

Note

More on the correct rate expression in non-isothermal kinetics.

Reply to K.O. Strømme¹

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In some critical comments [1] concerning our note [2], K.O. Strømme reintroduces a two-term rate expression of the form

$$\frac{d[A]}{dt} = \left(\frac{\partial[A]}{\partial T} \right)_{[A^*]} \beta + \left(\frac{\partial[A]}{\partial[A^*]} \right)_T \frac{d[A^*]}{dt} \quad (1)$$

or, taking into account that $\beta = dT/dt$

$$d[A] = \left(\frac{\partial[A]}{\partial T} \right)_{[A^*]} dT + \left(\frac{\partial[A]}{\partial[A^*]} \right)_T d[A^*] \quad (2)$$

The author claims that $d[A]$ as given by eqn. (2) is the exact differential of $[A] = g(T, [A^*])$.

We must emphasize that eqns. (1) and (2) cannot be considered as being correct because (i) as the author has pointed out, $[A^*]$ is constant at a given temperature [1], i.e. $(\partial[A]/\partial[A^*])_T(d[A^*]/dt)$ in the righthand term of eqn. (1) should equal zero, since the temperature is kept constant during the derivation; (ii) as correctly pointed out also by the author, $[A^*]$ depends on temperature, i.e. the two variables T and $[A^*]$ are not independent, and thus $d[A]$ cannot be considered as the exact differential of $[A]$ as stated by eqn. (2).

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¹This reply has been delayed because Dr. K.O. Strømme's note, for reasons beyond our control, was not available until a few weeks ago.

REFERENCES

- 1 K.O. Strøme, *Thermochim. Acta*, 143 (1989) 355.
- 2 C. Popescu, M. Stan and E. Segal, *Thermochim. Acta*, 81 (1984) 375.