

$2[T_2(a) - T_1(a)]$, and the characteristic exponent h are given for each λ . If we set

$$h(t) = \lambda \int_0^t (1 - \chi^2) dt, \quad \text{then } h = h(\omega)/\omega.$$

For each λ there is a plot of the hodograph $\left(\chi, \frac{d\chi}{dt}\right)$ and the curve $\chi(t)$ (including $\lambda = 0, 1$). An additional graph depicts a, ω , and h as functions of λ in the interval $[0, 10]$.

E. I.

94[M, P, S].—R. L. MURRAY & L. A. MINK, *Tables of Series Coefficients for Burnup Functions*, Bulletin No. 71, Department of Engineering Research, N. C. State College, Raleigh, N. C., May 1959, 82 p., 28 cm. Price \$1.50.

In a certain model, calculation of nuclear reactor properties under long-term operation requires the evaluation of

$$A_0 = \bar{\varphi}^{(l)} \left[\frac{1}{\delta_z \pi/2} \int_0^{\delta_z \pi/2} (\cos x)^l dx \right] \left[\frac{2}{(\delta_r j_0)^2} \int_0^{\delta_r j_0} x [J_0(x)]^l dx \right],$$

$$a_0 = \frac{\bar{\varphi}^{(l+1)}}{\bar{\varphi}^{(l)}}, \quad A_1 = \frac{1}{2} \left[\frac{\bar{\varphi}^{(l+2)}}{\bar{\varphi}^{(l)}} - a_0^2 \right]$$

and some other combinations of $\bar{\varphi}^{(l)}$. Here j_0 is the smallest positive zero of $J_0(x)$. All functions are tabulated for the range $l = 0(1)4, \delta_i, \delta_z = 0.50(0.05)0.60(0.02)1.0$. A_0 and a_0 are given to 7D; A_1 to 6D, and the remaining functions not listed here are given with less accuracy. Similar tables are given for the function

$$A_0 = \frac{3}{(\delta\pi)^3} \int_0^{\delta\pi} x^2 \left(\frac{\sin x}{x}\right)^l dx.$$

The method of computation is not explained, nor is j_0 defined. We infer the definition of j_0 from physical considerations corroborated by numerical evaluation. Spot checks indicate the entries are accurate to the number of places given.

Y. L.

95[W, X].—RUSSELL L. ACKOFF, Editor, *Progress in Operations Research*, Vol. 1, John Wiley & Sons, Inc., New York, 1961, 505 p., 23 cm. Price \$11.50.

Each chapter of this book is written by different authors. It treats recent progress in some of the methodological fields of operations research, such as linear programming, in an outstanding manner, scantily discussing progress in others, such as queuing theory.

The introductory chapter, written by the editor of the book, is excellent. He points out that in other well-established scientific fields one is not as concerned about definitions as those in operations research have been, that this field is now accepted and has acquired the confidence of workers in other fields, and that, as a result, there is less craving for definitions.

An interesting chapter by Churchman on contributions to decision and value theory then follows. Hanssmann's chapter on inventory theory leaves much to be desired and is not saved even by attempting to justify the presentation in an opera-