

## TABLE ERRATA

**301.**—A. A. BENNETT, W. E. MILNE & H. BATEMAN, *Numerical Integration of Differential Equations*, National Research Council, Bulletin No. 92, Washington, D. C., 1933. Reprinted by Dover Publications, Inc., New York, 1956.

On Page 83, in formula (14) the last term *should read*  $-\frac{1}{2^{\frac{1}{4}}0}\nabla^5 u_n$  *instead of*  $+\frac{1}{2^{\frac{1}{4}}0}\nabla^5 u_n$ .

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**302.**—R. A. BUCKINGHAM, *Numerical Methods*, Pitman Publishing Corporation, New York, 1957.

On page 153, the following errors are noted. In Table 6.1 in the expansion of  $(2/\delta) \sinh^{-1}(\delta/2)^r$ , corresponding to  $r = -4$  the numerator of the coefficient of  $\delta^4$  *should read*  $-8$  *instead of*  $-7$ . In the third line from the bottom of the same page, in the formula for  $\delta^2 I^2 u(1/2)$ , the coefficient of  $\delta^6$  *should read*  $-367/193536$  *instead of*  $-367/193537$ . In the last line, in the formula for  $\delta^4 I^4 u(1/2)$ , the coefficient of  $\delta^4$  *should read*  $7/5760$  *instead of*  $5/5760$ .

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**303.**—R. EGERSDÖRFER & L. EGERSDÖRFER, *Formeln und Tabellen der zugeordneten Kugelfunktionen I. Art von  $n = 1$  bis  $n = 20$* . (Reichsamt für Wetterdienst, Wiss. Abh., I(6).) Springer-Verlag, Berlin, 1936.

The values  $R_n^j$  have been independently computed to 8S for all integers  $j, n$  such that  $n + j$  is odd and  $0 \leq j < n \leq 19$ . Comparison of these values with corresponding entries in the above tables revealed just one error; namely, in the fifth line of the value of  $R_{10}^9$ , *read*  $+0.0067029\ 2050760 \sin 10t$  *instead of*  $+0.0067028\ 2050760 \sin 10t$ .

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**304.**—A. ERDÉLYI, W. MAGNUS, F. OBERHETTINGER, & F. TRICOMI, *Tables of Integral Transforms*, Volume 2, McGraw-Hill Book Co., Inc., New York, 1954.

On page 49 the following errors have been noted.

Equation (11) is in error unless  $n = 0$ . The right-hand side should read

$$(-1)^n \beta^{-2n} y^{1/2} \left\{ I_\nu(y\beta) K_\nu(a\beta) - \frac{1}{2} \sum_{m=0}^{n-1} \frac{(-1)^m}{m!} \Gamma(\nu - m) \left(\frac{1}{2}a\beta\right)^{2m-\nu} \sum_{k=0}^{n-m-1} \frac{1}{k! \Gamma(\mu + k + 1)} \left(\frac{1}{2}y\beta\right)^{2k+\mu} \right\}$$

$$0 < y \leq a$$

$$\begin{aligned}
 & (-1)^n \beta^{-2n} y^{1/2} \left\{ I_\nu(\alpha\beta) K_\nu(y\beta) \right. \\
 & \left. - \frac{1}{2} \sum_{m=0}^{n-1} \frac{(-1)^m}{m!} \Gamma(\nu - m) (\tfrac{1}{2}y\beta)^{2m-\nu} \sum_{k=0}^{n-m-1} \frac{1}{k! \Gamma(\mu + k + 1)} (\tfrac{1}{2}\alpha\beta)^{2k+\mu} \right\} \\
 & a \leq y < \infty
 \end{aligned}$$

Equation (13) is in error for negative values of  $n$ . In this case the right-hand side should read

$$\begin{aligned}
 & (-1)^n \beta^{\nu-\mu+2n} y^{1/2} \left\{ I_\mu(a\beta) K_\nu(y\beta) \right. \\
 & \left. - \frac{1}{2} \sum_{m=0}^{-(n+1)} \frac{(-1)^m}{m!} \Gamma(\nu - m) (\tfrac{1}{2}y\beta)^{2m-\nu} \sum_{k=0}^{-(m+n+1)} \frac{1}{k! \Gamma(\mu + k + 1)} (\tfrac{1}{2}\alpha\beta)^{2k+\mu} \right\} \\
 & a \leq y < \infty
 \end{aligned}$$

Equation (15) is in error for negative values of the integer  $n$ . In this case the right-hand side should read

$$\begin{aligned}
 & (-1)^n \beta^{\mu-\nu+2n} y^{1/2} \left\{ I_\nu(y\beta) K_\mu(a\beta) \right. \\
 & \left. - \frac{1}{2} \sum_{m=0}^{-(n+1)} \frac{(-1)^m}{m!} \Gamma(\mu - m) (\tfrac{1}{2}a\beta)^{2m-\mu} \sum_{k=0}^{-(m+n+1)} \frac{1}{k! \Gamma(\nu + k + 1)} (\tfrac{1}{2}y\beta)^{2k+\nu} \right\} \\
 & 0 < y \leq a
 \end{aligned}$$

Equation (16) is in error for negative values of  $n$  when  $0 < y \leq a$  and for positive values of  $n$  when  $a \leq y < \infty$ . For these cases the right-hand side should read

$$\begin{aligned}
 & (-1)^n y^{1/2} \left\{ I_\nu(y\beta) K_{\nu-2n}(a\beta) \right. \\
 & \left. - \frac{1}{2} \sum_{m=0}^{-(n+1)} \frac{(-1)^m}{m!} \Gamma(\nu - m - 2n) (\tfrac{1}{2}a\beta)^{2m+2n-\nu} \sum_{k=0}^{-(m+n+1)} \frac{1}{k! \Gamma(\nu + k + 1)} (\tfrac{1}{2}y\beta)^{2k+\nu} \right\} \\
 & 0 < y \leq a \quad \text{and} \quad n = -1, -2, \dots
 \end{aligned}$$

$$\begin{aligned}
 & (-1)^n y^{1/2} \left\{ I_{\nu-2n}(a\beta) K_\nu(y\beta) \right. \\
 & \left. - \frac{1}{2} \sum_{m=0}^{n-1} \frac{(-1)^m}{m!} \Gamma(\nu - m) (\tfrac{1}{2}y\beta)^{2m-\nu} \sum_{k=0}^{n-m-1} \frac{1}{k! \Gamma(\nu + k - 2n + 1)} (\tfrac{1}{2}a\beta)^{2k-2n+\nu} \right\} \\
 & a \leq y < \infty \quad \text{and} \quad n = 1, 2, \dots
 \end{aligned}$$

The following errors have been noted in section 16.2, pages 277–279. Equation (10) should read

$$\int_{-1}^1 (z-x)^{-1} x^m P_n(x) dx = 2z^m Q_n(z);$$

equation (18) should read

$$\int_{-1}^1 (z-x)^{-1} P_m(x) P_n(x) dx = 2P_m(z)Q_n(z);$$

equation (25) should read

$$\int_{-1}^1 (z-x)^{-1} (1-x^2)^{m/2} P_n^m(x) dx = 2(z^2-1)^{m/2} Q_n^m(z);$$

and equation (26) should read

$$\int_{-1}^1 x^k (z-x)^{-1} (1-x^2)^{m/2} P_n^m(x) dx = 2z^k (z^2-1)^{m/2} Q_n^m(z).$$

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**EDITORIAL NOTE:** Professor Erdélyi reports that the errors noted on page 49 were communicated to him in 1957 by J. W. Stuart.

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**305.**—H. SCHUBERT, R. HAUSSNER & J. ERLEBACH, *Vierstellige Tafeln und Gegen-tafeln für logarithmisches und trigonometrisches Rechnen . . .*, Walter de Gruyter & Co., Berlin, 1960. [See **RMT** 62, *Math. Comp.*, v. 15, 1961, p. 299]

The following rounding errors were discovered in Table I, "Vierstellige deka dische Logarithmen der Zahlen von 1 bis 10 000":

	<i>for</i>	<i>read</i>
log 2298	3613	3614
log 3560	5515	5514
log 4023	6045	6046
log 4719	6739	6738

J. W. W.

**306.**—T. N. THIELE, *Interpolationsrechnung*, Teubner, Leipzig, 1909.

On page 96, in the formula for  $D^{-5}$ , the coefficient of  $A^5 \nabla_a^{-1}$  should read 15/5760 instead of 15/5790.

On page 97, in the formula for  $D^{-3}$ , the coefficient of  $a^3 \square_a \nabla_a$  should read 24/5760 instead of 24/5770.

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