Stereoelectronic Effects in R–NSN–R Systems. An MNDO and *Ab Initio* SCF-MO Study

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The syn,syn configurational preference of compounds of the type R–NSN–R, where the substituent R is SiMe₃, is rationalized in terms of anti-periplanar hyperconjugation between the in plane nitrogen lone pairs on the NSN fragment and the electropositive silicon-H/Me σ bonds. MNDO and *ab initio* calculated energies and geometries are reported for a range of electropositive and electronegative substituents R and discussed in terms of stereoelectronic interactions.

There is substantial current interest in the chemistry of sulphur-nitrogen heterocycles. Both organic¹ and inorganic^{2,3} ring systems are known, but with the exception of $(SN)_x^4$ our understanding of linear S-N systems is less well developed. Sulphur di-imides, RNSNR, have been known for a number of years. They are iso-electronic with sulphur dioxide and their coordination chemistry has been extensively studied.⁵ The silyl compound (Me₃Si)₂N₂S is particularly useful in synthesis.¹⁻³

In principle, three configurations are possible for this type of compound, (1a)—(1c), and n.m.r. studies ⁵ indicate that the (1b) and (1c) are in equilibrium in solution for a variety of R groups. When R = Me, ⁶ *p*-tolyl, ⁷ or 4-biphenyl⁸ the *syn,anti* structure (1b) is adopted (from electron diffraction ⁶ or X-ray studies ^{7,8}). However, when $R = SPh^9$ or SC_6H_4Cl-p , ¹⁰ single-crystal X-ray studies reveal the *syn,syn* structure (1a). In the latter case, a relatively short $S \cdots S$ interaction (3.29 Å) is observed. Electron diffraction for this compound in the gas phase. We report here SCF-MO calculations for the three isomers (1a)—(1c) which provide a simple stereoelectronic argument for the structural preferences of this class of molecule.

Initial theoretical studies were carried out at the MNDO SCF-MO level, using the MOPAC program system¹² and restricting the geometries to C_2 symmetry for (1a) and to C_s symmetry for (1b) and (1c). Within these restrictions, all geometrical variables were fully optimised. The calculated energies and geometries of the three isomers with R = Me are shown in the Table. The lowest energy isomer was correctly the *syn.anti* configuration (1b) and its calculated geometry was in good agreement with that found experimentally.⁶

Attempts to locate three distinct isomers at the MNDO level for $R = SiH_3$ or for $R = SiMe_3$ did not succeed, all initial starting guesses resulting only in optimisation to the syn,syn forms (1a). The MNDO calculated geometry ($R = SiH_3$) was also quite different from the methyl analogue in having an unusually large Si–N–S bond angle (165°). The trimethylsilyl derivative (1a, $R = SiMe_3$) displayed an even larger angle (171°). Since this result revealed a major difference between a carbon and a silicon substituent, we sought support for the MNDO calculations by carrying out ab initio gradient geometry optimisation at a variety of basis set levels (Table).13 The smallest basis set (3G) reveals a 'normal' bond angle of 132.5° for (1a, R = SiH₃) but this angle increases with the quality of the basis set up to the 3-21G* basis set level (164°), which includes d functions on both the sulphur and silicon, followed by a decrease when d functions are included on the nitrogen (144.6° for 6-31G*). Further calculations at the RMP2 correlated level were precluded by the amount of computer time



required. Both the MNDO and *ab initio* procedures are in qualitative agreement in predicting relatively large Si–N–S angles for the *syn,syn* isomers, with an almost exactly planar R–NSN–R framework. For the smaller *ab initio* basis sets, where the Si–N–S angle is 'normal', the energy of the *syn,anti* isomer is clearly lower than the *syn,syn* form, due to steric repulsions in the latter. As the quality of the basis set improves, the predicted angle in (1a) increases and the energy difference decreases. At the 3-21G basis set level we calculate the *syn,syn* isomer to be lower in energy than the *syn,anti* (Table), whilst as with MNDO, no distinct *syn,anti* form could be located at the 3-21G* level. At the highest level (6-31G*) two forms could be located, with the *syn,syn* isomer again lowest in energy.

Inspection of the occupied molecular orbitals revealed a possible explanation for the relatively large bond angles indicated by the calculations for the syn,syn form.[†] The two highest energy MNDO orbitals ($\mathbf{R} = \mathrm{SiH}_3$) are conventional π systems of little interest, but the next two lower energy occupied orbitals comprise the in phase and out of phase combinations of the two in-plane nitrogen lone pairs. In order to compare the difference between the isomers (1a) and (1b), the MNDO wavefunction for the latter was calculated at a fixed anti Si-N-S bond angle of 133° (Figures 1 and 2). We find that the relative ordering of these two orbitals is reversed between (1a) and (1b). This suggests that the apparently greater stability of the syn,syn isomer is due to the ability of the nitrogen lone pair to interact with the adjacent electropositive silicon-hydrogen σ bonds, due to their similarity in energy. For the compounds (1a/1b, R =Me), the methyl C–H σ bonds are of much lower energy and hence less well able to interact with the higher energy nitrogen lone pair. The trends in the MNDO calculated bond lengths for (1a-1c, R = Me) also support such interactions; the N=S and R-N bond lengths are significantly shorter for the syn,syn isomer (1a) than for the other two isomers, along with a much greater Me-N-S angle (Table). Such association of the shorter R-N bond with the larger R-N-S bond angle is also found for all the *ab initio* calculations for (1a) and $(1b)(R = SiH_3, Table)$. These various results are consistent with a contribution from a resonance formulation such as (2), which rationalises the

 $[\]dagger$ For a discussion of orbital interactions in the related S_4N_4 system, see ref. 14.

Compound	Energy ^a	$r_{\rm NS}/{ m \AA}$	$r_{R-N}/\text{\AA}$	NSN/°	RNS/°
MNDO					
(1a) Me	70.6	1.522	1.428	122.4	134.3
(1b) Me	67.5	1.531 (1.544)	1.435 (1.436)	109.6	122.4 (129.1)
(1b) Me^b	_	1.532	1.464	113.6	116.5 (124.3)
(1c) Me	74.3	1.552	1.440	103.4	119.0
(1a) SiH ₃	34.2	1.480	1.686	111.6	165.0
(1b) SiH_3^c					
(1a) BH ₂	46.2	1.494	1.355	110.0	174.4
(1a) $Si(CF_3)_3$	-918.3	1.477	1.637	111.6	180.0
(1a) GeH ₃	77.1	1.480	1.808	111.4	166.61
(1a) SH ^d	86.3	1.526	1.605	119.4	132.7
(1b) SH	84.2	1.549 (1.533)	1.615 (1.607)	107.1	121.6 (129.2)
(1a) Cl	104.7	1.544	1.687	126.2	125.9
(1b) Cl	101.4	1.566 (1.545)	1.695 (1.687)	110.0	115.3 (124.3)
Ab initio					
(1a) SiH ₃					
STO-3G	-1 075.1911	1.588	1.753	121.6	132.5
STO-3G*	-1 075.5587	1.503	1.702	123.8	137.2
3-21G	-1 081.9741	1.568	1.749	119.0	147.8
3-21G*	-1082.3885	1.476	1.704	119.8	164.0
6-31G*	-1 087.6735	1.489	1.734	122.4	144.6
(1b) SiH ₃					
STO-3G	-1 075.2161	1.637 (1.597)	1.794 (1.772)	103.1	114.6 (115.4)
STO-3G*	-1 075.5620	1.519 (1.509)	1.725 (1.711)	116.7	121.2 (123.5)
3-21G	-1 081.9736	1.580 (1.578)	1.791 (1.745)	112.3	127.9 (141.9)
3-21G*°		. ,			
6-31G*	-1 087.6727	1.496 (1.489)	1.753 (1.734)	117.1	131.0 (134.0)

Table. Calculated MNDO and *ab initio* energies and geometries for (1). Where two values are given those in parentheses relate to the *syn* bond, those without to the *anti* bond

^a Calculated energy, in kcal mol⁻¹ (cal = 4.184J) for MNDO and Hartree for *ab initio*. ^b Experimental geometry (ref. 6). ^c Rearranges without activation to $syn_s syn$ isomer. ^d S-S distance 3.32 (calc.), 3.29 Å (obs.).⁹



properties of the R-N-S bond in terms of a cumulene type system. In all cases the larger bond angle and shorter R-N bond length is associated with the *syn* R-N-S geometry, indicating greater hyperconjugation for this configuration.

Inspection of the orbitals for $(1a, R = SiH_3)$, Figure 1, shows that such hyperconjunction of both combinations of the nitrogen lone pairs with the Si-H bonds is favoured by the larger Si-N-S angle. For the isomer (1b), only the syn R-S-N nitrogen lone pair interacts with the Si-H σ bonds to any great extent (Figure 2). This effect is also present for (1a, R = SiMe₃), via hyperconjugation with the Si-C bonds.

On the basis of MNDO calculations, we predict that the Si-N-S bond angle for the hitherto unknown compound [1, $R = Si(CF_3)_3$] becomes essentially linear, again consistent with structure (2) in which H^- is now replaced by a highly stable carbanion, whereas the germanium and boron analogues (\mathbf{R} = GeH₃, BH₂) are similar to silicon (Table). Conversely, the sulphur and chlorine derivatives (1a, R = SH or Cl) show quite different behaviour, due we think to the presence of additional lone pairs on the electronegative R group which are not present with sp^3 hybridised groups such as SiH₃. Effective antiperiplanar interaction between the nitrogen lone pairs and those on R leads to bonding electron density located between the two R groups (Figure 3). This has the effect of reducing the 'non-bonded' $\mathbf{R} \cdots \mathbf{R}$ distance and hence the \mathbf{R} -N-S angles (Table), an effect represented by contribution from resonance formulations such as (3), in which electron density has migrated towards rather than away from the nitrogen atoms. Such a representation rationalises the decrease in the R-N-S valence angle and the stabilisation of the *syn,syn* form. For the *syn,anti* isomers (1b, R = SH or Cl), it is noteworthy that the *anti* R group is also associated with the *smaller* bond angle, but a *larger* R-N bond length. However for neither substituent (R = SH or Cl) is (1a) lower in energy than (1b), contrary to the known experimental structures. This may simply be due to the known error of MNDO in overestimating non-bonded repulsions.¹⁵

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Figure 1. Molecular orbitals corresponding to (a) in-phase and (b) out-of-phase lone pair orbitals on (1a, $R = SiH_3$). The MNDO orbital energies are -10.17 and -9.88 eV respectively (eV $\approx 1.60 \times 10^{-19}$ J)



Figure 2. Molecular orbitals corresponding to (a) in-phase and (b) out-of-phase lone pair orbitals on (1b, $R = SiH_3$). The MNDO orbital energies are -9.97 and -10.37 eV respectively



Figure 3. Molecular orbitals corresponding to $R \cdots R$ interaction in RNSNR: (a) R = SH and (b) R = CI. The MNDO orbital energies are -11.90 and 13.07 eV respectively

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