow$ C [•] H ₂ C(=O)CH ₃ + CH ₃ CClO	-1.62	-1.82	-1.50	-1.70
(R15a) $15 + CH_3CHO \rightarrow C^{\bullet}H_2CHO + CH_3CCIO$	-9.44	-8.87	-8.98	-8.63
(R15b) $15 + \text{acetone} \rightarrow C^{\bullet}H_2C(=O)CH_3 + CH_3CCIO$	-8.24	-7.65	-7.84	-7.60
(R16a) $16 + CH_3CHO \rightarrow C^{\bullet}H_2CHO + CH_3CCIO$	-10.18	-9.69	-9.59	-9.57
(R16b) 16 + acetone $\rightarrow$ C•H ₂ C(=O)CH ₃ + CH ₃ CClO	-8.98	-8.47	-8.44	-8.54
(R17a) $17 + CH_3CHO \rightarrow C^{\bullet}H_2CHO + CH_2CICCIO$	-4.19	-3.00	-3.82	-2.25
(R17b) $17$ + acetone $\rightarrow$ C [•] H ₂ C(=O)CH ₃ + CH ₂ ClCClO	-2.99	-1.78	-2.67	-1.23
(R18a) $18 + CH_3CHO \rightarrow C^{\bullet}H_2CHO + CH_2CICCIO$	5.12	5.73	4.30	4.80
(R18b) $18$ + acetone $\rightarrow$ C•H ₂ C(=O)CH ₃ + CH ₂ ClCClO	6.32	6.95	5.45	5.82
(R19a) $19 + CH_3CHO \rightarrow C^{\bullet}H_2CHO + CH_2CICCIO$	3.86	4.45	3.37	4.29
(R19b) $19$ + acetone $\rightarrow$ C•H ₂ C(=O)CH ₃ + CH ₂ ClCClO	5.06	5.68	4.52	5.32
(R20a) $20 + CH_{3CHO} \rightarrow C^{-}H_2CHO + CHCl_2CCIO$	9.75	9.90	8.12	8.75
(R20b) $20$ + acetone $\rightarrow$ C [•] H ₂ C(=O)CH ₃ + CHCl ₂ CClO	10.95	11.12	9.27	9.77

TABLE 7:  $\Delta H_{f^{\circ}298}^{\circ}$  (kcal/mol) for Radicals by Isodesmic Reactions and Theoretical Calculation Methods

		B3L $YP/6-31G(d n)$	B3L $YP/6-311+G(3df 2n)$	OCISD(T)/6-31G(d n)	CBS-0		uncer	tainty	
		//B3LYP/6-31G(d,p)	//B3LYP/6-31G(d,p)	//B3LYP/6-31G(d,p)	//B3LYP/6-31G(d,p)	avg ^a	$SD^a$	ref ^b	Melius ⁸
10	(R10a)	-5.94	-5.50	-4.58	-4.52			1.87	
	(R10b)	-5.75	-5.61	-4.16	-4.54			2.17	
	(R10c)	-5.81	-4.84	-1.79	-4.56			1.65	
	(R10d)	-6.13	-5.24	-2.47	-5.15	-4.99	0.44	1.76	
11	(R11a)	-6.92	-5.39	-4.79	-3.11			1.89	
	(R11b)	-5.32	-4.87	-4.59	-4.08			4.38	
	(R11c)	-5.39	-4.10	-2.22	-4.10			3.86	
	(R11d)	-5.97	-4.16	-1.99	-3.54	-4.17	0.71	1.76	
12	(R12a)	-8.75	-7.40	-6.31	-4.10			2.95	
	(R12b)	-4.10	-4.12	-3.51	-3.35			4.08	
	(R12c)	-5.42	-4.61	-2.40	-4.63			1.21	
	(R12d)	-7.79	-6.17	-3.52	-4.52	-5.18	1.10	1.96	-5.28
14	(R14a)	-11.95	-11.74	-12.14	-12.05			1.31	
	(R14b)	-13.00	-12.80	-13.12	-12.92	-12.60	0.49	1.55	-11.53
15	(R15a)	-5.34	-5.91	-5.80	-6.15			1.31	
	(R15b)	-6.38	-6.97	-6.78	-7.02	-6.51	0.57	1.55	-6.02
16	(R16a)	-4.60	-5.09	-5.19	-5.21			1.31	
	(R16b)	-5.64	-6.15	-6.18	-6.08	-5.63	0.56	1.55	-5.43
17	(R17a)	-11.26	-12.45	-11.63	-13.20			2.12	
	(R17b)	-12.30	-13.51	-12.62	-14.06	-13.30	0.67	2.32	-12.45
18	(R18a)	-20.57	-21.18	-19.75	-20.25			2.12	
	(R18b)	-21.61	-22.24	-20.74	-21.11	-21.20	0.82	2.32	-20.32
19	(R19a)	-19.31	-19.90	-18.82	-19.74			2.12	
	(R19b)	-20.35	-20.97	-19.81	-20.61	-20.30	0.58	2.32	-19.42
20	(R20a)	-24.20	-24.35	-22.57	-23.20			2.12	
	(R20b)	-25.24	-25.41	-23.56	-24.06	-24.26	0.91	2.36	-24.27

^{*a*} Average and standard deviations for B3LYP/6-311+G(3df,2p) and CBS-Q levels of theory. ^{*b*} Cumulative uncertainties from reference species in isodesmic reactions (see Table 3).

the program "ROTATOR"^{17,18,21} to calculate the contributions of internal rotors to  $S^{\circ}_{298}$  and  $C_p^{\circ}(T)$  (5 K  $\leq T \leq 6000$  K). These coefficients are listed in Supporting Information Table S2.

Input and output data for  $CH_2CIC^{\bullet}=O(10)$  is shown and described in Supporting Information, Appendix, as an example application of this program. The "ROTATOR" calculation takes the 3D structure for the lowest energy conformer of the

molecule, information about each atom's coordinate (x, y, z), and the respective connection to atoms of the bond about which rotation is occurring. The code calculates the reduced moment of inertia not about the bond but about the rotation axis—a method described by Pitzer and Gwinn^{22–25} for this type of internal rotation. One can observe the results in the appendix of Supporting Information, in which the occurrence of near degenerate eigenenergies is observed with increase in energy

				$C_p^{\circ}(I)$							
		$\Delta H_{ m f}^{\circ}{}_{298}$	$S^{\circ}_{298}$	300 K	400 K	500 K	600 K	800 K	1000 K	1500 K	note
$CH_3CH=O(1)$	TVR		57.92	11.34	13.95	16.50	18.77	22.49	25.31	29.69	
- 5 ()	I.R.		5.23	1.54	1.36	1.25	1.18	1.10	1.07	1.03	
	total		63.15	12.88	15.31	17.75	19.95	23.59	26.38	30.72	
		$-39.70 \pm 0.12$	63.10	13.30	15.79	18.27	20.56	24.19	26.81	31.10	use ^c
$CH_3CCI=O(2)$	TVR		65.34	14.56	17.30	19.69	21.71	24.88	27.22	30.81	
	LR.		5.42	1.53	1.35	1.24	1.17	1.10	1.06	1.03	
	total		70.76	16.09	18.65	20.93	22.88	25.98	28.28	31.84	
		$-58.03 \pm 0.19$	70.59	16.28	18.89	21.20	23.19	26.32	28.62	32.00	usec
$CH_2C CH=O(3)$	TVR		66.94	13.84	16.74	19.32	21.49	24.84	27.25	30.88	
	LR.		6.08	2.07	2.02	1.91	1.77	1.49	1.24	0.81	
	total	$-41.67 \pm 1.05$	73.02	15.91	18.76	21.23	23.26	26.33	28.49	31.69	d
$CH_2C[CC]=O(4)$	TVR		73.43	17.07	20.07	22.49	24.42	27.24	29.19	32.04	
	LR		6.24	3.85	3.19	2.37	1.74	1.01	0.64	0.27	
	total	$-58.70 \pm 1.00$	79.67	20.92	23.26	24.86	26.16	28.25	29.83	32.31	e
$CHCl_2CH=O(5)$	TVR	00170 ± 1100	73.86	17.23	20.14	22.55	24.49	27.34	29.30	32.12	C
	LR		5.31	3.75	3.19	2.62	2.18	1.61	1.26	0.76	
	total	$-44.96 \pm 3.26$	79 17	20.98	23 33	25.17	26.67	28.95	30.56	32.88	f
$CHCl_{2}CCl=O(6)$	TVR	11.90 ± 5.20	79.39	20.34	23.40	25.68	27.40	29.76	31.27	33.31	J
	IR		7.68	1 51	1 30	1 10	0.92	0.65	0.47	0.25	
	total	$-57.70 \pm 1.00$	87.07	21.85	24 70	26.78	28.32	30.41	31 74	33.56	P
$CC_{1}CH=O(7)$	TVR	57.70 ± 1.00	77.43	21.00	24.18	26.70	27.90	30.12	31.55	33.49	c
	IR		6 39	21.30	1 94	1 74	1 56	1.28	1.06	0.68	
	total	$-44.26 \pm 3.14$	83.82	23.13	26.12	28.04	29.46	31.40	32.61	34.17	d
$CC_{1}CC_{2}=O(8)$	TVR	44.20 ± 5.14	82 71	23.43	27.60	29.56	30.92	32.61	33.58	34.70	и
	IR		7 87	1.65	1 29	1.00	0.77	0.49	0.34	0.16	
	total	$-5731 \pm 206$	90.58	26.27	28.89	30.56	31.69	33.10	33.92	34.86	a
	totai	57.51 ± 2.00	70.50	20.27	20.07	50.50	51.07	55.10	55.72	54.00	8
$CH_3C = O(9)$	TVR		58.82	10.95	13.02	14.98	16.72	19.55	21.69	25.07	
	I.R.		5.49	1.16	1.09	1.06	1.04	1.02	1.01	1.00	
	total	$-2.90 \pm 0.70$	64.31	12.11	14.11	16.04	17.76	20.57	22.70	26.07	h
$CH_2ClC^{\bullet}=O(10)$	TVR		68.67	13.55	15.91	17.88	19.49	21.92	23.66	26.28	
	I.R.		3.84	2.73	3.33	3.50	3.35	2.73	2.17	1.35	
	total	$-4.99 \pm 3.05$	72.51	16.28	19.24	21.38	22.84	24.65	25.83	27.63	f
$CHCl_2C^{\bullet}=O(11)$	TVR		75.04	16.86	19.28	21.10	22.48	24.43	25.73	27.54	
	I.R.		6.30	2.09	1.83	1.62	1.48	1.26	1.10	0.81	
	total	$-4.17 \pm 5.53$	81.34	18.95	21.11	22.72	23.96	25.69	26.83	28.35	f
$CCl_3C^{\bullet}=O(12)$	TVR		78.80	21.10	23.41	24.90	25.93	27.23	27.99	28.90	
	I.R.		6.83	1.58	1.36	1.24	1.17	1.05	0.95	0.71	
	total	$-5.18 \pm 5.62$	85.63	22.68	24.77	26.14	27.10	28.28	28.94	29.61	f
$C^{+}H_{2}CH=O(13)$		$355 \pm 100$	60.45	12.60	15.12	17 32	1915	21.97	24 04	27.25	d
$C^{+}H_{2}CC = O(14)$		$-12.60 \pm 3.13$	68.53	16.19	18.73	20.68	22.20	24.44	26.02	28.41	f
$E-C^{+}HClCH=O(15)$		$-6.51 \pm 2.52$	69.90	15.29	17.76	19.86	21.56	24.08	25.83	28.40	f
Z-C·HClCH=O (16)		$-5.63 \pm 2.51$	69.66	15.02	17.62	19.77	21.50	24.06	25.82	28.40	f
$C^{-}C_{C}C_{H}=O(17)$		$-13.30 \pm 3.43$	75.75	18.37	20.78	22.70	24.20	26.34	27.72	29.59	f
$E-C^{\bullet}HC CC =O(18)$		$-21.20 \pm 3.58$	77.57	18.71	21.23	23.11	24.53	26.50	27.78	29.55	f
$Z-C^{+}HC CC =O(19)$		-20.30 + 3.34	77.25	18.64	21.19	23.09	24.53	26.51	27.80	29.57	f
$C^{-}C_{2}C_{2}C_{2}=O(20)$		$-24.26 \pm 3.67$	83.02	21.85	24.26	25.96	27.20	28.79	29.71	30.78	f
()					== 5			=			5

 ${}^{a}\Delta H_{f}^{\circ}{}_{298}$  in kcal/mol;  $S^{\circ}{}_{298}$  and  $C_{p}^{\circ}(T)$  in cal/mol K.  b  TVR = translational + vibrational + external rotational; I.R. = internal rotational.  ${}^{c}\Delta H_{f}^{\circ}{}_{298}$  from Pedley;  ${}^{4}S^{\circ}{}_{298}$  and  $C_{p}^{\circ}(T)$  from TRC.⁷  ${}^{d}\Delta H_{f}^{\circ}{}_{298}$  from Melius;  ${}^{8}S^{\circ}{}_{298}$  and  $C_{p}^{\circ}(T)$  from B3LYP/6-31G(d,p) calculation.  ${}^{e}\Delta H_{f}^{\circ}{}_{298}$  from theoretical calculation in this group;  $S^{\circ}{}_{298}$  and  $C_{p}^{\circ}(T)$  from B3LYP/6-31G(d,p) calculation.  ${}^{f}\Delta H_{f}^{\circ}{}_{298}$  from theoretical calculation in this group;  $S^{\circ}{}_{298}$  and  $C_{p}^{\circ}(T)$  from B3LYP/6-31G(d,p) calculation.  ${}^{f}\Delta H_{f}^{\circ}{}_{298}$  from B3LYP/6-31G(d,p) calculation.  ${}^{h}\Delta H_{f}^{\circ}{}_{298}$  from Tsang;  ${}^{37}S^{\circ}{}_{298}$  and  $C_{p}^{\circ}(T)$  from B3LYP/6-31G(d,p) calculation.

from the bottom of the well. This is a very satisfying demonstration and reinforces this occurrence of degenerate energy levels, which are illustrated via ammonia inversion in many textbooks.

Figure 1 shows the internal rotational barriers for the eight chlorinated aldehyde species 1-8. All of them have three minima for  $\angle OCCH$  ( $\angle OCCCl$  in 8, see Table 1) of 0°, 120°, and 240°, except CH₂ClCHO (3). The lowest barriers are observed in CH₃CHO and CH₃CClO, about 1.1 kcal/mol; the highest barrier is in CHCl₂CHO, 4.25 kcal/mol.

Figure 2 shows the internal rotational barriers for four chlorinated formyl methyl radicals 9-12. It is seen that CH₂-ClC•=O has two minima and CHCl₂C•=O has three minima. This results from the interaction between lone pair electrons on oxygen and the C-Cl antibonding orbital, which can be ascribed as the anomeric effect.²⁶ In CH₂ClC•=O (10), the two

minima are the Cl and O eclipsed conformer ( $\angle$ ClCCO = 0°) and the anti conformer ( $\angle$ ClCCO = 180°). In CHCl₂C•=O (11), the minima include the two Cl and O eclipsed conformers ( $\angle$ ClCCO = 0°) with the third minimum of the anti conformer ( $\angle$ ClCCO = 180°). The lowest barriers are observed in CH₃C•=O, 0.6 kcal/mol, and CH₂ClC•=O has the highest barriers, about 4.5 kcal/mol.

The rotational barrier increases significantly in acetyl radicals **13–20**, relative to their stable parent species, as shown in Figure 3. The two lowest energy conformers for each species in Figure 3 are planar, which have  $\angle OCCH$  or  $\angle OCCCl$  equal to 0° and 180° (see Table 1). The species *E*-C•HClCH=O (**15**) and *Z*-C•H-ClCH=O (**16**) and *E*-C•HClCCl=O (**18**) and *Z*-C•HClCCl=O (**19**) are two pairs of isomers that share the same curves in Figure 3. The *E* isomers ( $\angle 6123 = 0^\circ$ ) are about 0.5 kcal/mol lower in energy than the *Z* isomers ( $\angle 6123 = 180^\circ$ ). The high



Figure 1. Internal rotational barriers of species 1–8.

Internal Rotational Barrier (kcal/mol)



Figure 2. Internal rotational barriers of species 9-12.

rotational barriers (9–16 kcal/mol) for species 13-20 result from breaking C•—C=O  $\pi$  overlap resonance when the species are varied from the planar structures.

**6. Standard Entropies and Heat Capacities.** The  $S^{\circ}_{298}$  and  $C_{\rho}^{\circ}(T)$  (5 K  $\leq T \leq 6000$  K) contributions from translation, external rotation, and vibrations (TRV) are calculated from B3LYP/6-31G(d,p) determined geometries and frequencies with a "SMCPS" computer program.²¹ TRV plus the contributions from internal rotations (IR) are listed in Table 8 for each species. Our calculated standard entropies and heat capacities for CH₃-CHO and CH₃CCIO are close to the TRC literature data.⁷ Table 8 summarizes the thermochemical properties,  $\Delta H_{\rm f}^{\circ}_{298}$ ,  $S^{\circ}_{298}$ , and  $C_{p}^{\circ}(T)$  (300 K  $\leq T \leq 1500$  K), for all 20 species discussed in this work. Thermochemical parameters of species 1–20 at temperature ranges of 5–6000 K are available in the Supporting Information, Table S3.

7. Group Additivity Values and C-H and C-Cl Bond Energies. Benson groups for species 1-20 including the groups

Internal Rotational Barriers (kcal/mol)



Figure 3. Internal rotational barriers of species 13-20.

for parents and the corresponding hydrogen bond increment (HBI) groups²⁷ for radicals are tabulated in Table 9. All groups relevant to compounds of this study, both previously assigned and newly derived, are listed in Table 10. The method for derivation of both central groups and hydrogen bond increment (HBI) groups is described by Sun and Bozzelli.²⁸ As a brief summary, the enthalpy value in a HBI group is the carbon– or oxygen–hydrogen bond enthalpy ( $\Delta H_{rxn,298}$  for bond cleavage) at the indicated site. The entropy and heat capacity terms are values that when added to the parent (nonradical molecule) result in the corresponding value for the radical. Entropy values are intrinsic (include no symmetry component for either the radical or parent). The entropy value does include correction for spin degeneracy of the electron and loss of the optical isomer, when appropriate.

The C-H and C-Cl bond energies in acetone, (chloro)aldehydes (1, 3, 5, 7), and acetyl chlorides (2, 4, 6, 8) are determined using the corresponding enthalpy change of the bond dissociation reactions and the thermochemical data of each species as listed in Table 8. From CHCl₂CH=O  $\rightarrow$  CHCl₂-C*=O + H, we get BE(O=C-H) =  $\Delta H_{rxn,298} = 92.9$ ; from CHCl₂CH=O  $\rightarrow$  CHCl*CH=O + Cl, we get BE(H₂C-Cl) =  $\Delta H_{rxn,298} = 67.4$ .

The bond energies in acetone and the chlorinated aldehydes are illustrated in Figure 4. We first discuss this figure going across (from left to right), in the direction of increasing Cl substitution on the methyl carbon. The carbonyl carbon– hydrogen bond energies in di- or trichloroaldehydes are about 4 kcal/mol higher than CH₃CHO and CH₂ClCHO (first row) because of the strong electronegativity of the added Cl atoms on the methyl carbon. The carbonyl carbon–chlorine bond energy also decreases about 3 kcal/mol from CH₃CClO to CCl₃-CClO (second row). Both methyl carbon–hydrogen and methyl carbon–chlorine bond energies decrease about 15 kcal/mol in first and second rows because of the steric and stabilization effects.

Moving from top to bottom in Figure 4 (direction of increasing Cl substitution on carbonyl carbon), one observes the methyl carbon-hydrogen bond energies increase by 1.7–2.3 kcal/mol because of the electron negativity of the Cl atom on the carbonyl carbon. The methyl carbon-chlorine bond

TABLE 9: Groups in Species 1-20

	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
									Centra	al Grou	ps									
C/CO/H ₃	Х	Х							Х		1		Х	Х						
C/CO/H ₂ /Cl			Х	Х						Х					Х	Х		Х	Х	
C/CO/H/Cl ₂					Х	Х					Х						Х			Х
C/CO/Cl ₃							Х	Х				Х								
CO/C/H	Х		Х		Х		Х		Х	Х	Х	Х	Х		Х	Х	Х			
CO/C/Cl		Х		Х		Х		Х						Х				Х	Х	Х
								Iı	nteract	ion Gro	oups									
INT/Cl ₂				Х							-							Х	Х	
INT/Cl ₃						Х														Х
INT/Cl ₄								Х												
									HBI	Group	s									
CC•=O									Х	X	Х	Х								
C•C=O													Х							
C•CCl=O														Х						
C•ClC=O															Х	Х				
$C^{\bullet}Cl_2C=O$																	Х			
C•ClCCl=O																		Х	Х	
$C^{-}Cl_2CCl=0$																				Х

<b>TABLE 10:</b>	Group	Values	$(\Delta H_{\rm f}^{\circ}_{298}$	in	kcal/mol, S	°298	and	$C_p^{\circ}$	in	cal/mol	K)	)
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groups	$\Delta H_{f}^{\circ}{}_{298}$	$S^{\circ}_{298}$	300 K	400 K	500 K	600 K	800 K	1000 K	1500 K	note	
				ŀ	Known Grou	ps					
C/CO/H ₃	-10.08	30.41	6.19	7.84	9.40	10.79	13.02	14.77	17.58	ref 6	
CO/C/H	-29.10	34.90	7.00	7.80	8.80	9.70	11.20	12.20	13.60	ref 6	
Int/Cl ₂	2.54	-1.29	0.75	0.46	0.23	0.08	-0.05	-0.05	0.02	ref 45	
Int/Cl ₃	3.85	-1.86	0.58	0.33	0.04	-0.12	-0.24	-0.24	0.20	ref 45	
Int/Cl ₄	5.10	-2.15	0.05	-0.11	-0.26	-0.24	-0.10	0.43	0.73	ref 45	
This Work. See Text											
CO/C/Cl	-47.95	42.36	10.09	11.05	11.80	12.40	13.30	13.85	14.42	from 2	
C/CO/Cl/H ₂	-12.93	38.36	9.50	11.36	12.63	13.62	15.07	16.16	17.98	from <b>3</b> , <b>4</b>	
C/CO/Cl ₂ /H	-14.73	45.42	12.58	14.43	15.66	16.51	17.55	18.25	19.11	from <b>5</b> , <b>6</b>	
C/CO/Cl ₃	-15.44	52.55	16.13	17.95	19.02	19.53	19.90	19.64	19.71	from 8	
				HBI Grou	p, This Wor	k, See Text					
CC•=O	94.52	-0.64	-0.59	-0.88	-1.41	-1.90	-2.79	-3.33	-4.28	from 9 to 12	
C•CH=O	94.83	-4.86	-0.59	-0.52	-0.88	-1.34	-2.25	-2.93	-3.93	from <b>13</b>	
C•CCl=O	97.53	-2.87	-0.09	-0.16	-0.52	-0.99	-1.88	-2.60	-3.59	from <b>14</b>	
C•ClCH=O	88.20	-3.48	-1.34	-1.47	-1.62	-1.79	-2.20	-2.54	-3.18	from 15, 16	
C*ClCClO	89.69	-2.02	-1.66	-1.66	-1.56	-1.57	-1.81	-2.17	-2.86	from 18, 19	
C•Cl ₂ CHO	82.63	-3.19	-1.21	-1.45	-1.76	-2.01	-2.41	-2.73	-3.12	from <b>17</b>	
C•Cl ₂ CClO	86.67	-1.52	-1.40	-1.55	-1.54	-1.59	-1.82	-2.15	-2.95	from <b>20</b>	



Figure 4. C-H and C-Cl bond energies in kcal/mol (bond lengths, angles, and atom sizes do not reflect actually optimized structures).

energies increase by 1-2 kcal/mol; one exception is the decrease in methyl carbon-chlorine bond energy from CHCl₂CHO to CHCl₂CClO, -1.9 kcal/mol.

The data in Table 4 show (i) a Cl atom on the methyl carbon decreases bond energies on the carbonyl carbon-chlorine, the methyl carbon-hydrogen, and the methyl carbon-chlorine

bonds but increases the carbonyl carbon–hydrogen bond energy and (ii) chlorination of the carbonyl carbon strengthens the bond energy of H (or Cl) on the vicinal carbon by 1–2 kcal/mol (the one exception is the methyl carbon–chlorine bond energy, which decreases from CHCl₂CHO to CHCl₂CClO). These results are similar to the trends of chlorination effects on ethanes and ethyl radicals found by Seetula²⁹ and Sun and Bozzelli.²⁸ Seetula finds that the  $\alpha$ -substituted Cl atom in chlorinated ethanes has a tendency to increase C_{$\beta$}–H bond strengths and decrease C_{$\alpha$}–H bond strengths. The Cl atom has a tendency to make other C–Cl bonds weaker, both in chlorinated ethanes and in ethyl radicals. All  $\beta$ -chlorinated ethyl radicals have a weak C–Cl bond and facile elimination ( $\beta$ -scission) of the Cl atom to form ethylene, whereas  $\alpha$ -chlorinated ethyl radicals are relatively stable at elevated temperature.

The C–H bond energy in acetone is 95.5 kcal/mol from our calculated  $\Delta H_{\rm f}^{\circ}_{298}$  of C•H₂C(=O)CH₃ in Table 4. This value is 1.5 kcal/mol higher than the estimated value by Bordwell and Harrelson (94 kcal/mol)³⁰ and 2.8 kcal/mol lower than the review value by McMillen and Golden (98.3 ± 1.8 kcal/mol).³¹

#### Summary

Structures, internal rotational barriers, and thermochemical properties of CH₃CHO (1), CH₃CCIO (2), CH₂CICHO (3), CH₂-CICCIO (4), CHCl₂CHO (5), CHCl₂CCIO (6), CCl₃CHO (7), CCl₃CClO (8), CH₃C[•]=O (9), CH₂ClC[•]=O (10), CHCl₂C[•]=O (11), CCl₃C[•]=O (12), C[•]H₂CH=O (13), C[•]H₂CCl=O (14), E-C•HClCH=O (15), Z-C•HClCH=O (16), C•Cl₂CH=O (17), E-C•HClCCl=O (18), Z-C•HClCCl=O (19), and C•Cl₂CCl=O (20) are studied by B3LYP/6-31G(d,p) DFT calculation. The recommended  $\Delta H_{\rm f}^{\circ}_{298}$  of each species in C•H₂C(=O)CH₃, 5, 10, 11, 12, and 14-20 is the average value of data using isodesmic reactions calculated at B3LYP/6-311+G(3df,2p) and CBS-Q levels of calculation based on B3LYP/6-31G(d,p) optimized geometry. The  $S^{\circ}_{298}$  and  $C_p^{\circ}(T)$  (5 K  $\leq T \leq 6000$ K) are determined by B3LYP/6-31G(d,p) optimized geometries and frequencies. The  $\Delta H_{\rm f}^{\circ}{}_{298}$ ,  $S^{\circ}{}_{298}$ , and  $C_p^{\circ}(T)$  (300 K  $\leq T \leq$ 1500 K) of all species from 1 to 20 are summarized in Table 8. Group values for four central groups, CO/C/Cl, C/CO/Cl/H₂, C/CO/Cl₂/H, and C/CO/Cl₃, and seven HBI groups, CC[•]=O,  $C^{\bullet}CH=O, C^{\bullet}CCI=O, C^{\bullet}CICH=O, C^{\bullet}CICCI=O, C^{\bullet}CI_2CH=O,$ and C•Cl₂CCl=O, are derived for use of group additivity estimation for higher chlorinated acetyl-containing molecules.

Acknowledgment. We acknowledge the USEPA Northeast Regional Research Centers and the USEPA Research Center on Airborne Organics for the funding. We acknowledge Chad Sheng for the "SMCPS" and the FORTRAN version of the "ROTATOR" computer code.

Supporting Information Available: Tables S1–S3 providing the total energies, coefficients for the truncated Fourier series, and thermochemical properties at T = 5-6000 K for 1–20 and an appendix containing an example of use of the "ROTATOR" program. This material is available free of charge via the Internet at http://pubs.acs.org.

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