

## Spectroscopic Studies of Metal Carbonyl Complexes. Part I. Theoretical Considerations and Application to Mercury Bis(tetracarbonylcobaltate)

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An earlier method of calculating CO stretching force fields for mono- and bi-nuclear metal carbonyl compounds, with the help of i.r. intensities, has been extended to incorporate Raman data. The Raman solution spectrum of  $\text{Hg}[\text{Co}(\text{CO})_4]_2$  in the CO-stretching region has been obtained, including the measurement of intensities and depolarization ratios, and the present treatment has been applied to this case. Compared with previous studies, a reassignment of two Raman bands seems necessary. The experimental evidence suggests that Raman intensities may be more directly applicable than corresponding i.r. data to the evaluation of carbonyl-stretching force constants.

We have been interested for some time in high-pressure and temperature studies of metal carbonyls by i.r. spectroscopy. In the course of an investigation of reactions involving dicobalt octacarbonyl under forcing conditions we encountered some unexpected spectral changes which led us to re-examine the behaviour of this compound.<sup>1</sup> With the help of i.r. and Raman spectra we hoped to calculate the force field for the non-bridged structure that is known to predominate at higher temperatures.<sup>2</sup> For this purpose it was necessary to develop further a treatment first introduced by Bor<sup>3</sup> to resolve the underdetermined force field for trigonal-bipyramidal complexes of the type  $[\text{RM}(\text{CO})_4]$ . This extended formalism is now tested on several such molecules including  $\text{Hg}[\text{Co}(\text{CO})_4]_2$ .

### THEORY

Some years ago Bor<sup>3</sup> developed a method of evaluating force fields of metal carbonyl complexes, more general than the original Cotton-Kraihanzel approach,<sup>4</sup> by introducing a parameter  $\cos \beta$  that expressed the degree of coupling between axial and equatorial C=O stretching vibrations. This parameter can be evaluated from the intensity ratios of the two i.r. bands due to the two highest frequencies assigned to  $A_1$  modes; thus, all diagonal and interaction force constants can be calculated. For several reasons we found it necessary to extend the method to take account of Raman data. First, we were interested in symmetric

$$\alpha_{S_1^{xyz}} = 3^{\frac{1}{2}} \begin{bmatrix} \alpha_p + \frac{1}{2} \cos^2 \delta (\alpha_1 - \alpha_p) & 0 & 0 \\ 0 & \alpha_p + \frac{1}{2} \cos^2 \delta (\alpha_1 - \alpha_p) & 0 \\ 0 & 0 & \alpha_p + \sin^2 \delta (\alpha_1 - \alpha_p) \end{bmatrix} \quad (1a)$$

binuclear complexes where i.r.-inactive vibrations occur; secondly, i.r. intensities can be affected by electronic interaction<sup>5,6</sup> which was deliberately neglected in the original treatment but has to be considered in certain cases, as later suggested by Bor; thirdly, an interesting observation had been made concerning the depolarization ratios of the two  $A_1$  bands in the Raman spectra of several complexes of the type  $[\text{RCo}(\text{CO})_4]$ ,<sup>7,8</sup> which we hoped to clarify.

<sup>1</sup> E. E. Ernstbrunner and M. Kilner, unpublished work.

<sup>2</sup> G. Bor and K. Noack, *J. Organometallic Chem.*, 1974, **64**, 367; K. Noack, *Helv. Chim. Acta*, 1962, **45**, 1847; *Spectrochim. Acta*, 1963, **19**, 1925; G. Bor, *ibid.*, p. 2065.

<sup>3</sup> G. Bor, *Inorg. Chim. Acta*, 1967, **1**, 81.

<sup>4</sup> F. A. Cotton and C. S. Kraihanzel, *J. Amer. Chem. Soc.*, 1962, **84**, 4432; *Inorg. Chem.*, 1963, **2**, 533.

<sup>5</sup> D. J. Darensbourg and T. L. Brown, *Inorg. Chem.*, 1968, **7**, 959.

<sup>6</sup> D. J. Darensbourg, *Inorg. Chim. Acta*, 1970, **4**, 597.

We consider a trigonal-pyramidal arrangement with the axial CO group along the  $Z$  axis and the three equatorial groups at an angle of  $(\pi/2) + \delta$  with respect to this axis as shown in Figure 1, in accordance with Bor's definition. The

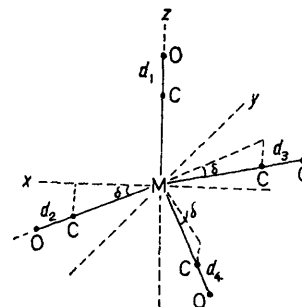


FIGURE 1 Co-ordinates for the trigonal-pyramidal complex

two  $A_1$  normal co-ordinates  $Q_1$  and  $Q_2$  (in Bor's notation<sup>3</sup>) are given in Table 1, where  $\cos \beta$  is the coupling parameter as defined by Bor and  $\mu_{\text{CO}}^{\frac{1}{2}}$  has been factored out. We now apply Wolkenstein's bond-polarizability theory,<sup>9,10</sup> assuming for simplicity: (a) cylindrically symmetrical polarizability tensors for all the CO groups, with component  $\alpha_1$  along the C-O bond and component  $\alpha_p$  perpendicular to it; (b) equal polarizability tensors for axial and equatorial CO groups; and (c) a non-rigorous treatment<sup>11</sup> taking account of the vibrational coupling between C-O and M-C stretches, introducing an effective polarizability  $\alpha = \alpha_{\text{CO}} - \kappa \alpha_{\text{MC}}$ ,

where  $\alpha_{\text{CO}}$  and  $\alpha_{\text{MC}}$  refer to the individual bonds and  $\kappa = \mu_c / (\mu_o + \mu_c)$ .<sup>11</sup> For  $S_1 = (\Delta_2 + \Delta_3 + \Delta_4) / 3^{\frac{1}{2}}$ , we find (1a) whereas for  $S_2 = \Delta_1$  we obtain (1b).

$$\alpha_{S_2^{xyz}} = \begin{bmatrix} \alpha_p & 0 & 0 \\ 0 & \alpha_p & 0 \\ 0 & 0 & \alpha_1 \end{bmatrix} \quad (1b)$$

The square of the spherical part,  $\bar{\alpha}^2$ , and the anisotropy,  $\gamma^2$ , for  $Q_1$  and  $Q_2$  are now readily derived (Table 1); similarly

<sup>7</sup> G. F. Bradley and S. R. Stobart, *J.C.S. Dalton*, 1974, 264.

<sup>8</sup> G. C. van der Berg, A. Oskam, and K. Vrieze, *J. Organometallic Chem.*, 1973, **57**, 329.

<sup>9</sup> M. Wolkenstein, *J. Exp. Theor. Phys.*, 1941, **11**, 642; *J. Phys.*, 1942, **5**, 185; M. Eliashevich and M. Wolkenstein, *ibid.*, 1945, **9**, 101, 326.

<sup>10</sup> G. W. Chantry, in 'The Raman Effect,' ed. J. Anderson, Dekker, New York, 1971, p. 49.

<sup>11</sup> J. R. Miller, *J. Chem. Soc. (A)*, 1971, 1985.

the corresponding quantities are found for the two components  $Q_3$  and  $Q_4$  of the  $E$  mode. As expected,  $\gamma_{Q_3}^2 =$

$$\alpha_{Q_3}^{xyz} = (3/8)^{\frac{1}{2}} \begin{bmatrix} 0 & \cos^2\delta(\alpha_1 - \alpha_p) & 0 \\ 0 & 0 & -\sin 2\delta(\alpha_1 - \alpha_p) \\ 0 & 0 & 0 \end{bmatrix} \quad (2a)$$

$\gamma_{Q_4}^2$ ; consequently we obtain equation (3). One direct consequence of our results is a straightforward explanation

$$\alpha_{Q_4}^{xyz} = (3/8)^{\frac{1}{2}} \begin{bmatrix} \cos^2\delta(\alpha_1 - \alpha_p) & 0 & \sin 2\delta(\alpha_1 - \alpha_p) \\ 0 & -\cos^2\delta(\alpha_1 - \alpha_p) & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (2b)$$

of the apparently anomalous  $\rho$  values for the second  $A_1$  Raman band in  $R_3M\text{-Co}(\text{CO})_4$  complexes where it is not

$$\gamma_E^2 = 2\gamma_{Q_3}^2 = \frac{9}{4}(\alpha_1 - \alpha_p)^2 \cos^2\delta(1 + 3\sin^2\delta) \quad (3)$$

noticeably polarized.<sup>7,8</sup> For  $\cos\beta = 0.5$ , a fairly typical value,<sup>3</sup>  $\bar{\alpha}_{Q_3}^2$  becomes zero, an interesting case of a totally symmetric mode giving rise to a depolarized Raman band. This becomes less surprising when one considers that one is dealing with an only slightly distorted tetrahedron and that the second  $A_1$  mode correlates with the  $F_2$  vibration ( $I_d$ ). But even for  $\cos\beta = 0$ ,  $\bar{\alpha}_{Q_3}^2 = 0.03(\alpha_1 + \alpha_p)^2$  and  $\gamma_{Q_3}^2 = 1.74(\alpha_1 - \alpha_p)^2$  (assuming  $\delta = 0$ ), so that, for polarized incident light  $\rho_1 = 3\gamma^2/(45\bar{\alpha}^2 + 4\gamma^2) = 0.72$  {employing a

If transition moments for each CO group are equal in the three stretching modes ( $2A_1 + E$ ), relations (4a) and (4b) will hold, with  $(I_1/I_2)^{\frac{1}{2}} = b$ . Equation (4a) provides a basically more reliable method of estimating  $\delta$  than assuming  $\cos\beta$  to be virtually constant and calculating  $\delta$  from (4b). Since experimentally  $0 \leq \delta < 8^\circ$  one would expect, from (4a),  $3 \geq I_3/(I_1 + I_2) > 2.8$ , whereas in practice values between 2.5 and 3.3 have been found.<sup>16</sup> The most

obvious way to account for this discrepancy is that the assumption of equal transition moments for all CO groups

$$\frac{I_3}{I_1 + I_2} = \frac{3\cos^2\delta}{1 + 3\sin^2\delta} \quad (4a)$$

$$\cos\beta = \frac{1 - b_0^2}{1 + b_0^2} \text{ where } b_0 = \frac{b + 3^{\frac{1}{2}}\sin\delta}{1 - 3^{\frac{1}{2}}b\sin\delta} \quad (4b)$$

in the three fundamentals ( $2A_1 + E$ ) is false. In an earlier study<sup>5</sup> apparent deviations from the expected ratio of the i.r. intensities were interpreted in terms of electronic interaction between vibrations, and as a more realistic approximation  $\mu_{A_1}^{(1)} \approx \mu_{A_1}^{(2)} > \mu_E'$  was suggested ( $\mu'$  is

TABLE 1  
Normal co-ordinates (Bor's notation<sup>3</sup>) and polarizabilities

$i$	$Q_i$	$\bar{\alpha}_{Q_i}^2$	$\gamma_{Q_i}^2$
1	$\frac{(1 + \cos\beta)(\Delta_2 + \Delta_3 + \Delta_4)}{2 \cdot 3^{\frac{1}{2}}} + \frac{(1 - \cos\beta)\Delta_1}{2}$	$\frac{1}{6}(\alpha_1 + 2\alpha_p)^2(2 + \cos\beta + 3^{\frac{1}{2}}\sin\beta)$	$(\alpha_1 - \alpha_p)^2 \frac{3^{\frac{1}{2}}}{2} \cos(\beta/2)(1 - 3\sin^2\delta) - \sin(\beta/2)^2$
2	$\frac{(1 - \cos\beta)(\Delta_2 + \Delta_3 + \Delta_4)}{2 \cdot 3^{\frac{1}{2}}} - \frac{(1 + \cos\beta)\Delta_1}{2}$	$\frac{1}{6}(\alpha_1 + 2\alpha_p)^2(2 - \cos\beta - 3^{\frac{1}{2}}\sin\beta)$	$(\alpha_1 - \alpha_p)^2 \frac{3^{\frac{1}{2}}}{2} \sin(\beta/2)(1 - 3\sin^2\delta) + \cos(\beta/2)^2$
3	$\frac{\Delta_3 - \Delta_4}{2^{\frac{1}{2}}}$	0	$\frac{9}{8}(\alpha_1 - \alpha_p)^2 \cos^2\delta(1 + 3\sin^2\delta)$
4	$\frac{2\Delta_2 - \Delta_3 - \Delta_4}{6^{\frac{1}{2}}}$	0	$\frac{9}{8}(\alpha_1 - \alpha_p)^2 \cos^2\delta(1 + 3\sin^2\delta)$

value for  $[(\alpha_1 + 2\alpha)/(\alpha_1 - \alpha_p)]^2$  of 0.20, derived from  $[\text{Mo}(\text{CO})_6]^{12}$ , and similarly for  $\cos\beta = -0.5$  one finds  $\rho = 0.65$ . Clearly, over a wide range of the coupling parameter  $\cos\beta$ ,  $\nu_2$  will appear as an only barely polarized band, without interaction with the  $E$  mode (as previously suggested<sup>7,13</sup>) having to be invoked.

With regard to Bor's treatment of i.r.-intensity data, we feel that a slight modification may be useful. Application of the original formulae has led, in several cases such as  $[\text{Fe}(\text{CO})_4(\text{PPh}_3)]^3$  and  $[\text{Co}(\text{CO})_4(\text{MMe}_3)]$  ( $M = \text{Ge}$  or  $\text{Sn}$ ),<sup>7</sup> to the conclusion that for bulky ligands  $\delta$  (Figure 1) becomes negative, *i.e.* that the equatorial CO groups bend away from the ligand to form an angle  $< 90^\circ$  with the axial group. What little evidence there is from structure determinations of carbonyl complexes does not bear this out; a direct comparison is provided by the case of  $\text{Hg}[\text{Co}(\text{CO})_4]_2$ <sup>14</sup> and  $\text{Hg}[\text{Co}(\text{CO})_3(\text{PBu}_3)]_2$ ,<sup>15</sup> where, on going from an axial CO group to the very bulky  $\text{PBu}_3$  group, the equatorial CO groups bend *towards* the latter by  $4^\circ$ , thus indicating that steric requirements do not greatly influence  $\delta$ . In all the known structures for  $[\text{RCo}(\text{CO})_4]$  complexes the equatorial CO groups are bent towards R by an angle between 2 and  $8^\circ$ .

<sup>12</sup> S. F. A. Kettle, I. Paul, and P. J. Stamper, *Inorg. Chim. Acta*, 1973, **7**, 11.

<sup>13</sup> M. A. El-Sayed and H. D. Kaesz, *J. Mol. Spectroscopy*, 1962, **9**, 310.

the transition moment). This, however, cannot account for the values of  $I_3/(I_1 + I_2) > 3$  found for  $[\text{Co}(\text{CO})_4(\text{SiCl}_3)]$  and  $[\text{Co}(\text{CO})_4(\text{SiEt}_3)]$ <sup>16</sup> (though a later study<sup>6</sup> obtained a ratio of 2.9 for the former compound). We therefore suggest instead (a) that  $\mu_{\text{CO}(\text{ax})'} \neq \mu_{\text{CO}(\text{eq})}'$  (not unreasonable, and indeed suggested before,<sup>5,6</sup> as axial and equatorial CO groups are electronically different, *cf.*, for example, force constants) and (b) that the transition moments are constant for both  $A_1$  and  $E$  fundamentals (which will not hold strictly<sup>5,6</sup>). The quantity  $\mu_{\text{CO}(\text{ax})}'/\mu_{\text{CO}(\text{eq})}' = k$  can then be calculated from modified formulae replacing (4). We have calculated force fields accordingly

$$\frac{I_3}{I_1 + I_2} = \frac{3\cos^2\delta}{K^2 + 3\sin^2\delta} \quad (5a)$$

$$\cos\beta = \frac{1 - b_1^2}{1 + b_1^2} \text{ where } b_1 = \frac{Kb + 3^{\frac{1}{2}}\sin\delta}{K - 3^{\frac{1}{2}}b\sin\delta} \quad (5b)$$

for a series of complexes  $[\text{Co}(\text{CO})_4(\text{MX}_3)]$  whose intensities and vibration frequencies had been measured earlier.<sup>16</sup> Assuming a constant angle  $\delta = 5^\circ$  throughout,  $k$  was

<sup>14</sup> G. M. Sheldrick and R. N. F. Simpson, *J. Chem. Soc. (A)*, 1968, 1005.

<sup>15</sup> R. F. Bryan and A. R. Manning, *Chem. Comm.*, 1968, 1316.

<sup>16</sup> O. Kahn and M. Bigorgne, *J. Organometallic Chem.*, 1967, **10**, 137.



As expected for a molecule with  $D_{3d}$  symmetry, three Raman-active fundamentals are observed in the CO-stretching region. The second and third frequencies agree well with a previous study.<sup>19</sup> The highest is observed at considerably lower frequency, but then some doubts had been expressed by the authors concerning the authenticity of the 2 107  $\text{cm}^{-1}$  band. It is perhaps more surprising that our data agree well with Bor's predictions from  $^{13}\text{C}$  enrichment studies in the i.r.

and  $I_1$  (obs.||), that is  $\gamma_E^2$  and  $\gamma_Q^2$  (Table 1) [equation (8)]. This, with  $\delta = 7^\circ$ , yields  $\cos\beta_g = 0.475 \pm 0.031$ . To

$$\begin{aligned} (I_1/I_3)_{(\text{obs.}||)} &= \frac{[3^4 \cos(\beta_g/2)(1 - 3\sin^2\delta) - 2\sin(\beta_g/2)]^2}{9\cos^2\delta(1 + 3\sin^2\delta)} \\ &= 0.018 \pm 0.004 \end{aligned} \quad (8)$$

obtain a value for  $\cos\beta_u$  we measured i.r.-absorption intensities for (I) in iso-octane solution. These, assessed

TABLE 4  
Raman spectrum of  $\text{Hg}[\text{Co}(\text{CO})_4]_2$  (between 2 150 and 1 950  $\text{cm}^{-1}$ )

	Wavenumber/ $\text{cm}^{-1}$				$I_T(\text{obs.}\perp)$	$I_T(\text{obs.}  )$	$\rho_n$
	Ref. 19	Ref. 22	Ref. 20	This work			
$\nu_1$	2 107	2 090 <sup>a</sup>	2 094.6 <sup>b</sup>	2 095	$12 \pm 1$	$1.5 \pm 0.3$	$0.12 \pm 0.03$
$\nu_2$	2 030	2 027 <sup>a</sup>	2 027.5 <sup>b</sup>	1 990	$73 \pm 5^c$	$58 \pm 5^c$	$0.79 \pm 0.09$
$\nu_3$	1 990	1 982 <sup>a</sup>	1 996.0 <sup>b</sup>	2 028	100	$85 \pm 2$	$0.85 \pm 0.02$

<sup>a</sup> For the solid state. <sup>b</sup> Calculated from  $^{13}\text{C}$  satellites. <sup>c</sup> Less accurate because of overlap with a band of the photolysis product (at 1 996  $\text{cm}^{-1}$ ).

TABLE 5

Relations between  $Y_i$  ( $= 4.0707 \times 10^{-6} \times \nu_i^2$ ) and the force constants<sup>20</sup>

$$\begin{aligned} F_t + f_{tw} &= \frac{Y_1 + Y_2}{2} - \frac{(Y_1 - Y_2)\cos\beta_g}{2} & F_t - f_{tw} &= \frac{Y_4 + Y_5}{2} - \frac{(Y_4 - Y_5)\cos\beta_u}{2} \\ F_e + f_{ee'} &= \frac{Y_1 + Y_2}{6} + \frac{2}{3}Y_3 + \frac{(Y_1 - Y_2)\cos\beta_g}{6} & F_e - f_{ee'} &= \frac{Y_4 + Y_5}{6} + \frac{2}{3}Y_6 + \frac{(Y_4 - Y_5)\cos\beta_u}{6} \\ f_{ee} + f_{ee''} &= \frac{Y_1 + Y_2}{6} - \frac{Y_3}{3} + \frac{(Y_1 - Y_2)\cos\beta_g}{6} & f_{ee} - f_{ee''} &= \frac{Y_4 + Y_5}{6} - \frac{Y_6}{3} + \frac{(Y_4 - Y_5)\cos\beta_u}{6} \\ f_{et} + f_{et'} &= \frac{(Y_1 + Y_2)\sin\beta_g}{2 \cdot 3^{\frac{1}{2}}} & f_{et} - f_{et'} &= \frac{(Y_4 - Y_5)\sin\beta_u}{2 \cdot 3^{\frac{1}{2}}} \end{aligned}$$

TABLE 6

Force field of  $\text{Hg}[\text{Co}(\text{CO})_4]_2$  for a range of coupling parameters

	$\cos\beta_g$	$\cos\beta_u$	$F_t$	$F_e$	$f_{ee}$	$f_{et}$	$f_{tw}$	$f_{et'}$	$f_{ee'}$	$f_{ee''}$
(A)	0.475	-0.905	16.846	16.602	0.155	0.270	-0.425	0.162	0.236	0.065
(B)	0.475	-0.8	16.859	16.609	0.162	0.293	-0.403	0.147	0.229	0.058
(C)	0.475	-0.4	16.775	16.637	0.190	0.326	-0.319	0.106	0.201	0.030
(D)	0.475	0.0	16.691	16.665	0.218	0.338	-0.235	0.094	0.173	0.002
(E)	0.55	-0.1	16.678	16.669	0.222	0.326	-0.289	0.084	0.191	0.020

region, in view of the somewhat different conclusions we reach as outlined below.

The first point to emerge is the necessity to reassign  $\nu_2$  and  $\nu_3$ . Bearing in mind equation (6), (7) follows from

$$I_T(\text{obs.}||) = \frac{16\pi^4\nu^4}{c^4} \cdot NI_0 \cdot \frac{2\gamma^2}{15} \quad (6)$$

$$Q = \left( \frac{I_1 + I_2}{I_3} \right)_{(\text{obs.}||)} = \frac{3(1 - 3\sin^2\delta)^2 + 4}{9\cos^2\delta(1 + 3\sin^2\delta)} \quad (7)$$

Table 1. From a structural study<sup>14</sup>  $\delta = 7^\circ$ ; this results in a theoretical value of  $Q = 0.73$ . The assignment  $\nu_2 = 2 028$  and  $\nu_3 = 1 990$   $\text{cm}^{-1}$  would produce  $Q = 1.50 \pm 0.13$  and is thus far less likely than the reversed one,  $\nu_2 = 1 990$  and  $\nu_3 = 2 028$   $\text{cm}^{-1}$  ( $Q = 0.70 \pm 0.06$ ). In the following discussion we have therefore assigned the 2 028  $\text{cm}^{-1}$  band to the  $E_g$  mode, in contrast with all previous studies.<sup>19-22</sup> The depolarization ratios, in spite of the uncertainties, do support this assignment.

Next,  $\cos\beta_g$  can be calculated from the ratios of  $I_3$

by integration of band areas and relative to the strongest band, were as follows:  $I_4$  (2 072) =  $45 \pm 1.5$ ;  $I_5$  (2 021) =  $7.8 \pm 0.3$ ; and  $I_6$  (2 007) = 100. From (5a) it follows that  $k = (\mu_{ax'}/\mu_{eq'}) = 1.23 \pm 0.02$ , and, since  $b = (I_4/I_5)^{\frac{1}{2}} = 2.4 \pm 0.1$ ,  $b_1 = 4.6 \pm 0.2$  (5b) and  $\cos\beta = -0.905 \pm 0.005$ .

The force field, defined in Figure 2, can now be calculated from the relations in Table 5. With  $y_1 = 17.734$ ,  $y_2 = 16.033$ ,  $y_3 = 16.651$ ,  $y_4 = 17.347$ ,  $y_5 = 16.504$ , and  $y_6 = 16.276$  and the above parameters we obtained set (A) (Table 6). The force field can be tested by computing  $^{13}\text{C}$  satellite frequencies and comparing them with experimental values obtained by Bor from isotopic-enrichment studies.<sup>20</sup> The results are shown in Table 7, (column A) and clearly do not agree very well with experiment. Consideration of possible sources of error leads to the conclusion that  $\cos\beta_u$ , calculated from i.r. intensities, is subject to some uncertainty since for binuclear molecules in particular electronic interaction effects<sup>5,20,25</sup> operate. The resulting enhancement of  $I_4$  would produce too low a value for  $\cos\beta_u$ . (The effect

has been treated quantitatively,<sup>20</sup> but no results have been published.) We therefore varied  $\cos\beta_u$  from  $-0.8$  to  $0.0$  which gave sets (B)—(D) (Tables 6 and 7). Force field (D) reproduces satellite frequencies quite well;

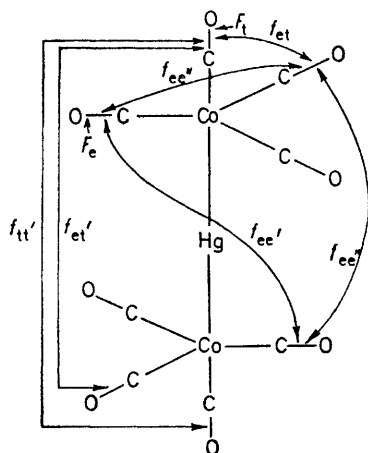


FIGURE 2 Force constants for  $\text{Hg}[\text{Co}(\text{CO})_4]_2$

the final field (E) differs only slightly and is unique in yielding the previously reported frequencies for both  $\nu_4'$  and  $\nu_5'$ . The other satellite, given at  $2\,026\text{ cm}^{-1}$ , is

TABLE 7

Observed and calculated wavenumbers ( $\text{cm}^{-1}$ ) of  $^{13}\text{C}$  satellites for various force fields

	Obs. <sup>20</sup>	Calc.				
		A	B	C	D	E
$\nu_1'$	2 092	2 092	2 092	2 092	2 092	2 092
$\nu_4'$	2 063	2 053	2 054	2 059	2 063	2 063
$\nu_5'$	1 964	1 967.5	1 967	1 966	1 964.5	1 964

computed at  $2\,024\text{ cm}^{-1}$ , but the experimental frequency is less certain here (weak shoulder<sup>20</sup>).

It is interesting to note that, in spite of the approximations stated before, the value for  $\cos\beta_g$  calculated from Raman intensities agrees very well (within 0.08) with that estimated for isotopic frequencies, whereas  $\cos\beta_u$ , from straight i.r. intensities, differs considerably (by 0.8) from the 'real' value. It would be interesting to see whether this effect applies to the mononuclear complexes in Table 1 and whether Raman studies would yield a different value for  $\cos\beta$  which might enable one to estimate the relative magnitudes of  $(\mu_1')$  and  $(\mu_2')$ , as defined in ref. 5. At this stage a detailed discussion of the abnormally high value of  $(I_4/I_5)$  in  $\text{Hg}[\text{Co}(\text{CO})_4]_2$  would be premature.

<sup>25</sup> F. A. Cotton and R. M. Wing, *Inorg. Chem.*, 1965, **4**, 1328.

<sup>26</sup> A. R. Manning and J. R. Miller, *J. Chem. Soc. (A)*, 1970, 3352.

The force field itself [set (E)] needs some comment as several values do not agree with previous work. The axial-axial interaction constant would be expected to be negative here, in contrast with  $[\text{Mn}_2(\text{CO})_{10}]$ ,<sup>24,25</sup> because of an additional M-M' bond between the *trans*-CO groups. The constant  $f_{ee}$  seems somewhat low, but a similar value was calculated (Table I) for  $[\text{Co}(\text{CO})_4(\text{PbEt}_3)]$ . There is however, a serious discrepancy between our results and earlier work<sup>26</sup> on substituted complexes  $[\{\text{Co}(\text{CO})_3\text{R}\}_2]$  and  $\text{Hg}[\text{Co}(\text{CO})_3\text{R}]_2$  with relation to the interaction constants  $f_{ee'}$  and  $f_{ee''}$ . As in  $[\text{Mn}_2(\text{CO})_{10}]$ ,<sup>24</sup>  $f_{ee''}$  had been found to be positive and relatively large (*ca.* 0.2), whereas  $f_{ee'}$  tended towards zero;<sup>20</sup> we come to the opposite conclusion, due to our proposed reassignment of  $\nu_2$  and  $\nu_3$ , based on Raman intensities and depolarization ratios. A pre-resonance Raman effect may complicate the problem, but, as we are only dealing with intensity ratios rather than absolute values, our results should not be affected by such an effect. Studies on transition-metal salts<sup>27</sup> showed that intensity ratios change very little on variation of excitation wavelengths. Furthermore, a resonance effect would be expected only if the electronic transition concerned involved orbitals extending over the carbonyl groups; in metal carbonyls the longer-wavelength transitions are essentially atomic. A similar situation obtains in  $[\text{Co}(\text{CN})_6]^{3-}$ .<sup>28</sup>

If the interaction between the CO stretching vibration is assumed to be purely electronic, one could indeed expect a *trans* coupling constant ( $f_{ee}$ ) to be larger in magnitude than the *gauche*  $f_{ee'}$  as in the original CKM rationalization. In reality other coupling mechanisms will also contribute (steric, charge-charge, and dipole-dipole)<sup>26</sup> and the balance could vary considerably between different complexes, as witnessed, for example, by the change in  $f_{ee}$  in the series  $[\text{Co}(\text{CO})_4\text{R}]$  (Table 2).

**Conclusion.**—The Raman spectrum of  $\text{Hg}[\text{Co}(\text{CO})_4]_2$  has yielded sufficient information for satisfactory evaluation of the coupling between axial and equatorial CO stretching frequencies (species  $A_g$ ) as well as indicating a probable reassignment. It seems that Raman intensities may be more immediately useful for the present type of calculation than i.r. data.

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<sup>27</sup> Y. M. Bosworth and R. J. H. Clark, *J.C.S. Dalton*, 1974, 1749; *Inorg. Chem.*, 1975, **14**, 170.

<sup>28</sup> G. W. Chantry and R. A. Plane, *J. Chem. Phys.*, 1961, **35**, 1027.